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## Key Points:

- A gravity-based 3-D crustal model beneath the Guangdong province (China) was built to predict the geoneutrino signal at the JUNO experiment
- The adopted Bayesian method allows for fitting gravimetric observations integrating local prior distribution with regularization conditions
- GIGJ fitted GOCE gravity data with a ~1 mGal standard deviation of the residuals, compatible with the observation accuracy

## Supporting Information:

- Supporting Information S1

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## GIGJ: A Crustal Gravity Model of the Guangdong Province for Predicting the Geoneutrino Signal at the JUNO Experiment

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**Abstract** Gravimetric methods are expected to play a decisive role in geophysical modeling of the regional crustal structure applied to geoneutrino studies. GIGJ (GOCE Inversion for Geoneutrinos at JUNO) is a 3-D numerical model constituted by  $\sim 46 \times 10^3$  voxels of  $50 \times 50 \times 0.1$  km, built by inverting GOCE (Gravity field and steady-state Ocean Circulation Explorer) gravimetric data over the  $6^\circ \times 4^\circ$  area centered at the JUNO (Jiangmen Underground Neutrino Observatory) experiment, currently under construction in the Guangdong Province (China). The a priori modeling is based on the adoption of deep seismic sounding profiles, receiver functions, teleseismic *P* wave velocity models, and Moho depth maps, according to their own accuracy and spatial resolution. The inversion method allowed for integrating GOCE data with the a priori information and some regularization conditions through a Bayesian approach and a stochastic optimization. GIGJ fits the highly accurate and homogeneously distributed GOCE gravity data with a ~1 mGal standard deviation of the residuals, compatible with the observation accuracy. GIGJ provides a site-specific subdivision of the crustal layers masses, of which uncertainties include estimation errors, associated to the gravimetric solution, and systematic uncertainties, related to the adoption of a fixed sedimentary layer. A consequence of this local rearrangement of the crustal layer thicknesses is a ~21% reduction and a ~24% increase of the middle and lower crust geoneutrino signal, respectively. The geophysical uncertainties of geoneutrino signals at JUNO produced by unitary uranium and thorium abundances distributed in the upper, middle, and lower crust are reduced by 77%, 55%, and 78%, respectively. The numerical model is available at this site (<http://www.fe.infn.it/radioactivity/GIGJ>).

## 1. Introduction

Understanding the composition of the Earth is a puzzling question that continuously pushes the scientific community to conceive innovative methods for gathering access to the interior of our planet.

While the geophysical structure of the entire Earth is almost well established, available information on its composition relies on shallow drill cores and samples brought to the surface by volcanic eruptions. Breakthroughs in the field are expected from the interplay between Earth science and particle physics, which are currently exploring the promising scenarios of the Earth's spectrometry with atmospheric neutrino oscillations (Rott et al., 2015) and the detection of geoneutrinos (Fiorentini et al., 2007).

Geoneutrinos are electron antineutrinos produced in beta decays of naturally occurring radioactive isotopes in the Earth. They propagate almost without interacting, providing instantaneous insights on the radiogenic heat power of our planet. The present technology permits detecting geoneutrinos produced by beta decays of  $^{234m}\text{Pa}$  and  $^{214}\text{Bi}$  ( $^{238}\text{U}$  decay series) and  $^{228}\text{Ac}$  and  $^{212}\text{Bi}$  ( $^{232}\text{Th}$  decay series). By measuring their flux and energy spectrum, it is possible to infer the global amount, distribution, and ratio of U and Th in the crust and in the mantle, essential ingredients for the discrimination among different bulk silicate Earth compositional models (Šrámek et al., 2013). Recent measurements from the KamLAND (Japan; Gando et al., 2013) and Borexino (Italy; Agostini et al., 2015) experiments are opening the way to multiple-site geoneutrino studies aimed at distinguishing the site-dependent crustal components (~75% of the signal) from the mantle component (~25% of the signal) (Fiorentini et al., 2012). In this framework, new geoneutrino measurements are highly awaited from the SNO+ detector (Canada; Andringa et al., 2016) and from the Jiangmen Underground Neutrino Observatory (JUNO) experiment (An et al., 2016).

The JUNO experiment is under construction in Kaiping, Jiangmen, Guangdong Province (South China), 53 km far from two nuclear power plants, which is the optimum distance for the determination of the neutrino mass hierarchy from reactor antineutrino oscillation interferences. The 20 kt liquid scintillation detection volume, together with the excellent energy resolution, will allow JUNO to address many physics goals related to the observations of neutrino events of astrophysical and terrestrial origin (An et al., 2016; Strati et al., 2015).

Since the beginning of 1900, when the Croatian seismologist Andrija Mohorovičić discovered its existence, the study of the crust-mantle discontinuity (Moho) and more in general of the lithosphere architecture has been mainly performed by seismic observations. In 2012 the GOCE Exploitation for Moho Modeling and Applications (GEMMA) project, funded by the Politecnico di Milano and the European Space Agency, demonstrated the possibility of exploiting satellite gravity data from the Gravity field and steady-state Ocean Circulation Explorer (GOCE) mission (Drinkwater et al., 2003) to model the main features of the crust at both global and regional scales (Reguzzoni & Sampietro, 2015).

The use of satellite data offers the main advantage of giving a regional outline of the crustal architecture that integrates data from local seismic profiles which are often not homogeneously distributed. In this respect, satellite gravity observations, especially those coming from the GOCE mission, can be considered the optimal tool to study the main features of the Earth's crust at regional scale, for which resolutions better than 30–50 km are not really required. The major issues when using gravity observations for crustal modeling are the nonuniqueness and the ill posedness of the problem. As it is well known (see, e.g., Sampietro & Sansò, 2012), the inverse gravimetric problem, namely the estimation of the masses generating a gravitational field from observations of the field itself, does not generally have a unique solution. Moreover, the problem is strongly unstable and requires some kind of regularization to control the effects of observation and model errors. Several approaches have been studied in literature to solve inverse gravimetric problems (see, e.g., Blakely, 1996; Parker, 1994, and the references therein).

To tackle this challenge, we used a new algorithm, based on a Bayesian approach (Bosch, 2004; Mosegaard & Tarantola, 2002; Rossi et al., 2016) and able to invert the gravity field by also exploiting some a priori information on the crustal structure derived from a combination of geological maps and seismic data. This approach helped us to reduce the nonuniqueness and ill posedness of the problem, thus obtaining a 3-D voxel-wise crustal model beneath the Guangdong province, southeastern China, to be used for predicting the geoneutrino flux at JUNO. Following the approach described in Coltorti et al. (2011) and Huang et al.

(2014), the 3-D model, centered at the location of the JUNO detector, covers an area of  $6^\circ \times 4^\circ$  from which 50% of the total geoneutrino signal is expected (Strati et al., 2015).

## 2. Geological Setting of the Region

The study area is located in the southeast of China and includes the northern margin of the South China Sea (SCS), the Guangdong region, and the southeastern part of Guangxi region (Figure 1). It is a part of the South China Block (SCB) that has a complex tectonic history (John et al., 1990; Zeng et al., 1997), as well as a composition and a thickness poorly understood (Zheng & Zhang, 2007). The SCB is composed of two collided Neoproterozoic continental crustal blocks (He et al., 2013): the Yangtze, in the northwest sector, which forms a stable cratonic area, and the Cathaysia Block (CB) in the southeast (Xu et al., 2007), which comprises the offshore continental margin of the SCS (Pearl River Mouth Basin); the boundary between these blocks is still an object of debate (Deng et al., 2014; He et al., 2013; Xia et al., 2015).

The CB consists of Palaeo and Mesoproterozoic intensely folded basement rocks (gneisses, amphibolites, and migmatites) with superimposed Mesozoic and early Cenozoic volcanism and granitic intrusions (a total area of  $\sim 220,000 \text{ km}^2$ ), covered by Sinian to Mesozoic sedimentary and volcanic rocks. The granitoids of CB have interested various tectonic settings, with heterogeneous sources and repeated processes of crustal melting, mixing, and fractional crystallization (Jiang et al., 2009; Wang et al., 2010).

Starting from the northwest to the southeast, the continental crust is characterized by lateral variations in thickness and composition, as well as in  $P$  wave velocity, reaching a transition zone that continues until the oceanic crust of the SCS (Li et al., 2007). The crust exhibits a typical layer distribution into Upper Crust (UC), Middle Crust (MC), and Lower Crust (LC) and refers to a felsic and intermediate composition (Li et al., 2007), mainly for the continental sector. In the transition zone toward the oceanic crust, southeast of the  $6^\circ \times 4^\circ$  area centered in JUNO (Figure 1), this distinction is less recognizable. The CB shows a general younger trend, from inland to coast, and an increasing occurrence of intrusions (mainly in the upper portion of the crust) moving from northwest to northeast.

