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Ph.D. THESIS

ADVANCED COMPUTATIONAL METHODS FOR THE
INVESTIGATION OF BIOPHYSICAL PROPERTIES OF
MACROMOLECULAR PROTEINS

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ABSTRACT

The focus of this thesis is the application of novel advanced computational methods to specifically interpret data from biophysical experiments performed on particular macromolecular structures: microtubules and tubulin.

Microtubules (MTs) are macromolecular protein assemblies with well-known key roles in all eukaryotic cells. It is assumed however that they also have an important role in intercellular communication over long distances, especially in the network of neurons. This feature may explain mechanisms little-known so far, such as the immediate involvement of the entire immune system to local damage, or may help to clarify some unsolved questions about the mind-body problem. Taking into account the connection between structural and physical properties in Carbon Nanotubes (CNTs) and their structural similarity to MTs, our basic assumption in this research was that when tubulin and MTs show different biophysical behaviours, this should be due to the peculiar dynamical organization of MTs.

In order to investigate the biophysical properties of the macromolecular structure object of this study, microtubules and tubulin, an innovative approach has been applied:

- *ad hoc* experimental procedures have been prepared, from which the experimental data have been obtained;

- *ad hoc* computational methods have been developed specifically to interpret the experimental data.

The theoretical assumptions of the computational methods used are based on the theory of dynamic evolution of complex systems and on the properties originating from their self-organization capacity.

The physical properties of birefringence, resonance and superradiance were measured, and data from biophysical experiments were analysed using *ad hoc* computational methods: dynamic simulation of MTs and tubulin was performed, and their level of self-organization was evaluated using artificial neural networks. The results from dynamic simulations were submitted to two different self-organizing artificial neural networks: the first one for the evaluation of specific parameters, and the second one for the evaluation of dynamic attractors. We developed a procedure that processes in the form of attractors the series of winner neurons resulting from the output of the neural network.

Both tubulin and MTs show dynamic stability, but only MTs exhibit a significant behaviour in presence of electric field, in the direction of a stronger structural and spatial organization. The Artificial Intelligence approach supports the experimental evidences at the microscopic level, allowing a more correct and accurate interpretation of the results.

The research we carried out reveals the existence of a dynamic and organized response of MT to electromagnetic fields, which could justify their role in receiving and transmitting information even at long distances. The innovative computational methods implemented in this work revealed to be very useful for the dynamic analysis of such complex structures.

AIM OF THE WORK

This research project aims at the understanding of the anomalous properties of particular biological structures, called microtubules, by means of the synergistic use of computational methods for the analysis of data from biophysical experiments.

In the study of the physical properties and dynamic organization of MTs compared with those of CNTs, it is desired to search and analyze a possible reaction to the electromagnetic field, observing any ability of MTs to absorb or emit like antennas. The MTs, as well as CNTs, may behave as oscillators, and this could make them superreactive receivers able to amplify the signals.

We carried out a set of *in vitro* experiments on MTs and tubulin, in order to evaluate if their different structures could be responsible of different biophysical behaviours and properties. Then we explored the possible meaning of the obtained findings by simulating and comparing the dynamic evolution of MTs, tubulin and CNTs. Molecular Dynamics and physico-chemical simulations were performed, in order to analyse the dynamic evolution of the physical system at the atomic and molecular level.

To study the evolution of the dynamic organization of the examined structures under the influence of electromagnetic fields two different procedures based on Artificial Neural Networks (ANNs) models were developed and applied. The coordinate values xyz of the molecules after dynamic simulation were used as input value for neural networks, whereas the output of the ANNs was analysed by using the occupancy – conflicts method and the attractor's method.

It has been possible to justify the experimental results in light of structural and dynamic models, highlighting the actual existence, so far only a hypothesis, of substantial effects of electromagnetic fields on the dynamic evolution of microtubules. As previously discussed by Albrecht-Buehler, radial microtubules around the centrosome show reduced stability in response to pulsating near-infrared signals of 1 s pulse length (Albrecht-Buehler, 1998). The results are consistent with the interpretation that the centrosome responded to the light by sending signals along its radial array of microtubules whose stability was then altered.

Evidence of anomalous behaviour of microtubules in the presence of electromagnetic field and its explanation in terms of dynamic organization is an important step towards the understanding of the important role of microtubules in cell communication over long distances, since the long-range intracellular communication may explain some of the biological mechanisms still unsolved, both at neuronal and immune system level.