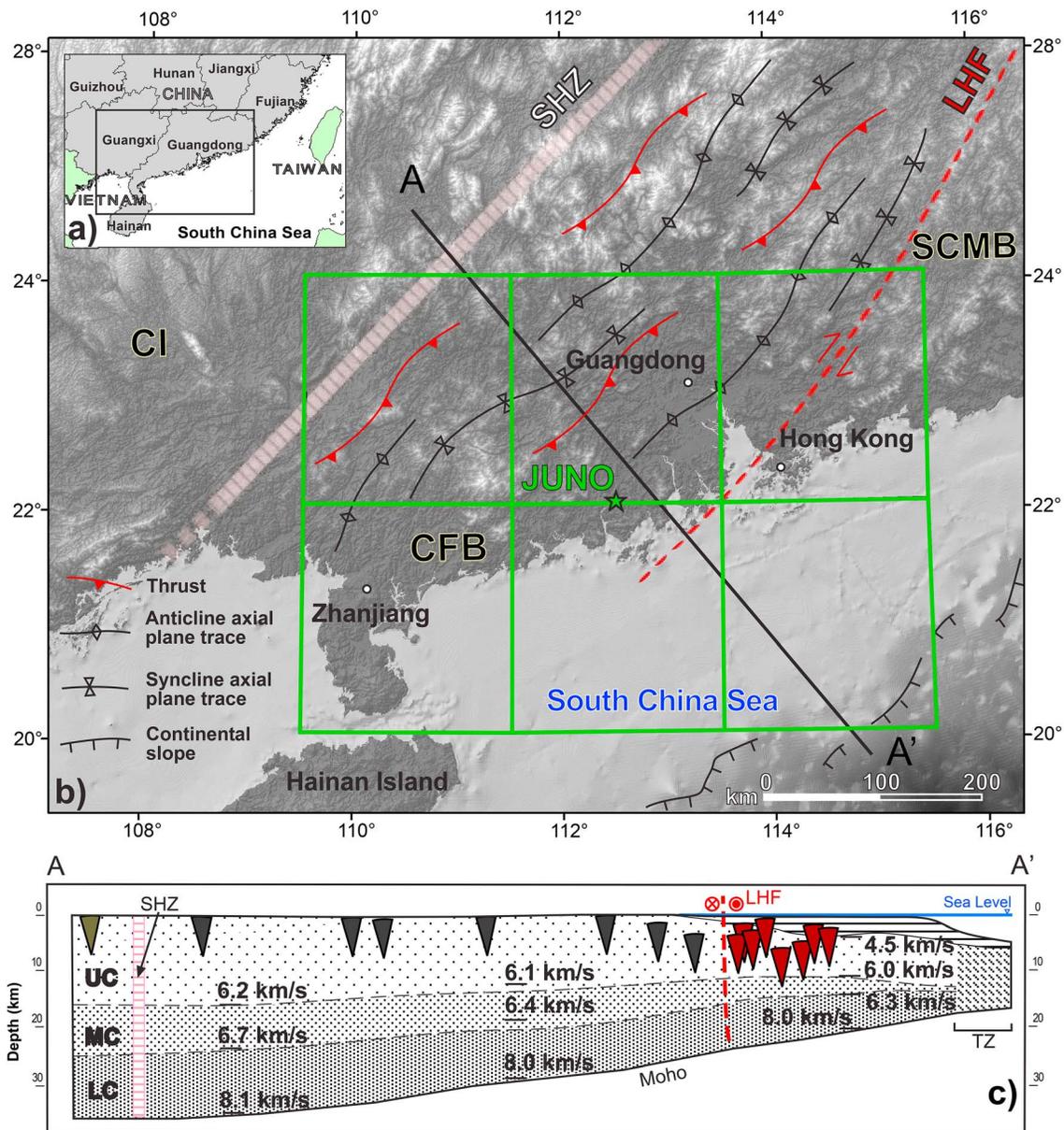
The CB can be subdivided into three parts by two distinct tectonic regional elements (Figure 1), the Shi-Hang Zone (SHZ) and the Lishui-Haifeng Fault (LHF), which from northwest to southeast are the Cathaysia Interior (CI), the Cathaysia Folded Belt (CFB), and the Southeast Coast Magmatic Belt (SCMB) (Chen et al., 2008; Xia et al., 2015). The SHZ has been interpreted as an intra-arc rift (back-arc extensional zone related to the paleo-Pacific plate subduction) that affected the middle to late Jurassic felsic and mafic magmatism in southeast China; it played an important role in the reworking of the crust and lithosphere in the study region (Jiang et al., 2009; Xia et al., 2015). Together with the high-angle strike slip fault (LHF), this element appears to be a discriminating factor for the distribution of Mesozoic magmatic rocks. The Triassic granites are mainly distributed in the CI and CFB, the Cretaceous granitoids in the SCMB, and the Jurassic rocks in the CFB (Chen et al., 2008). The SCMB consists of intermediate to mafic compositions, compared to the felsic compositions in the CFB and the CI (Xia et al., 2015). We emphasize that the CB is characterized by the exposition of widespread Mesozoic granitic and volcanic rocks, particularly in the coastal area, and by a slightly decreasing degree of acidity moving from west to east.

## 3. Geophysical Data Sets

As our final model assumes a layered crust and a one-layer uppermost mantle, we defined the following surfaces: the topography/bathymetry, the bottom of sediments (i.e., the Top of the Upper Crust (TUC)), the Top of the Middle Crust (TMC), the Top of the Lower Crust (TLC), the Moho Discontinuity (MD), and a horizon with a constant depth of 50 km, which is the bottom of the model.

Constraints for the definition of the crustal model were obtained from published studies including Deep Seismic Sounding profiles (DSS), Receiver Functions (RF), teleseismic  $P$  wave velocity models, and Moho depth maps (Figure 2). The inputs and their corresponding uncertainty are summarized in Tables S1 and S2 of the supporting information, which details the criteria used for the selection, interpretation, and implementation of the data in the a priori model.

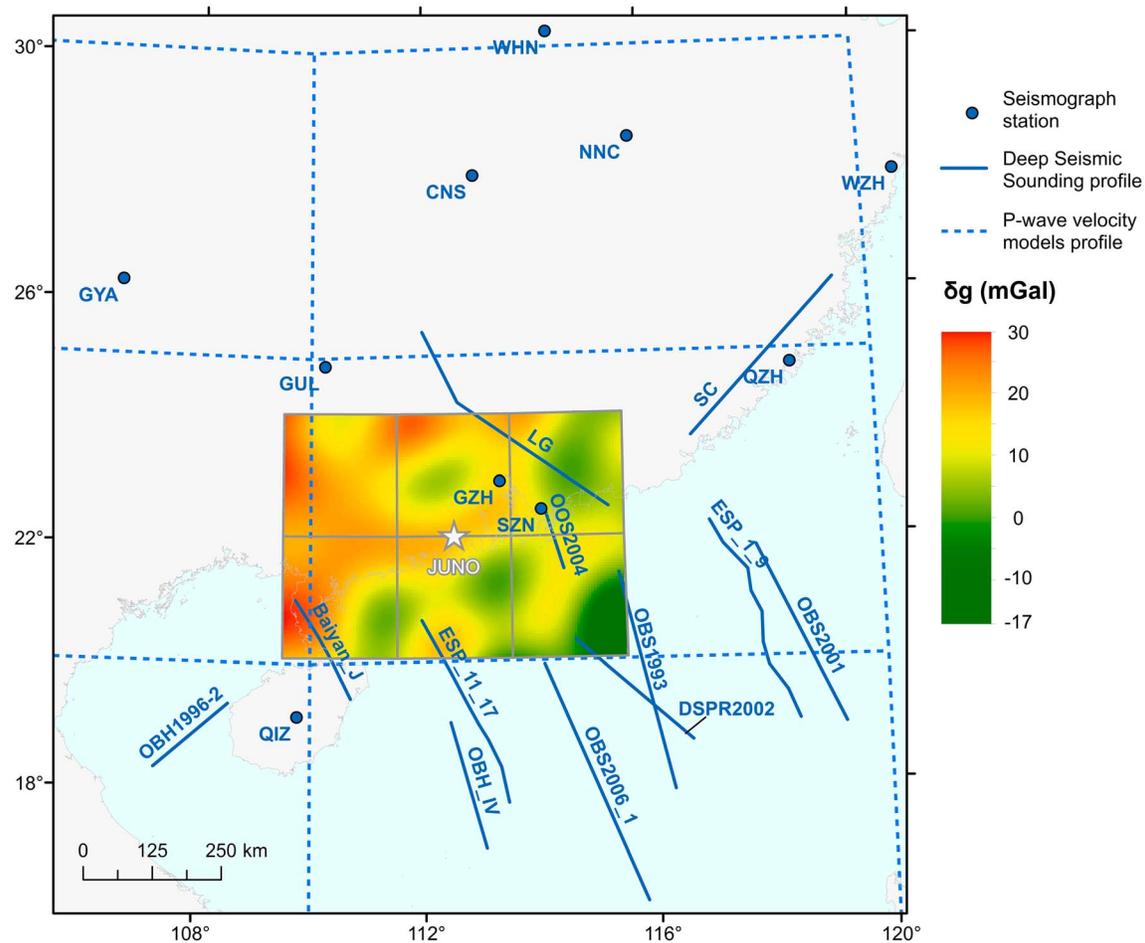
The  $P$  wave velocities for the different crustal layers were obtained from DSS belonging to 12 seismic profiles (Figure 2). The  $P$  wave velocity contours of each model were used as benchmarks for the depth of the



**Figure 1.** (a) Location map of the study area outlined with a black rectangle. (b) Simplified tectonic map of the region in which the JUNO detector will be located (green star): the tectonic partition of the Cathaysia Block is divided into three parts, the Cathaysia Interior (CI), the Cathaysia Fold Belt (CFB), and the Southeast Coast Magmatic Belt (SCMB), on the basis of two regional geological features, the Shi-Hang Zone (SHZ) and the Lishui-Haifeng Fault (LHF; modified after Chen et al., 2008). The 3-D regional crustal model refers to the  $6^{\circ} \times 4^{\circ}$  area (depicted with green rectangles) centered at JUNO. (c) Schematic crustal cross section showing the vertical layer distribution (UC = Upper Crust; MC = Middle Crust; LC = Lower Crust) inferred from seismic data on the basis of average *P* wave velocity. A lateral variation moving to the Transition Zone (TZ) toward the oceanic crust is visible. The top layer (parallel black lines) represents the sedimentary cover (Sinian-Mesozoic). The colored triangles highlight the increasing and typically younger trend of the intrusion from northwest to southeast; in green the Triassic intrusions, in black the Jurassic ones, and in red the Cretaceous ones. The LHF has been interpreted as a regional strike-slip fault with right movement and limited to the lower crust (modified after Zhou et al., 2006). JUNO = Jiangmen Underground Neutrino Observatory.

modeled geophysical surfaces. The  $3\sigma$  MD uncertainty associated to each DSS profiles was estimated by considering the picking error ( $1\sigma$ ) from each reference paper (Table S2). The uncertainties for the TLC and TMC were subdivided into two quality classes based on the clarity of the corresponding velocity contour during the digitalization (Table S2).

Additional punctual constraints for the MD come from 10 teleseismic stations, 2 located inside and 8 outside the study area (Figure 2). As the MD information from the stations was provided according to different



**Figure 2.** Geophysical input data used for the construction of the 3-D model in the  $6^\circ \times 4^\circ$  area centered at the JUNO detector location ( $22^\circ 07' 05''$ N,  $112^\circ 31' 05''$ E; An et al., 2016). Deep seismic sounding profiles, *P* wave velocity profiles, and locations of seismograph stations correspond to the input seismic data used to build the a priori model for the inversion of gravimetric data. The raw observations of gravimetric disturbances ( $\delta g$ ) are represented as a continuous grid with  $5 \text{ km} \times 5 \text{ km}$  resolution. JUNO = Jiangmen Underground Neutrino Observatory.

analysis methods (Tkalčić et al., 2011), the  $3\sigma$  MD uncertainty was estimated by accounting for both the individual uncertainty of each method and the variability of the different MD data (Table S2).

We further used a 3-D *P* wave velocity model from Sun and Toksöz (2006). The  $3\sigma$  MD uncertainty was estimated on the basis of the standard deviation of the travel time of the final model and on the basis of the mean velocity in the LC.

Finally, three Moho depth maps were adapted from Hao et al. (2014), He et al. (2013), and Xia et al. (2015) and provided in the construction of the a priori model as regular grids with  $10 \text{ km} \times 10 \text{ km}$  horizontal resolution.

#### 4. Bayesian Gravity Inversion

In the next sections, the method of the gravity inversion in the JUNO area will be shown. The Bayesian mathematical model of the problem is presented, including some additional constraints that can be put on the solution, together with the gravity data and the a priori information that were provided as input to the mathematical model.

##### 4.1. Target Function of the Gravity Inversion Problem

The investigated volume was split into voxels,  $V_i$ , with index  $i = 1, 2, \dots, N$ . Each voxel is a regular prism with a fixed size, and it is described by two parameters: a label  $L_i$ , denoting the material constituting the voxel (e.g.,

UC, MC, and LC), and a mass density  $\rho_i$  that is assumed constant inside the voxel volume. The prisms were disposed on a regular grid in Cartesian coordinates, and the forward modeling was performed in planar approximation. This geometry allowed easily introducing neighborhood relationships that will be discussed later.

The inversion algorithm is based on the Bayes theorem:

$$P(\mathbf{x}|\mathbf{y}) \propto \mathcal{L}(\mathbf{y}|\mathbf{x})P(\mathbf{x}) \quad (1)$$

where  $\mathbf{y}$  is the vector of observables, namely the gravity signal,  $\mathbf{x}$  is the vector of parameters  $\mathbf{L}$ ,  $\rho$  for all voxels,  $P(\mathbf{x}|\mathbf{y})$  and  $P(\mathbf{x})$  are the posterior and the prior distribution, respectively, and  $\mathcal{L}(\mathbf{y}|\mathbf{x})$  is the likelihood. Since gravity is observed, the likelihood represents the degree of fit between the observed signal  $\mathbf{y}_o$  and the modeled one  $\mathbf{y}(\mathbf{x})$ . Its distribution was derived from the assumption that the observation noise  $\nu$  is normal, namely:

$$\mathcal{L}(\mathbf{y} = \mathbf{y}_o|\mathbf{x}) \propto \exp \left\{ -\frac{1}{2} [\mathbf{y}_o - \mathbf{y}(\mathbf{x})]^T \mathbf{C}_{\nu\nu}^{-1} [\mathbf{y}_o - \mathbf{y}(\mathbf{x})] \right\} \quad (2)$$

with  $\mathbf{C}_{\nu\nu}$ , the noise covariance matrix. It is worth to notice that, even if theoretically  $\mathbf{y}(\mathbf{x})$  depends on the full set of parameters, in this case it depends directly on the full set of densities  $\rho$  only. The other parameters, namely the labels  $\mathbf{L}$ , act indirectly through the prior distribution.

The prior distribution was defined by considering the available geophysical information on the study region, integrated with some regularization conditions. This information was supplied to the algorithm in the following way:

1. a range of variation of each boundary surface between two layers with different labels;
2. neighborhood rules between the possible couple of labels;
3. the density of each material, namely of each label, in terms of the most probable value and its range of variation.

The shape of the prior distribution was chosen to highlight the dependency of each density  $\rho_i$  on the label  $L_i$ :

$$P(\mathbf{x}) = \prod_{i=1}^N P(\rho_i|L_i) \cdot P(\mathbf{L}) \quad (3)$$

The density of each voxel  $\rho_i$  was assumed to be normally distributed once the label  $L_i$  was given:

$$P(\rho_i|L_i) \propto \exp \left\{ -\frac{(\rho - \mu_\rho(L_i))^2}{2\sigma_\rho^2(L_i)} \right\} \quad (4)$$

where the mean  $\mu_\rho(L_i)$  and the variance  $\sigma_\rho^2(L_i)$  were given as a priori information.

On the other hand, the labels  $\mathbf{L}$  were modeled as a Markov Random Field. Therefore, their probability distribution assumed the shape of a Gibbs distribution, where the energy is the sum of the clique potential (Azencott, 1988):

$$P(\mathbf{L}) \propto \exp \left\{ -\frac{1}{2} \gamma \sum_{i=1}^N s_i^2(L_i) - \frac{1}{2} \lambda \sum_{i=1}^N \sum_{j \in \Delta_i} q^2(L_i, L_j) \right\} \quad (5)$$

where  $s_i^2(L_i)$  and  $q^2(L_i, L_j)$  are two penalty functions defining and weighting the admissible labels for each voxel  $i$  and for its neighbor  $\Delta_i$ , respectively, and  $\gamma$  and  $\lambda$  are the relative weights between these two penalty functions. The most probable label realization is the one with the smallest overall penalty.

The function  $s_i^2(L_i)$  was used to define the limits of the boundary surfaces between two layers. In particular, it is equal to 0 if the label  $L_i$  is admissible for the voxel  $i$ ; otherwise it is equal to  $+\infty$ , namely the highest penalty value. This setup implies that the value of the weight  $\gamma$  is irrelevant.

The function  $q^2(L_i, L_j)$  was used to define neighborhood rules between different materials, thus controlling the smoothness of the boundary surfaces and preventing layers with null thickness. In particular, it is equal to 0 if the neighbors labels  $L_i$  and  $L_j$  are the same, equal to 1 if they are different but their closeness is admissible, and equal to  $+\infty$  if they are different and they cannot even be one close to the other. According to this definition, the higher is the value of the weight  $\lambda$ , the higher is the penalty for different neighbor labels, and therefore the higher is the smoothness imposed to the boundary surfaces.

Combining equations (2)–(5) into equation (1), the posterior distribution was derived. Then, invoking the maximum a posteriori principle, the most probable set of labels and densities were chosen as the solution. This corresponds to finding the minimum of the following target function:

$$F(\boldsymbol{\rho}, \mathbf{L} | \mathbf{y}_o) = [\mathbf{y}_o - \mathbf{y}(\mathbf{x})]^T \mathbf{C}_w^{-1} [\mathbf{y}_o - \mathbf{y}(\mathbf{x})] + \eta \sum_{i=1}^N \frac{(\rho - \mu_\rho(L_i))^2}{\sigma_\rho^2(L_i)} + \gamma \sum_{i=1}^N s_i^2(L_i) + \lambda \sum_{i=1}^N \sum_{j \in \Delta_i} q^2(L_i, L_j) \quad (6)$$

where the additional weight  $\eta$  is equal to the ratio between the number of observations and the number of voxels. Its introduction into the target function is to balance the magnitude of the contributions due to the gravity residuals and the density variations from the mean. The minimum was retrieved by using a stochastic optimization method, namely a simulated annealing aided by a Gibbs Sampler (Robert & Casella, 2004).

#### 4.2. Constraints on the Solution Domain

The minimization of equation (6) can lead to a solution of the inverse gravimetric problem that is optimal from the mathematical point of view but with a questionable physical meaning. The idea to overcome this drawback is to restrict the domain of the acceptable densities, so as to guarantee the plausibility of the solution. In addition, this restriction has the benefit of numerically stabilizing the minimization process.