1. INTRODUCTION

1.1 INTRODUCTION TO BIOINFORMATICS

1.1.1 *Definition*

Bioinformatics aims to describe biophysical and biological phenomena from the numerical and statistical point of view, by applying computational methods to problems of biophysics and biology.

In the last years the use of increasingly advanced technologies for the study of biological systems has resulted in huge amounts of data and information, which is greatly amplified because these data represent only very small pieces of larger and more complex systems. All this information represents an invaluable resource for understanding the molecular mechanisms underlying the functioning of cells and organisms, but on the other hand it generates serious issues in terms of their management and interpretation. Because of this reason, along with molecular biology a new branch of computer science has developed: bioinformatics.

The field of bioinformatics is growing rapidly for several reasons. First of all, it is necessary to create, manage and maintain specialized databases able to store the huge amount of data that modern biological research produces thanks to the recent technological progress. Moreover, in addition to archiving data, it is fundamental to automatically mine information from the databases. Bioinformatics is therefore very helpful for biological and biotech research, which can be directed and focused, with considerable reduction in the costs of implementation. Bioinformatics focuses on:

- Providing statistical models valid for the interpretation of data from experiments in molecular biology and biochemistry, to identify trends and numerical laws;
- Creating new models and mathematical tools for analyzing DNA, RNA and proteins to create a set of knowledge concerning the frequency of relevant sequences, their development and possible function;
- Organizing a global knowledge on genome and proteome into suitable databases in order to make such data accessible to all, and optimizing the algorithms for data searching and mining.

The term bioinformatics is also used for the development of computational algorithms that mimic biological processes, such as neural networks or genetic algorithms. The availability of entire genome sequences from different species makes it possible to investigate the function of conserved non-coding regions of DNA. The distribution of data in coding (genes) and non-coding sequences and their subsequent organization in special database for DNA and proteins

are a key objective of bioinformatics (Li et al., 2006.). The development of these databases allows the realization of software for the analysis of nucleotide (DNA and RNA) and protein sequences, such as FASTA (Pearson et al., 1988) and PSI-BLAST (Altschul et al., 1997). These tools greatly facilitate the search for homologous sequences and the understanding of their mutual relations, thus causing an increase of functionally annotated database. There are bioinformatics tools, such as Genebuilder, Grail, GenScan, GenesH, able to predict putative biological functions with a variable degree of accuracy: splicing sites, exons, introns, coding regions, promoters, polyadenylation sites, etc.

With modern so-called "high-throughput" technologies of molecular biology it is possible to determine gene expression of thousands of genes simultaneously in a single experiment: this is called the microarray technology (Eisen et al., 1999; Schena et al., 1995; Hanai et al., 2006). The microarray technology makes use of bioinformatics in several phases: experimental design, annotation of sequences, image and raw data acquisition, data analysis, database mining (Olson et al., 2006). The gene annotation software is web based and allows the viewing, editing and storing of annotations for both prokaryote and eukaryote genomes. The identification of genes and their assignment to functional families is based on several genomic analysis tools: Gene Ontology (GO) classification (Boyle et al., 2004), search for sequences by BLAST, MIAME (Minimal Information About a Microarray Experiment), MAGE-ML (European Bioinformatics Institute), GeneX-Lite (National Center for Genome Resources), Manatee (TIGR), GenMapp (University of California at San Francisco). Image acquisition and analysis is a crucial step in microarray analysis. Dedicated software processes the fluorescence data from the array image: TIFF files created by scanners are read and, through the semi-automatic construction of a grid, the area of the slide containing the spots is defined. Two different methods for segmentation (histogram method and Otsu segmentation) are available to define the boundary between each spot and local background. The intensity of the spots is counted as integral of not-saturated pixels, or by calculating the value of the median or the average of the spot. Local background subtraction is then applied to each value. Microarray data can be analyzed using different approaches (Claverie et al., 1999). Data analysis software consists essentially of a combination of tools aimed at clustering, pattern discovery, Gene Ontology search, analysis and visualization of gene expression data and of other genomic data. This also allows the linking of data obtained from tools and external databases. The search for functional cluster is usually performed through correlation with database of functional annotations (e.g. Gene Ontology).