The first weak point of the mathematical model defined in section 4.1 is that the prior distribution of the voxel density given the label is normal (see equation (4)). This is an advantage for the computation of the posterior distribution but does not correspond to the reality, since generally each material has a finite density range (Telford et al., 1990). Although very unlikely, some unphysical density values may be attributed to a subset of voxels in order to minimize equation (6). The proposed solution is to choose  $[\mu_\rho(L_i) - 3\sigma_\rho(L_i), \mu_\rho(L_i) + 3\sigma_\rho(L_i)]$  as the admissible density range for the label  $L_i$ . The solution of equation (6) is then searched into the hyperparallelogram defined by the Cartesian product of the  $6\sigma_\rho(L_i)$  density ranges of all the voxels  $i$ . The sides of this hyperparallelogram can be reduced by introducing a scaling factor  $\alpha_\rho$  ( $0 \leq \alpha_\rho \leq 1$ ) of the density standard deviations  $\sigma_\rho(L_i)$ . This further restriction is useful to reduce the density variability inside each layer of the solution of the inverse gravimetric problem as gravity data could be equally well fitted by a concentrated or a disperse density model. The former is here preferred, and its selection is obtained by decreasing the value of  $\alpha_\rho$ .

Another weakness of the mathematical model defined in section 4.1 is that, given the labels, the voxel densities are independent of one another (see equation (3)). This means that a rough density model with sharp variations between close voxels is a very likely solution of the inverse gravimetric model, because the gravity fitting is reached by freely adapting the densities and maintaining very smooth boundary surfaces between layers. To avoid this result, the simplest approach would be the introduction of a nondiagonal density covariance matrix  $\mathbf{C}_{\rho\rho}$  into equation (3). However, this choice would have severe computational implications in the stochastic minimization of the resulting target function. For this reason, the solution domain is restricted by adding some constraints on the lateral and vertical variation of the density inside each layer, which is an alternative (deterministic) way of introducing a density spatial correlation. The maximum admissible values of the lateral and vertical density variations are respectively defined by two scale factors  $\alpha_\ell$  and  $\alpha_v$  ( $0 \leq \alpha_\ell \leq 1$ ,  $0 \leq \alpha_v \leq 1$ ) of the rescaled density ranges, which are equal to  $\alpha_\rho \cdot 6\sigma_\rho(L_i)$ . A further restriction of the solution domain is applied to force a density increasing (UC, MC, and LC) or decreasing (uppermost mantle layer) trend with depth inside each layer, which is well justified from the geological point of view.

As the minimization procedure is based on a Gibbs sampler, the presented constraints were not simultaneously applied to the joint density distribution of all the voxels but were sequentially applied to the conditional density distribution of each voxel given the others, making the evaluation of the solution domain much easier.

Finally, it should be noted that the normalization constant of the posterior distribution does depend on the shape of the density domain and consequently on the parameters  $\alpha_p$ ,  $\alpha_e$ , and  $\alpha_v$ . Since this normalization constant has not a simple analytical expression and its numerical evaluation would significantly increase the computational burden of the whole minimization procedure, it was not included into the target function of equation (6). This implies that the target function cannot be used to compare solutions based on different values of the parameters  $\alpha_p$ ,  $\alpha_e$ , and  $\alpha_v$ . This is also the reason why these parameters were a priori fixed and were not considered as random variables (hyperparameters) with their own prior distributions.

### 4.3. Gravity Data

The voxel model to be estimated was chosen with a horizontal resolution of  $50 \text{ km} \times 50 \text{ km}$  and a vertical one of 100 m. The horizontal resolution was designed according to the requirements for the geoneutrino flux computation, while the vertical one was chosen as a trade-off between gravity sensibility and expected variability of the sediments boundary surfaces.

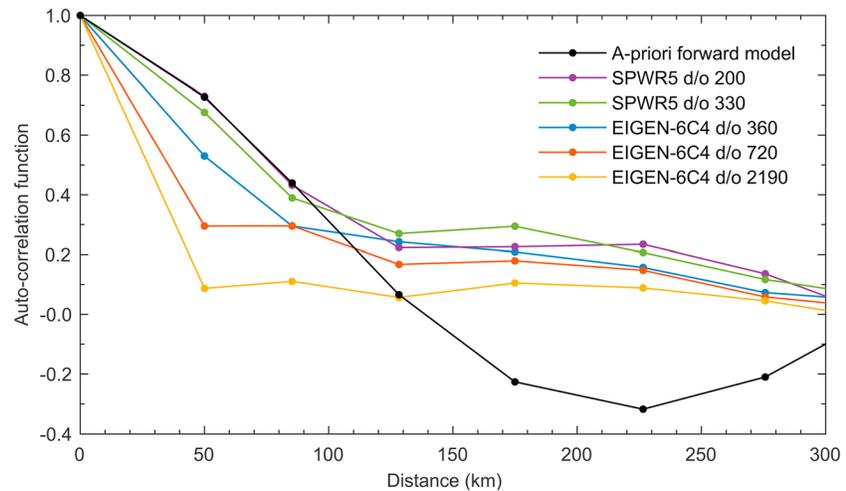
Given these geometrical parameters, the observations to be inverted were the gravity anomalies synthesized from a global gravity model on a grid of 50 km horizontal resolution, namely the same as the voxel model, at an ellipsoidal height of 600 m, guaranteeing to be as close as possible to the topography but outside masses. The global gravity model was chosen between a satellite-only solution, with the advantage of being computed by homogeneous data, and a combined solution, having a higher spectral resolution. In particular, the latest release of the GOCE-only space-wise model up to degree and order 330 (Gatti & Reguzzoni, 2017; Reguzzoni & Tselfes, 2009) and the combined EIGEN-6C4 model up to degree and order 2190 (Förste et al., 2014; Shako et al., 2014) were considered. The choice was performed by comparing the empirical autocorrelation function of the gravity disturbances synthesized from these two models (up to different degrees and orders) with the one of the forward signal of the a priori most probable model of the region. To avoid the introduction of useless high frequencies that cannot be interpreted by a voxel model with the given geometrical resolution, the observed and a priori signal should have a similar stochastic behavior. Figure 3 shows that the correlation length of the GOCE-only space-wise model (SPWR5) truncated at degree and order 200 is very similar to the one of the signal generated by the a priori model; therefore, this was the chosen model for the observation synthesis. The corresponding commission error is of the order of 1 mGal ( $10^{-5} \text{ m/s}^2$ ) for the whole study area, considering a diagonal noise covariance matrix in equation (2).

### 4.4. Prior Crustal Model

The geophysical inputs shown in section 3 were used to define the prior distribution in equation (3), providing geometrical and density information. Note that all the voxels above the TUC surface have fixed labels and density because topography and bathymetry were taken from the GEBCO08 1 min grid (Monahan, 2008), while the sedimentary layers were taken from the CRUST 1.0 model (Laske et al., 2013).

The a priori geometrical information entered as the admissible depth ranges of the TMC, TLC, and MD. These ranges were computed by using the available geophysical data and their uncertainties (Figure 2). In the areas lacking in local seismic information, an additional input was given by the Refined Earth Reference Model (Huang et al., 2013), hereafter RRM, which provides the thickness with the corresponding uncertainty of the crustal layers at  $1^\circ \times 1^\circ$  spatial resolution. The depth data were first interpolated on the knots of the planimetric grid defined by the voxel model, and then a range of 2 times the  $3\sigma$  uncertainties (taken from Table S2) was opened around each depth value. Since there were many data sources, namely DSS, RF, teleseismic, depth maps, and the RRM global model, the computation of a unique depth range for each knot and for each surface was required. This was performed by first joining depth ranges from the same sources and then intersecting the resulting ranges from different sources. The output was the admissible depth range of each boundary that is used to set up the penalty function  $s_i^2(L_i)$  (see equation (5)).

Concerning the a priori density information to be used in equation (4), the mean and standard deviation of UC, MC, and LC were defined as  $(2,660 \pm 80) \text{ kg/m}^3$ ,  $(2,820 \pm 20) \text{ kg/m}^3$ , and  $(2,980 \pm 60) \text{ kg/m}^3$ ,



**Figure 3.** Empirical autocorrelation functions of the gravity disturbances synthesized from two global models truncated at different degrees and orders (d/o), compared to the autocorrelation function of the forward signal of the a priori model. The correlation length was used as the figure of merit to choose the model adopted for the generation of the signal to be inverted.

respectively. These density values reproduce the statistics of the CRUST 1.0 global values, integrated with local values inferred from DSS seismic velocity data and the relationship between  $P$  wave velocity and density given by Christensen and Mooney (1995). The uppermost mantle layer is a portion of the continental lithospheric mantle designed with a mean density decreasing in depth according to the PREM model (Dziewonski & Anderson, 1981) and a standard deviation of  $100 \text{ kg/m}^3$ .

Finally, an initial model was determined as a starting point for the simulated annealing. The boundary surfaces of this initial model were estimated through a regularized least squares adjustment of the geophysical inputs, disregarding the contribution of the gravity observations. These surfaces laid into the previously defined depth ranges and were as smooth as possible. The layer densities of each layer were fixed to the previously defined mean values. Since this initial model is seismic driven and gravity independent, it can be seen as a prior crustal model and can be also used to quantify the improvement brought by the gravity information to the final solution through the application of the Bayesian inversion, as discussed in section 5.3.

Note that the gravity data cover an area of  $6^\circ \times 4^\circ$  as well as the final solution, but the inversion was actually performed on an area larger by a border of  $3^\circ$ . In this border, the initial model has the RRM boundary surfaces, properly adjusted to the available seismic profiles (see Figure 2), and the same homogeneous layer densities of the  $6^\circ \times 4^\circ$  area. Moreover, the forward modeling required for the computation of the likelihood (equation (2)) is based on an enlarged crustal model by a further border of  $3^\circ$ . This border is fixed to the RRM geometry and density distribution, with the aim of linking the inversion solution to a realistic, although approximate, crustal model. All these precautions in extending the working area have the main goal of making the final model much more robust against border effects, especially because of its small size of  $6^\circ \times 4^\circ$ .

## 5. The GIGJ Model

In the following sections the selection criteria for choosing the best gravimetric solution are presented together with the output GIGJ model (GOCE Inversion for Geoneutrinos at JUNO) and geometry and density uncertainties of the crustal structure. The GIGJ model is further compared with the prior model and existing global crustal models.

### 5.1. Finding the Best Gravimetric Solution

The final model was estimated by minimizing the target function of equation (6) for different sets of input parameters. In particular, the geometry smoothness was controlled by the value of the weight  $\lambda$ , the only free parameter of equation (6), while the density variability and smoothness were controlled by the

parameters  $\alpha_\rho$ ,  $\alpha_\ell$ , and  $\alpha_v$  through the solution domain restriction (see section 4.2). The considered values were the following:

1.  $\lambda = \bar{\lambda}, 10 \bar{\lambda}, 100 \bar{\lambda}, 1000 \bar{\lambda}, 10000 \bar{\lambda}$ ;
2.  $\alpha_\rho = 0.05, 0.10, 0.15, 0.20, 0.25, 0.50, 0.75, 1.00$ ;
3.  $\alpha_\ell = 0.05, 0.10, 0.15, 0.20, 0.50$ ;
4.  $\alpha_v = 0.05, 0.10, 0.15, 0.20, 0.50$ ;

where  $\bar{\lambda} = 4 \times 10^{-3}$  was empirically computed from the prior model. Overall, this led to  $10^3$  possible combinations of the input parameters for which the solution has to be retrieved. The computational burden of each solution was about 30 min on a standard personal computer, translating into about 3 days of computation by simultaneously running multiple processes on different machines.

An assessment of the different estimated models was performed to choose the best solution. A direct comparison of the target function values (equation (6)) was not useful, because of the missing normalization. Therefore, four indexes per each estimated solution were computed, which are  $\sigma_g$ ,  $r_\ell$ ,  $r_v$ , and  $m$ .

The  $\sigma_g$  index evaluates the quality of the gravity fitting as the standard deviation of the residuals:

$$\sigma_g = \sqrt{\frac{1}{N_o} [\mathbf{y}_o - \mathbf{y}(\rho)]^T [\mathbf{y}_o - \mathbf{y}(\rho)]} \quad (7)$$

where  $N_o$  is the number of observations.

Concerning the density smoothness, two quality indexes,  $r_\ell$  and  $r_v$ , were introduced to separately evaluate the lateral and vertical density variations, respectively. They were computed as the root-mean-square (RMS) of the maximum density differences between a voxel and its (horizontal or vertical) neighbors, namely:

$$r_k = \sqrt{\frac{1}{N} \sum_{i=1}^N \left( \max_{j \in \Delta_i^k} |\rho_i - \rho_j| \right)^2} \quad k = \ell, v \quad (8)$$

where  $N$  is the number of voxels and  $\Delta_i^k$  is the horizontal ( $k = \ell$ ) or vertical ( $k = v$ ) neighborhood of the voxel  $i$ .

As for the geometry smoothness, the estimated models were first translated in terms of discontinuity surfaces (i.e., TMC, TLC, and MD) and then the quality index  $m$  was computed as the RMS of the maximum slopes between a voxel and its neighbors, namely:

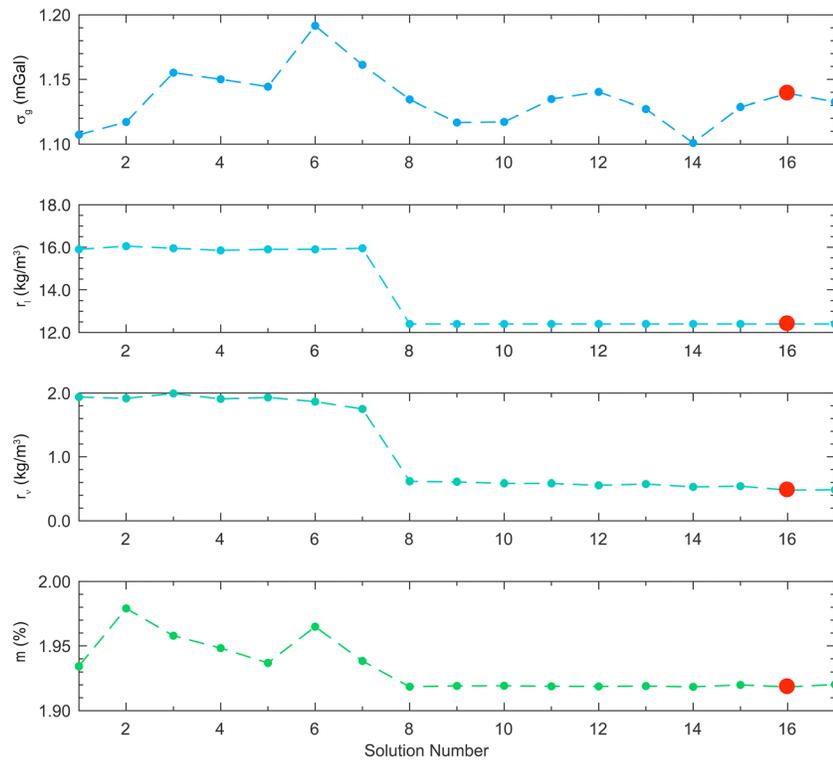
$$m = \sqrt{\frac{1}{3n} \sum_{j=1}^3 \sum_{i=1}^n \left( \max_{j \in \Delta_i} \left| \frac{z_i^h - z_j^h}{d_{ij}} \right| \right)^2} \quad (9)$$

where  $n$  is the number of knot of each surface,  $\Delta_i$  is the neighborhood of each voxel  $i$ ,  $z^h$  is the depth of the surface  $h$  ( $1 = \text{TMC}$ ,  $2 = \text{TLC}$ ,  $3 = \text{MD}$ ), and  $d_{ij}$  is the horizontal distance between the voxels  $i$  and  $j$ .

The best solution was chosen according to a two-step procedure. First, the solutions were filtered by imposing the following selection criteria:

1. standard deviation of the gravity residuals  $\sigma_g$  inside the range  $(1.0 \pm 0.2)$  mGal to be compatible with the observation accuracy;
2. RMS of the maximum slopes  $m$  smaller than 2%; this threshold was chosen by rounding up the value of this index computed for the prior model used as starting point of the simulated annealing, which is equal to 1.89%.

The idea behind these two criteria was to look for a solution that is almost as smooth as the prior one but, differently from it, is able to fit the gravity observations. No constraints were put on the RMS of the maximum lateral and vertical density differences  $r_\ell$  and  $r_v$ . Note that only an upper bound to  $\sigma_g$  would have been strictly required to guarantee a proper gravity fitting. However, in order to obtain smaller gravity residuals, the algorithm would have produced solutions with stronger density variations among neighbor voxels, thus requiring the introduction of constraints on  $r_\ell$  and  $r_v$ . Since these constraints would have been difficult to calibrate, this situation was avoided by setting a lower bound to  $\sigma_g$ .



**Figure 4.** Values of the quality indexes defined in equations (7)–(9) for the filtered solutions, which were 17 out of 1000.

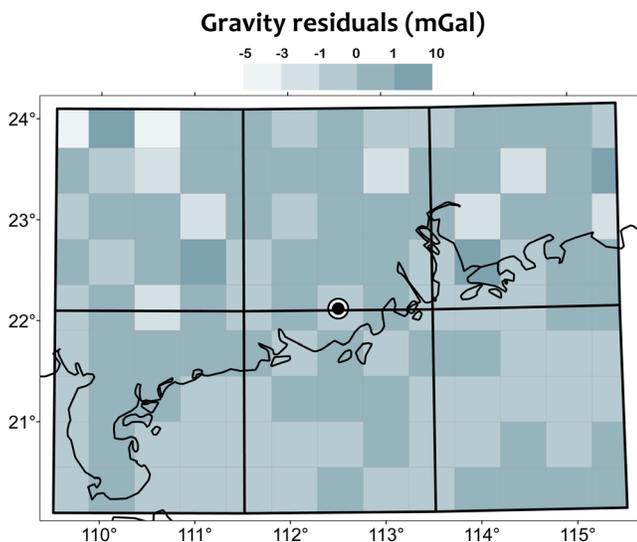
The filtering procedure was passed by 17 solutions only, for which the values of the four indexes are shown in Figure 4. All 17 solutions were fully consistent with the gravity observation accuracy in terms of  $\sigma_g$ . The best solution was then selected as the one for which the vector of the three indexes  $r_\ell$ ,  $r_v$ , and  $m$  has the minimum norm, after a proper normalization, namely, the number 16 of the filtered set (Figure 4) corresponding to  $\lambda = 1000\bar{\lambda}$ ,  $\alpha_\rho = 0.2$ ,  $\alpha_\ell = 0.2$ , and  $\alpha_v = 0.05$ . Indeed, each of the three indexes is minimized by this solution, making their normalization irrelevant.

From now on, the selected model is called GIGJ. Its gravity fitting is displayed in Figure 5, while its geometry and density distributions are shown in Figures 6 and 7, respectively. As expected, the GIGJ crustal model exhibits a thinning of the crust moving from the continental area toward the oceanic region (i.e., along the northwest to southeast direction; Figure 6), together with a higher spatial variability of the UC density with respect to the MC and LC layers (Figure 7).