Database mining techniques are defined as a series of computational tools for exploring and analyzing large amounts of data in order to extract characteristic and persistent motifs (patterns) and rules. The algorithms for database mining are derived from the fields of statistics, pattern

recognition, artificial intelligence and signal analysis; they use information directly obtained from data to create empirical models able to describe the behaviour of a complex system. In gene expression profiles data mining techniques are a useful tool for identifying and isolating specific patterns of expression, which represent genetic fingerprinting of a specific physiological state. Data analysis of cDNA arrays is usually based on the synergistic use of hypothesis testing and of systems for knowledge discovery. Hypothesis testing methods are basically top-down approaches that scan the data seeking experimental confirmation to previously formulated hypotheses. The knowledge discovery, instead, can be considered as a bottom-up approach where the data itself provide the information necessary for the formulation of new hypotheses. A crucial aspect of the application of these procedures is the identification of all those genes that show high activity in a particular physiological state. These active genes, and their network of relationship, can be identified by using techniques such as Mean Hypothesis Testing (MHT), Cluster Analysis (CA) Principal Component Analysis (PCA) and Decision Tree (DT).

The genome sequencing projects and the other high-throughput approaches generate thousands of new protein sequences from different organisms. Bioinformatics is therefore essential for proteomic studies aimed at assigning a function to each protein: it can establish similarity correlations with already characterized proteins by homology analysis and evolutionary inference, and rationalize the function from the structural point of view, using experimental structural data or model-derived data. By looking separately at sequences or protein folding, little can be said about the function. Instead, taking into consideration both sequences and structures together, the emerging conserved patterns, called motifs, provide important functional information.

Another field strongly implemented by using bioinformatics is that of combinatorial chemistry: *in vitro* chemical synthesis of hundreds of modified molecules and their subsequent tests of interaction with potential pharmacological targets has been increased by virtual 3D reconstructions of molecules and their *in silico* screening searching for the best pharmacological ligands. Only molecules with high score of interaction are then synthesized and tested *in vitro*, with significant cost savings.

Bioinformatics also plays an important role in the field of meta-analysis. Meta-analysis is the statistical procedure for combining data from multiple studies. It is useful for the identification of homogeneous sets of information across different data, for example microarray studies on different species or different treatments. It allows a more objective appraisal of the evidence than traditional narrative reviews, provides a more precise valuation of data (for example the estimate of a treatment effect), and may explain heterogeneity between the results

of individual studies.

A useful tool for meta-analysis is represented by Pointillist, which is a set of four software programs (Data Manager, Data Normalizer, Significance Calculator, Evidence-Weighted Inferer) for inferring the set of elements affected by a perturbation of a biological system based on multiple types of evidence. The inference is based on a weighted statistical method, in which each evidence type is given a distinct trustworthiness weight. The method is robust against missing and inconsistent data. Pointillist is written in Java, and is based on the ISB Java library. All four programs read data files in which the columns are evidence types and the rows are elements of the system (e.g., genes or proteins). The Data Manager is used for data sub-selection and averaging. The Data Normalizer is (optionally) used to perform normalization of microarray expression data. The Significance Calculator is used to obtain P-values for measurements based on a distribution of observations for negative control(s). Both parametric and nonparametric methods can be used to obtain the P-values. The Evidence-Weighted Inferer is used to combine the P-values for observations of different evidence types, and obtain a consensus P-value for each element of the system. The elements are classified into the "null hypothesis" (likely unaffected) set, and the set of likely affected elements, using an iterative procedure (Hwang et al., 2005).

1.1.2 Structural Bioinformatics

Structural Bioinformatics is the field of bioinformatics aiming at the analysis and prediction of the morphology and structure of biological macromolecules such as proteins and nucleic acids. Macromolecules are fundamental for all the functions of the cell, and it is only by taking appropriate three-dimensional shapes that proteins and sub-cellular components can perform their functions.

Proteins are one of the fundamental macromolecules forming the cells. One of the central topics of modern research in molecular biology, biochemistry and biophysics is the understanding of how these functions are related to the molecular structure. Proteins are linear polymers made of hundreds of elementary units, the amino acids, characterized by a carboxy-terminal end (acid) and an amino terminal end (basic) and exist in nature in 20 different varieties. The study of the structural organization of proteins takes place at 4 different levels:

- Primary structure: it corresponds to the sequence of the amino acids and to the position of disulfide bonds, if any, and therefore reflects all the covalent bonds of a protein.

- Secondary structure: it refers to the space conformation of adjacent amino acid residues in linear sequence. Some of these steric connections are regular and give rise to periodic structures, such as α -helix and β -sheet. When steric relationships are not regular, they are called random-coil.

- Tertiary structure: it is related to the position in the space (3D coordinates) of amino acid residues that are far apart in the linear sequence.

- Quaternary structure: proteins that contain more than one polypeptide chain have an additional level of structural organization: each polypeptide chain is called a subunit and quaternary structure refers to the spatial arrangement of these subunits into complexes.

Predicting the three-dimensional arrangement of proteins, namely their tertiary structure, from the linear sequence of the component amino-acids (primary structure), has become a topic of great relevance since the techniques of molecular biology (recombinant DNA) are able to collect information on primary structure at a much higher rate than traditional spectroscopic techniques (X-ray diffraction, NMR, etc.) respectively do for the three-dimensional structures.

Before the advent of structural genomics the main interest in solving the structure of a protein was to understand and better analyse the determinants of its function, which was already assigned after biochemical or genetic experiments were performed. The increasing number of fully sequenced genomes together with the progress in homology modelling of protein structures shifted the interest on characterizing the largest number of different folds to have the best possible sampling of structure space. The rationale is that, as more and more structural folds are characterized, homology modelling of an increasing number of proteins should become possible and more reliable. In light of this goal, targets for structure determination are selected among proteins with very low sequence identity to proteins of known structure. As a consequence, a large number of structures belong to proteins of unknown function. This fact has enormously increased the interest in computational methods for structure-guided functional inference. Structural comparison methods are potentially able to identify very distant evolutionary relationships between proteins. Moreover, only structural data makes the identification of independently evolved functional sites possible [Via et al., 2000; Ausiello et al. 2007; Gherardini et al. 2007].

A first group of functional annotation methods uses a comparative approach searching for common features between the query protein and some database of protein structures; other methods analyse the physicochemical characteristics of a protein surface to identify patches that have features (e.g. shape, electrostatic properties, etc.) characteristic of functional sites.

Comparative Approaches are similar to sequence comparison methods, and can be classified as global or local. Global comparison algorithms are mainly used in protein structure classification to identify evolutionary links between distant homologues. They can also be used for function prediction but the relationship between fold and function is extremely complex and numerous examples are known of folds hosting a great variety of functions [Gerlt et al., 2001]. It should indeed be noted that the function of a protein usually depends more on the identity and location of a few residues comprising the active site than on the overall fold. Therefore, the usefulness of global comparison methods is essentially indirect and lies in their capability of identifying remote homology relationships. In order to directly analyse and compare the residues effectively involved in protein function, local structural comparison methods have been developed. Local structural comparison refers to the possibility of detecting a similar 3D arrangement of a small set of residues, possibly in the context of completely different protein structures. Such algorithms can either compare two entire protein structures in search for local similarities, without any *a priori* assumption, or use a pre-defined structural template to screen a structure. A template represents the spatial arrangement of the residues involved in some biochemical function and can be regarded as a 3D extension of the linear sequence motif concept. In general, local structural comparison methods can also be used to search for templates. The JESS [Barker et al., 2003] algorithm gives the possibility of expressing the template as a set of high-level constraints of arbitrary nature. The program DRESPAT [Wangikar et al., 2003] uses a graph theoretic method to enumerate patterns recurring in a set of structures. The problem of assessing the statistical significance of a local structural similarity is complex. The biggest gap, in terms of statistical analysis, between sequence comparison and structure comparison is that in the latter case there is no universally accepted random model that can be used as a basis for significance assessment.

Since no definitive way exists to identify statistically significant matches, it is very important to integrate structural comparison methods with detailed functional annotations in order to steer the search towards functionally significant residues. When a match between two proteins involves residues for which functional annotations are available, one can more easily derive clues about the significance of a correspondence even in the absence of a rigorous statistical framework. Various tools have been developed to ease the functional annotation of protein structures.

The E-MSD structure database [Boutselakis et al., 2003] aggregates an enormous amount of functional information about protein structures, coming from a variety of sources.

SPICE [Prlic et al., 2005] is a graphical client for the DAS system [Dowell et al., 2001] that allows annotations from different laboratories hosting a DAS server to be mapped and displayed

on the structure of a protein of interest.

The [pdbFun webservice](#) [Ausiello, Zanzoni et al., 2005] integrates functional annotations at residue level with the Query3d local structural comparison method so that the residues to be used in a comparison run can be selected on the basis of functional information. [Ausiello, Via et al., 2005].

[SWISS-MODEL](#) is an environment for comparative protein modelling. It consists of SWISS-MODEL, a server for automated comparative protein modelling, of the SWISS-PdbViewer, a sequence to structure workbench that also provides a large selection of structure analysis and display tools, and of the SWISS-MODEL Repository, a database of annotated three-dimensional comparative protein structure models generated by the fully automated homology-modelling pipeline SWISS-MODEL. The current release of the SWISSMODEL-Repository (10.2.2) consists of 3,021,185 model entries for 2,244,854 unique sequences in the UniProt database.