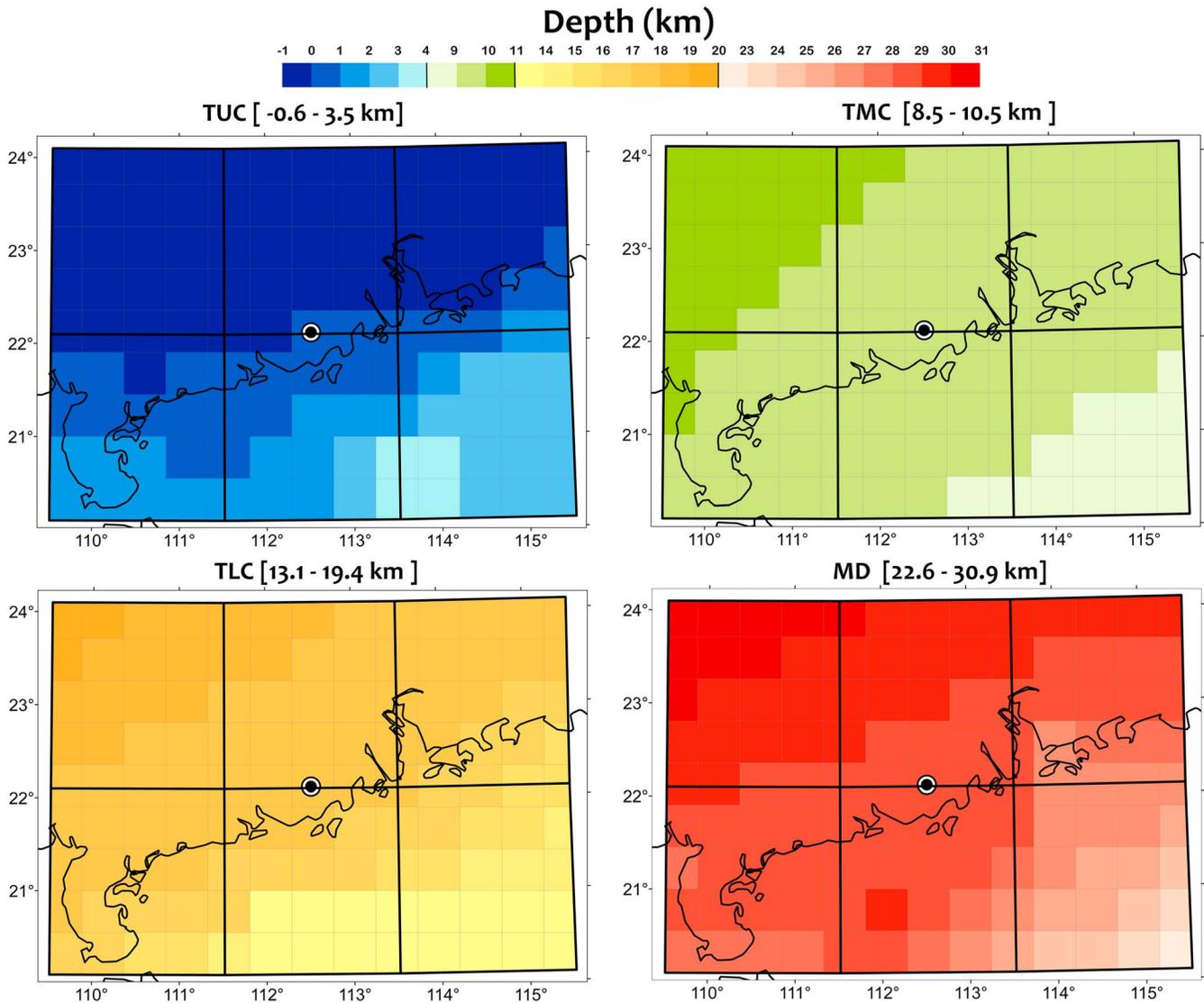
### 5.2. Model Uncertainties

With the aim of estimating the geophysical contribution to the geoneutrino signal uncertainty for each crustal layer, the overall mass uncertainty was calculated for the GIGJ solution. It comprises an estimation error component associated to the solution of the inverse gravimetric problem and a systematic error component due to the adoption of a fixed sedimentary layer (Table 1).

The output of the GIGJ solution is made up of  $\sim 46 \times 10^3$  voxels, each one assigned with density and label values. The joint posterior distribution  $P(\rho, \mathbf{L} | \mathbf{y}_o)$  of all the voxels cannot be evaluated, neither analytically nor numerically. Therefore, the estimation error component of GIGJ was split into a density and a geometry contribution, both estimated by sample



**Figure 5.** Gravity residuals of the GIGJ model.



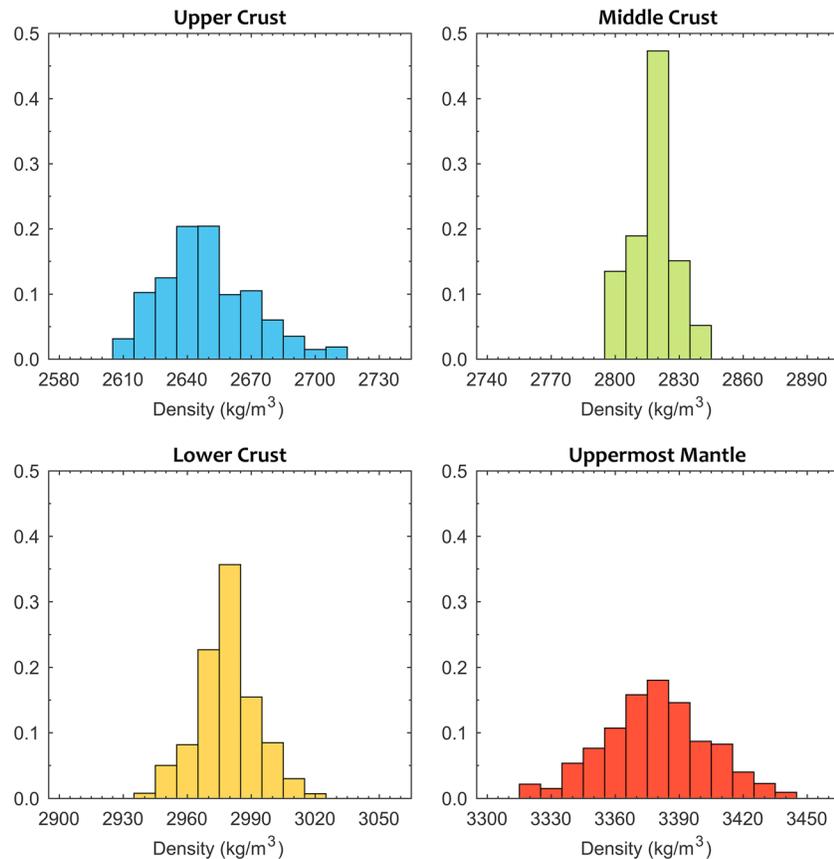
**Figure 6.** Depth maps of the Top of the Upper Crust (TUC), Top of the Middle Crust (TMC), Top of the Lower Crust (TLC), and Moho Discontinuity (MD) for the  $6^\circ \times 4^\circ$  area centered at the JUNO (Jiangmen Underground Neutrino Observatory) detector location. Negative values mean surfaces above the zero level.

statistics on proper marginal distributions of the individual voxels; the sampling procedure was performed by using a Gibbs sampler, starting from the GIGJ solution, keeping fixed the corresponding values of  $\lambda$ ,  $\alpha_\rho$ ,  $\alpha_\ell$ , and  $\alpha_v$ , and drawing about  $3 \times 10^6$  samples.

First of all, the density variability of each voxel  $i$  was evaluated by sampling the marginal distribution  $P(\rho_i | \mathbf{L}_{\text{GIGJ}}, \mathbf{y}_o)$  of the conditional posterior given the GIGJ label realization  $\mathbf{L}_{\text{GIGJ}}$ . The sample density variances were computed for all the voxels and then averaged for each label (first column of Table 1).

Second, the geometrical variability of each voxel  $i$  was evaluated by sampling the marginal posterior distribution  $P(L_i | \mathbf{y}_o)$ . The probability that each voxel has a label different from the one of the GIGJ model was computed and then translated into a “volumetric uncertainty”. This translation was performed by multiplying this probability by the voxel volume and summing over voxels belonging to the same label (second column of Table 1).

The reliability of the GIGJ model also depends on the accuracy of the sedimentary mass, which was a fixed input ( $M_{\text{SED}} = 47.1 \times 10^{16}$  kg) in the a priori model and which is known to be affected by a typical 15% relative uncertainty (Kaban & Mooney, 2001). By increasing (decreasing) the thickness of the sedimentary layers



**Figure 7.** Frequency distributions of the density values for each label of the GIGJ model for the upper crust, middle crust, lower crust, and uppermost mantle. The latter corresponds to the portion of continental lithospheric mantle down to 50 km of depth.

by 15% and by reapplying the inversion algorithm to the modified input data, the corresponding mass decrease (increase) of each crustal layer was computed in order to evaluate the systematic component in the mass uncertainty (Table 1). On the other hand, a density variation on the order of 15% produces a rearrangement of the mass distribution with a negligible overall mass variation of each crustal layer.