[3D-Jury](#) is a metaserver that aggregates and compares models from various protein structure prediction servers. It integrates groups of predictions made by a collection of servers and assigns each pair a 3D-Jury score, based on structural similarity. The 3D-Jury system generates meta-predictions from sets of models created using variable methods. It is not necessary to know prior characteristics of the methods. The system is able to utilize immediately new components (additional prediction providers). The accuracy of the system is comparable with other well-tuned prediction servers. The algorithm resembles methods of selecting models generated using *ab initio* folding simulations. It is simple and offers a portable solution to improve the accuracy of other protein structure prediction protocols.

Methods Based on Structural Calculations are founded on the observation that the functional patches of a protein have physicochemical characteristics that set them apart from the surface as a whole. Indeed, these peculiarities ultimately are the reason why these patches possess a function at all. The aim of these methods is usually to predict either the location of a ligand-binding site or that of an enzyme active site. Countless algorithms exist that employ the notion that functional sites are usually located in clefts on the protein surface. This simple fact is used either directly to predict the location of functional sites, or as a first step to identify candidate residues before further scoring procedures are applied. Methods for identifying cavities in a protein surface include [LIGSITE](#) [Hendlich et al., 1997], a program for the automatic and time-efficient detection of pockets on the surface of proteins that may act as binding sites for small molecule ligands. Pockets are identified with a series of simple

operations on a cubic grid. Using a set of receptor-ligand complexes we show that LIGSITE is able to identify the binding sites of small molecule ligands with high precision. The main advantage of LIGSITE is its speed. Typical search times are in the range of 5 to 20 s for medium-sized proteins. LIGSITE is therefore well suited for identification of pockets in large sets of proteins (e.g., protein families) for comparative studies. For graphical display LIGSITE produces VRML representations of the protein-ligand complex and the binding site for display with a VRML viewer such as WebSpace from SGI. Another program for detection of cavities in macromolecular structures is VOIDOO [Kleywegt et al., 1994]. It uses an algorithm that makes it possible to detect even certain types of cavities that are connected to "the outside world". Three different types of cavity can be handled by VOIDOO: van der Waals cavities (the complement of the molecular van der Waals surface), probe-accessible cavities (the cavity volume that can be occupied by the centres of probe atoms) and MS-like probe-occupied cavities (the volume that can be occupied by probe atoms, i.e. including their radii). VOIDOO can be used for: detecting and delineating cavities, measuring cavity volumes and molecular volumes, identifying non-protein atoms inside cavities, identifying protein atoms that line the surface of cavities, randomly rotating molecules for assessing the accuracy of cavity volumes (by repeated calculations using differently oriented copies of a molecule).

PocketPicker [Weisel et al., 2007] is an automated grid-based technique for the prediction of protein binding pockets that specifies the shape of a potential binding-site with regard to its buriedness. The performance of the pocket detection routine of PocketPicker is comparable to that of LIGSITE and better than the other tools. It produces a convenient representation of binding-site shapes including an intuitive description of their accessibility. The shape-descriptor for automated classification of binding-site geometries can be used as an additional tool complementing elaborate manual inspections.

The THEMATICS [Ondrechen et al., 2001] program shows the power of computing chemical properties of the structure in order to predict the location of active sites. This method starts with the observation that amino acids involved in catalysis usually have pKa (the acid dissociation constant at logarithmic scale) values that differ from the standard values in solution. Therefore, a computational procedure is used to calculate the theoretical pKa of each amino acid side chain of a given protein structure. Clusters of residues with perturbed pKa values are assumed to identify the location of the active site. The main improvement of THEMATICS with respect to other methods is an increase in precision, i.e. the predictions are less spread out on the protein surface and more tailored towards the real active site. The high success rate for the prediction of catalytic sites shows that this method can be useful for functional annotation of proteins from structural genomic projects, at least in providing clues to the location of the active

site.

Several methods exist that take into account a combination of structural features, such as hydrophobicity, surface curvature, electrostatic properties, etc. to infer the location of active sites. One of the earliest examples of this approach is a method to predict protein–protein interaction sites taking into account six structural parameters: solvation potential, residue interface propensity, hydrophobicity, planarity, protrusion and accessible surface area [Jones et al., 1997]. A preliminary analysis is first performed and it is verified that different types of protein–protein interfaces have different properties. This notion is used to construct three scoring functions, one for each category of interface, that are different linear combinations of the six parameters. When dealing with small molecule binding cavities, size and shape seem to be more important than electrostatic interactions.