The MC presents a higher mass estimation error (2.5%) with respect to the UC (0.3%) and LC (0.7%), as the TUC is assumed to be known and the MD is relatively well marked by seismic information. On the contrary, the systematic component of the mass uncertainty is dominant for the UC (1.4%) and progressively decreases by respectively 1 and 2 orders of magnitude for the MC (0.3%) and the LC (0.03%). Finally, the  $692.0 \times 10^4 \text{ km}^3$  volume of uppermost mantle layer has a mean density of  $3,378.7 \text{ kg/m}^3$ , where the corresponding low estimation error of  $18.6 \text{ kg/m}^3$  results from its fixed bottom horizon.

**Table 1**  
Mean Density and Volume of the Upper Crust (UC), Middle Crust (MC), and Lower Crust (LC) Obtained for the GIGJ Model<sup>a</sup>

	Density ( $\text{kg/m}^3$ )	Volume ( $10^4 \text{ km}^3$ )	Mass ( $10^{16} \text{ kg}$ )
UC	$2,649.3 \pm 7.4$	$263.4 \pm 0.1$	$697.8 \pm 2.2 (\pm 9.6)$
MC	$2,818.0 \pm 5.9$	$207.6 \pm 5.2$	$585.0 \pm 15.8 (\pm 1.9)$
LC	$2,978.7 \pm 10.8$	$336.1 \pm 1.9$	$1,001.1 \pm 9.3 (\pm 0.3)$

<sup>a</sup>The mean density and volume values are reported together with their estimation errors obtained by sample statistics on the marginal posterior distributions of the individual voxels. The relative mass estimation errors for each crustal layer are conservatively calculated summing the relative errors of density and volume, while the systematic uncertainties (in brackets) are obtained by evaluating the impact of a 15% sediment thickness variation.

It is important to underline that the estimated uncertainties in Table 1 do not account for variations of the parameters  $\lambda$ ,  $\alpha_p$ ,  $\alpha_e$ , and  $\alpha_v$  that were fixed to the values of the optimal solution. However, by looking at Figure 4, one can easily realize that all the solutions from 8 to 17 could be considered almost equally smooth according to the three defined indexes, and therefore each of them could be selected as an alternative GIGJ model. This means that they can be used to assess the mass uncertainty depending on the choice of the parameters  $\lambda$ ,  $\alpha_p$ ,  $\alpha_e$ , and  $\alpha_v$ . The UC, MC, and LC mass standard deviations of these 10 solutions is

**Table 2**

Total Geoneutrino Signals  $G_{TOT}$  ( $G_{TOT} = G_U + G_{Th}$ ) in TNU Assuming Unitary Uranium and Thorium Abundances<sup>a</sup>

	Geoneutrino signal with $a_U = 1 \mu\text{g/g}$ and $a_{Th} = 1 \mu\text{g/g}$					
	GIGJ			Prior model	CRUST 1.0	RRM
	$G_U$ (TNU)	$G_{Th}$ (TNU)	$G_{TOT}$ (TNU)	$G_{TOT}$ (TNU)	$G_{TOT}$ (TNU)	$G_{TOT}$ (TNU)
UC	$3.25 \pm 0.05$	$0.223 \pm 0.004$	$3.47 \pm 0.05$	3.47	3.56	$3.72 \pm 0.22$
MC	$1.59 \pm 0.05$	$0.109 \pm 0.003$	$1.70 \pm 0.05$	1.47	2.09	$2.20 \pm 0.11$
LC	$2.03 \pm 0.02$	$0.144 \pm 0.001$	$2.17 \pm 0.02$	2.39	1.73	$1.77 \pm 0.09$

Note. TNU = Terrestrial Neutrino Units; UC = Upper Crust; MC = Middle Crust; LC = Lower Crust.

<sup>a</sup> $G_{TOT}$  values for unitary uranium and thorium abundances are referred to the  $6^\circ \times 4^\circ$  area centered at the Jiangmen Underground Neutrino Observatory detector location.  $G_{TOT}$  was calculated by adopting the GIGJ, CRUST 1.0, and RRM geophysical crustal models. For the GIGJ model the separate uranium ( $G_U$ ) and thorium ( $G_{Th}$ ) signal components are also reported, where the overall relative uncertainty was obtained by summing the estimation error and systematic relative mass uncertainties (Table 1).

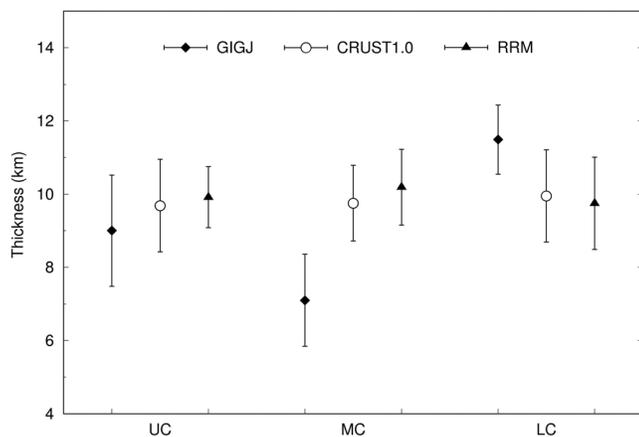
$3.6 \times 10^{16}$  kg,  $11.0 \times 10^{16}$  kg, and  $4.5 \times 10^{16}$  kg, respectively. Comparing these values with those reported in Table 1, the UC is the only layer for which the solution selection induces a variability larger than the GIGJ estimation error. However, this variability is well below the GIGJ systematic error for the UC, thus concluding that the solution selection has no impact in the geoneutrino signal estimates (Table 2).

### 5.3. Model Assessment

The GIGJ solution combines local seismic data to constrain the boundaries of the main geophysical discontinuities together with gravity data to overcome the absence of site-specific information.

From a voxel-by-voxel comparison between the GIGJ solution and the prior model, it results that the additional gravity information modifies the shapes of the boundary surfaces and introduces a density variability inside each layer (Figure 7). Regarding the geometry, the higher discrepancies are observed for the TLC and MD for which the mean  $\pm 1\sigma$  of the differences between the depth of the layer boundary surfaces are equal to  $(410 \pm 560)$  m and  $(110 \pm 380)$  m, with maximum values of 2.2 km and 1.6 km, respectively. Additional gravity data do not change the mean value of crustal density characterizing the prior model but introduce top-to-bottom vertical gradients with mean density variations of  $42.4 \text{ kg/m}^3$ ,  $10.8 \text{ kg/m}^3$ , and  $23.6 \text{ kg/m}^3$  for the UC, MC, and LC, respectively.

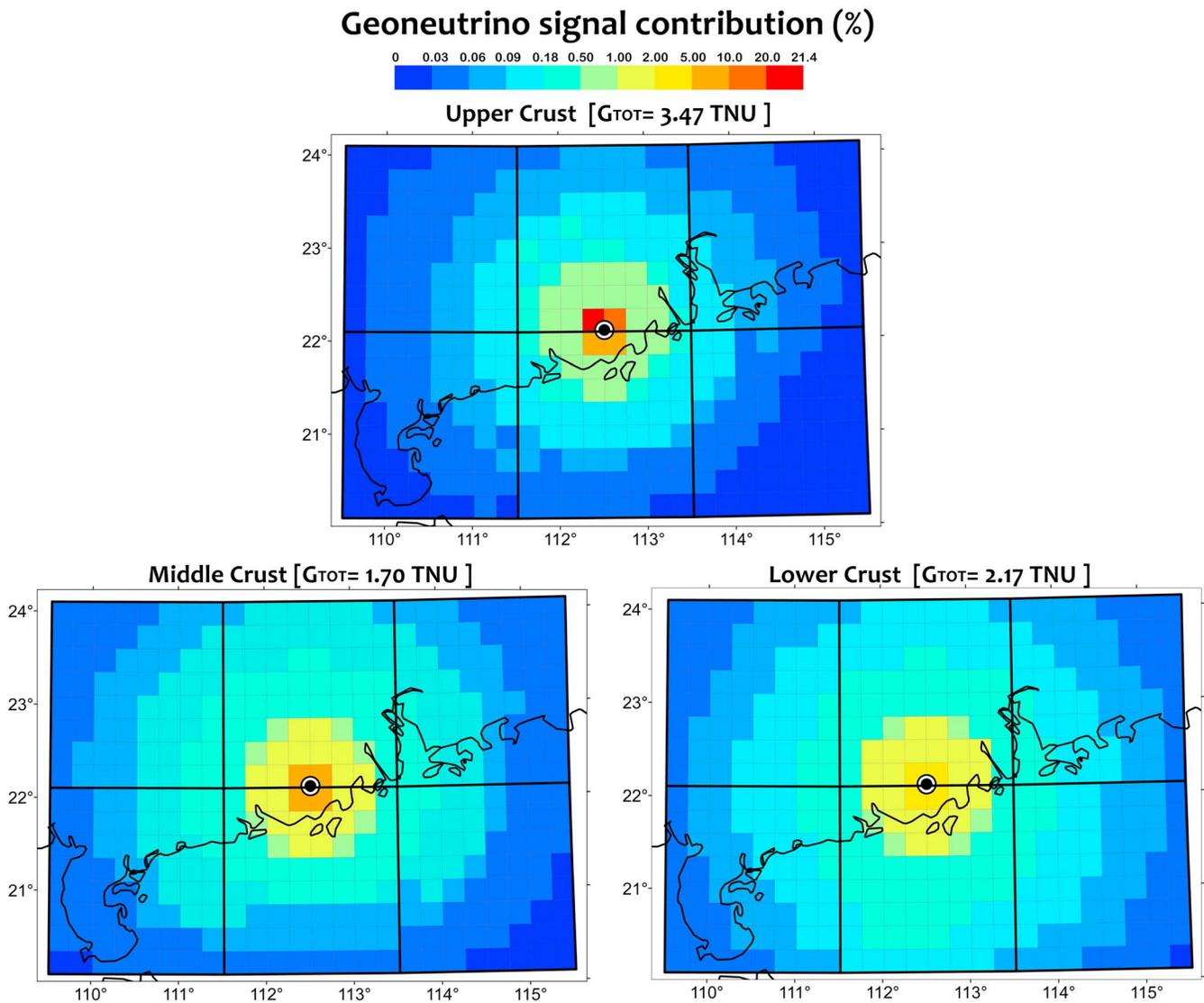
A further assessment was performed by comparing the prior and the final model with respect to the available seismic and gravity observations. The prior model fits the DSS profiles with standard deviations of 2.12 km,



**Figure 8.** Upper Crust (UC), Middle Crust (MC), and Lower Crust (LC) average thicknesses in the  $6^\circ \times 4^\circ$  area centered at JUNO (Jiangmen Underground Neutrino Observatory), together with their standard deviations, for the GIGJ, CRUST 1.0, and RRM models.

2.30 km, and 2.51 km for the TMC, TLC, and MD, respectively, and fits the gravity data set with a standard deviation of the residuals  $\sigma_g = 17.14$  mGal. GIGJ preserves the same level of fitting of the seismic profiles but leads to a gravity interpretation with  $\sigma_g = 1.14$  mGal (Figure 4), fully consistent with the observation noise. Note that a gravity inversion acting only on the geometry of the boundary surfaces without varying the homogeneous densities of the prior model crustal layers, namely acting only on the labels  $L$  of equation (6), is not able to reach the milliGal level gravity fitting with reasonably smooth surfaces. From all these considerations, it can be stated that the Bayesian inversion algorithm played a significant role in the final solution by changing the model geometry and density distribution so as to remain coherent with the seismic information but strongly improving the gravity interpretation.

Thanks to the used local seismic and gravity information, GIGJ is also a significant advance in the modeling of the geophysical structure of the  $6^\circ \times 4^\circ$  area centered at JUNO in comparison with the CRUST 1.0 and RRM global models. Although all these models exhibit similar overall crustal thicknesses as a result of the sharp discontinuity given by the



**Figure 9.** Maps of the Upper Crust, Middle Crust, and Lower Crust percentage contribution to the total geoneutrino signal ( $G_{TOT} = G_U + G_{Th}$ ) for the  $6^\circ \times 4^\circ$  area centered at the JUNO (Jiangmen Underground Neutrino Observatory) detector location. For each panel, 100% of the signal corresponds to the signal generated by the specific crustal layer.

Moho, on average the GIGJ model predicts a 30% thinner MC and a 18% thicker LC with respect to global models (Figure 8).

## 6. Expected Geoneutrino Signal

The three modeled geoneutrino life phases correspond to the production concurrent with beta minus decays along the  $^{238}\text{U}$  and  $^{232}\text{Th}$  decay chains, propagation from the production point to the JUNO location, and detection via the inverse beta decay reaction. The GIGJ model was divided into  $7 \times 10^7$  cells of  $1 \text{ km} \times 1 \text{ km} \times 0.1 \text{ km}$  dimensions, each one assigned with a crustal layer label, an individual density value, and unitary U and Th abundances ( $a_U = 1 \mu\text{g/g}$  and  $a_{Th} = 1 \mu\text{g/g}$ ).

The expected geoneutrino signal linearly scales with the U and Th mass distributed in the crust and depends on the source-detector distance  $r$  by a combined effect of the  $1/4\pi r^2$  spherical scaling factor and the average antineutrino survival probability, which oscillations gradually damp for increasing distance from the experimental site. On the basis of the approach and input parameters described in section 7 of Strati et al. (2017),

we calculated the geoneutrino signal expressed in Terrestrial Neutrino Units (TNU) which correspond to the number of geoneutrino events per  $10^{32}$  free target protons per year.

Table 2 summarizes the UC, MC, and LC geoneutrino signals ( $G_{\text{TOT}} = G_{\text{U}} + G_{\text{Th}}$ ) expected at JUNO calculated with GIGJ, the prior model (see section 4.4), the global CRUST 1.0 and RRM models, always assuming unitary radioisotope abundances.

From the comparison between the signals calculated using the prior and GIGJ models, it is possible to infer that the benefit of using gravity information with the proposed inversion procedure lies in a different repartition of the signal contribution from deep layers (MC and LC), coming from a better understanding of the Earth crustal structure below JUNO. Moreover, the adoption of a Bayesian approach for the inversion of the gravimetric problem allowed for estimating the geoneutrino signal uncertainty for each crustal layer by conservatively summing the estimation error and systematic uncertainty on the layer mass (Table 1).

The UC geoneutrino signal is compatible among the GIGJ and global models at  $1\sigma$  level due to a moderate discrepancy among UC average thicknesses (Figure 8). Nevertheless, the integration of local geophysical input and gravimetric homogenous data according to a Bayesian approach originates a decrease of 77% in the calculated uncertainty on the UC geoneutrino signal. GIGJ predicts a thinner MC and a thicker LC (Figure 8), which implies a reduction ( $\sim 21\%$ ) and an increase ( $\sim 24\%$ ) of the signal with respect to the global models for the MC and LC, respectively. We notice a signal uncertainty reduction of 55% and 78% for MC and LC, respectively, in comparison with the RRM estimates. The significant improvement for the LC can be attributed to the constraint of its bottom surface with consistent local MD depth information used in the a priori model. A refined distinction among the deep crustal layers is a delicate point in the analysis of JUNO geoneutrino data considering that MC and LC are typically characterized by U and Th abundances differing by a factor of  $\sim 2.5$  and  $\sim 13.5$  from that of the UC (Huang et al., 2013).

Figure 9 shows the UC, MC, and LC maps of the relative contribution to the geoneutrino signal given by each  $50 \text{ km} \times 50 \text{ km}$  voxel, normalized to the signal produced by each layer. Focusing on the  $100 \text{ km} \times 100 \text{ km}$  area centered at JUNO, we highlight an evident N-S anisotropy in the UC geoneutrino signal since the two northern voxels originate  $\sim 40\%$  of the UC signal. In the perspective of a geophysical and geochemical refinement, this is a relevant information for planning future surveys as done in Strati et al. (2017).

## 7. Conclusions

A 3-D voxel-wise crustal model beneath the Guangdong province, southeastern China, was built by inverting gravimetric data with the aim of predicting the geoneutrino signal at the JUNO experiment.

The  $6^\circ \times 4^\circ$  area centered at JUNO was studied in the complex tectonic framework of the SCB. During its history, this block experienced the collision of two Neoproterozoic continental crustal blocks, presently recognized in the Yangtze, forming a stable cratonic area, and in the CB, which comprises the offshore continental margin of the SCS. For the first time the heterogeneous information from DSS profiles, RF, teleseismic  $P$  wave velocity models, and Moho depth maps were integrated into a unique and consistent a priori geological model used for the gravimetric inversion, which is based on a Bayesian approach and a stochastic optimization. The method was tuned at the algorithm level by supplying a variation range of each depth surface and of each crustal layer density, which was laterally and vertically constrained. The peculiarity of the solution is that it was chosen as the most probable set of labels and densities by taking into account two penalty functions defining the limits of the boundary surfaces and neighborhood rules between different materials.

GIGJ is a 3-D numerical model constituted by  $\sim 46 \times 10^3$  voxels of  $50 \times 50 \times 0.1 \text{ km}$ , which is provided in ASCII format at this website (<http://www.fe.infn.it/radioactivity/GIGJ>). GIGJ fits homogeneously distributed GOCE gravity data with a standard deviation of the residuals of the order of 1 mGal, compatible with the observation accuracy. The solution is the smoothest one in terms of both density distribution and geometrical shape. While global crustal models (e.g., CRUST 1.0) report for UC, MC, and LC an equal thickness corresponding to 33% of the total crustal thickness, GIGJ provides a site-specific subdivision of the crust (Figure 8). GIGJ predicts  $M_{\text{UC}} = [697.8 \pm 2.2 (\pm 9.6)] \times 10^{16} \text{ kg}$ ,  $M_{\text{MC}} = [585.0 \pm 15.8 (\pm 1.9)] \times 10^{16} \text{ kg}$ , and  $M_{\text{LC}} = [1,001.1 \pm 9.3 (\pm 0.3)] \times 10^{16} \text{ kg}$ , where the estimation errors are associated to the solution of

the inverse gravimetric problem and the systematic uncertainties (in brackets) are related to the adoption of a fixed sedimentary layer.

Regarding geoneutrino signals prediction, the main outcome of this study is the 77%, 55%, and 78% reduction of the UC, MC, and LC signal uncertainty. As a consequence of the rearrangement of the crustal layers thicknesses, we predict a reduction (~21%) and an increase (~24%) of the MC and LC signal, respectively, in comparison with the results obtained from global models. This geophysical refinement has strong implications on the predicted local geoneutrino signal, which, once geochemical abundances are taken into account, is foreseen to be about 50% of the total signal (Strati et al., 2015). In perspective, an uncertainty reduction in the expected crustal geoneutrino signal will enhance the potential of JUNO in distinguishing a mantle geoneutrino signal component and in turn testing different bulk silicate compositional models of the Earth.

This study demonstrates that a Bayesian-based gravimetric inversion applied to reliable satellite data rationally integrated with local geological and seismic information provides a coherent picture of the crustal structure at the natural spatial scale required for geoneutrino studies.

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