The ProMateus server [Neuvirth et al., 2007] allows the user to propose new structural characteristics that may be useful in predicting protein–protein and protein–DNA interaction sites. Researchers can download a database and upload back the values of the new feature whose usefulness they want to explore. ProMateus will perform a series of statistical analyses and train a logistic regression model using the features already present together with the new one that is being proposed. A feature selection procedure will determine whether the new property is irrelevant, is relevant but overlaps with existing features or provides new information that effectively improves the prediction. This server is also an interesting experiment on the applicability of an open and community-driven research approach. Several methods used to predict ligand binding sites calculate the interaction energy between the surface of the protein and a chemical probe. Cluster of regions with favourable interaction energy are then predicted to be ligand binding pockets. Q-SiteFinder [Laurie et al., 2005] uses a methyl group to probe the structure. Conversely the method by Silberstein et al. [Silberstein et al., 2003] uses a variety of hydrophobic compounds to scan the structure and identifies a ‘consensus’ site that binds the highest number of probes. Ruppert et al. [Ruppert et al., 2003] developed a method that scans the surface with three molecular fragments (hydrophobic probe, hydrogen bond donor and acceptor). Clusters of points with high affinity for the probes are used to define the ‘stickiest’ regions of the surface. This representation of molecular surface can be used directly for small molecule docking, using the probes virtually bound to the binding pocket as anchors for the chemical groups of the ligand. Since structural genomics is going to increase the number of sequences amenable to homology modelling, it is interesting to apply structure-based function prediction methods to models.

PSORT is a computer program for the prediction of protein sorting signals and localization sites in cells. It receives the information of an amino acid sequence and its source origin, e.g.,

Gram-negative bacteria, as inputs. Then, it analyzes the input sequence by applying the stored rules for various sequence features of known protein sorting signals. Finally, it reports the possibility for the input protein to be localized at each candidate site with additional information.

TMpred (Prediction of Transmembrane Regions and Orientation) is a program that makes a prediction of membrane-spanning regions and their orientation. The algorithm is based on the statistical analysis of TMbase, a database of naturally occurring transmembrane proteins and their helical membrane-spanning domains. TMbase is mainly based on SwissProt, but contains informations from other sources as well. All data is stored in different tables, suited for use with any relational database management system. The prediction is made using a combination of several weight-matrices for scoring.

1.1.3 Molecular Dynamics

Molecular dynamics simulations of proteins, which began about 25 years ago, are by now widely used as tools to investigate structure and dynamics under a variety of conditions; these range from studies of ligand binding and enzyme reaction mechanisms to problems of denaturation and protein refolding to analysis of experimental data and refinement of structures.

Simulation bioinformatics is used to study complex physical systems from a microscopic point of view. It is useful for the prediction of the structural and dynamical evolution of biomolecules as a function of the interaction of every atom of the system with all the other atoms present in the simulation environment, and for the comparison of the average values of physical measures for systems consisting of a large number of particles with the corresponding thermodynamic quantities.

Monte Carlo (MC) simulation, which uses pseudo-random numbers [Newman et al., 1999] can be distinguished from *Molecular Dynamics (MD)* simulation, based on principles and methods of classic and quantum physics [Allen et al., 1987].

The MD simulation is a set of computational techniques that, by integrating the Newtonian equations of motion, analyses the dynamic evolution of a physical system at the atomic and molecular level. In order to perform realistic molecular dynamics experiments in a reasonable time the simulations should be performed in parallel computing environments. Multiprocessor systems or clusters are used to this purpose.

In MD simulations atoms and molecules interact for a predetermined time period and in a controlled environment. Their system configuration evolves according to the laws of classical motion. As molecular systems typically consist of a very large number of particles, it is impossible to follow the evolution of these complex systems analytically. MD experiments can help to interpret experimental results, representing an interface between theory and laboratory experiments.

In classical MD simulations, the interactions between the particles of the system are described using the concept of force field, whose parameters are determined using semi-empirical methods and/or on the basis of first principles calculations.

The latter are performed according to methods widely used in quantum chemistry, to describe the behaviour of matter at the molecular scale, according to the concepts of quantum mechanics. In theory, it is possible to describe any system using these methods. In practice, given the complexity of the calculations involved, it is possible to analyze only very simple systems. However, these systems can serve as a paradigm to determine the parameters of force field relating to interactions between atomic groups.

Current applications of MD simulation cover a very wide spectrum of disciplines. In particular, it represents a valuable tool in the field of interdisciplinary research aimed at determining the structure of proteins, refining the results produced by experimental measurement methods such as X-ray crystallography or Nuclear Magnetic Resonance (NMR).

The design of an MD simulation should try to use all the computing power available to ensure that the physical system simulated explore all configurations available at the temperature of the simulation at the so-called ergodic hypothesis. A critical point is to solvate the system properly with water and ion molecules. The ergodic hypothesis states that, after a sufficiently long time, the time spent by a particle in a volume in the phase space with microstates of equal energy is proportional to the volume itself, equivalently, at the thermodynamic equilibrium, its state can be any of those that meet the conditions of the macroscopic system. In general, the complexity of the simulation (evaluated by the number of particles making up the system), the temporal interval and the simulation time must be carefully selected so that the experiment has a reasonable duration. It is also useful to note that the duration of the simulation should be sufficient to provide data comparable with the characteristic times of the systems that are analyzed. Many scientific publications dealing with the dynamics of proteins and DNA show data for simulation times that are of the order of nanoseconds and, more rarely, of microseconds. The computation time of these simulations ranges from a few days to several months depending on the power of computers used and the complexity of the system.

During a molecular dynamic simulation the most challenging computation phase is represented by the calculation of the interaction forces, which are functions of the Cartesian coordinates of atoms and of the internal molecular coordinates. Moreover, within this phase, the most time-consuming part is the one relating to non-bonded interactions.

Another factor that greatly affects the overall duration of the simulation is determined by the value of the step of integration of the underlying equations of finite difference equations. This parameter represents the time between the sampling to gather information about the configurations that the system can take. In general, the integration step should be small enough to avoid accumulation of discretization errors. In addition, the timestep should be smaller than the reciprocal of the highest frequency of vibration of the system. The magnitude of the typical integration step of a MD simulation is the femtosecond (10^{-15} s). This value can be moderately extended through the use of algorithms such as SHAKE and its variants. In simulations of large stages, the size of the simulation box containing the system must be resized so as to avoid artefacts associated with periodic boundary conditions [Allen et al., 1987]. These issues can be bypassed by choosing a box size larger than the diameter of cut-off used for the calculation of non bonded interactions.

The conceptual basis of the MD simulation has to be sought in the Born-Oppenheimer approximation, which states that the description of the motion of the electrons and the one of the nucleus of atoms in a molecule can be separated. This statement leads to the following functional relation: $\Psi_{\text{molecule}}(r_i, R_j) = \Psi_{\text{electron}}(r_i, R_j) \Psi_{\text{nucleus}}(R_j)$, where:

- Ψ is the wave function describing the atom j
- r_i is the position of its electron
- R_j is the position of the nucleus of the atom j

It can be demonstrated that the electron wave function depends on the atomic position R_j but not on its speed. Since the motion of the nucleus of an atom is much slower than that of an electron, the nucleus can be considered steady, even because its motion, measured in terms of rotation and vibration, is little influenced by the surrounding electrons. Within the Born-Oppenheimer approximation it is possible to say that the atoms can be represented as point particles governed by Newton's mechanics. In the case of classical MD simulations, the effect of the electrons is approximated with the potential that governs the interactions between atoms. The simulations are commonly carried out by monitoring the relative thermodynamic quantities of the specific statistical-mechanical assembly.

In the *microcanonical system*, also defined as NVE, the system under consideration is isolated from the environment, keeping the number of particles (N), the volume (V) and total mechanical energy (E) constant. In general a molecular trajectory observed throughout

microcanonical setting can be viewed as an exchange of potential energy and kinetic energy without energy loss. The potential energy function depends on the coordinates of the particles of the system and is evaluated using the terms of the force field chosen for the simulation. At each integration step, the position and speed vectors are calculated by integrating the system of differential equations. The time evolution of these vectors is the so-called simulation trajectory of the system. Within molecular dynamics simulations the temperature is a thermodynamic quantity that can be evaluated by making the average kinetic energy of the particles constituting the system equal to the term $n/2 k_B T$, where n is the number of degrees of freedom of the particles and k_B is the Boltzmann constant.

In the *canonical system*, also known as NVT, the number of particles (N), volume (V) and temperature (T), are kept constant. In NVT systems, the energy associated with the exothermic and endothermic processes is in fact exchanged with a thermostat.

In the *isothermal-isobaric system*, also known as NPT, the number of particles (N), pressure (P) and temperature (T) are kept steady. In this type of simulation the temperature is maintained constant using a thermostat as in the canonical system. In addition a barostat is used to maintain the pressure as constant as possible. This is done by varying the volume of the simulation box, which is reduced to correct for a decrease in pressure, or increased to correct for an increase in pressure. Corrective action on temperature and pressure are regulated by appropriate time constants.

A MD simulation requires the use of potentials of appropriate shape in order to describe the type of interaction between the particles composing the simulated system. The force field models allow calculating such potentials. According to the method of determining the parameters describing the interaction between pairs of atoms, the force fields can be divided into: empirical, semi-empirical or quantum-mechanical. In the empirical force-field, parameters are obtained from experimental measurements, in the quantum-mechanical force-field they are derived by quantum calculations on simple systems containing the relevant pairs of atoms. In the case of semi-empirical potentials the parameters are determined partly in an experimental way and partly by the quantum-mechanical calculations.

1.2 COMPUTATIONAL METHODS: MOLECULAR DYNAMICS

1.2.1 *Amber*

Amber (Assisted Model Building and Energy Refinement) refers to two things: a set of molecular mechanical force fields for the simulation of biomolecules (which are in the public domain, and are used in a variety of simulation programs); and a suite of molecular simulation programs which includes source code and demos and allows users to carry out and analyze molecular dynamics simulations, particularly for proteins, nucleic acids and carbohydrates [Case et al., 2005].

Amber consists of three main steps: system preparation, simulation, and trajectory analysis. Encoding these operations in separate programs has some important advantages. First, it allows individual pieces to be upgraded or replaced with minimal impact on other parts of the program suite; this has happened several times in Amber's history. Second, it allows different programs to be written with different coding practices: LEaP is written in C using X-window libraries, pTraj and Antechamber are text-based C codes, mm-Pbsa is implemented in Perl, and the main simulation programs are coded in Fortran 90. Third, this separation often eases porting to new computing platforms: only the principal simulation codes (Sander and pMemd) need to be coded for parallel operation or need to know about optimized libraries. Typically, the preparation and analysis programs are carried out on local machines on a user's desktop, whereas time-consuming simulation tasks are sent to a batch system on a remote machine; having stable and well-defined file formats for these interfaces facilitates this mode of operation. Finally, the code separation facilitates interaction with programs written by others.

The main preparation programs are antechamber (which assembles force fields for residues or organic molecules that are not part of the standard libraries) and LEaP (which constructs biopolymers from the component residues, solvates the system, and prepares lists of force field terms and their associated parameters). The result of this preparation phase is contained in two text files: a coordinate (prm-crd) file that contains just the Cartesian coordinates of all atoms in the system, and a parameter-topology (prm-top) file that contains all other information needed to compute energies and forces; this includes atom names and masses, force field parameters, lists of bonds, angles, and dihedrals, and additional bookkeeping information. The nucleic acid builder (NAB) program integrates well with Amber to construct initial models for nucleic acids, and the Amber/GLYCAM configuration tool serves a similar purpose for carbohydrates. Tools for manipulating protein structures (e.g., for constructing homology models) are widespread,

and the resulting PDB-format files can generally be processed by LEaP with little or no modification.

The main molecular dynamics program is called Sander. This code is written in Fortran 90, and uses the Fortran name list syntax to read user-defined parameters as label-value pairs. There are many possible options, and about 150 possible input variables. Of these, only 32 generally need to be changed for most simulations.

Sander is a parallel program, using the MPI programming interface to communicate among processors. It uses a replicated data structure, in which each processor “owns” certain atoms, but where all processors know the coordinates of all atoms. At each step, processors compute a portion of the potential energy and corresponding gradients. A binary tree global communication then sums the force vector, so that each processor gets the full force vector components for its “owned” atoms. The processors then perform a molecular dynamics update step for the “owned” atoms, and use a second binary tree to communicate the updated positions to all processors, in preparation for the next molecular dynamics step. Because all processors know the positions of all atoms, this model provides a convenient programming environment, in which the division of force-field tasks among the processors can be made in a variety of ways. The main problem is that the communication required at each step is roughly constant with the number of processors, which inhibits parallel scaling. In practice, this communication overhead means that typical explicit solvent molecular dynamics simulations do not scale well beyond about eight processors for a typical cluster with gigabit ethernet, or beyond 16–32 clusters for machines with more efficient (and expensive) interconnection hardware. Implicit solvent simulations, which have many fewer forces and coordinates to communicate, scale significantly better. For these relatively small numbers of processors, inequities in load-balancing and serial portions of the code are not limiting factors, although more work would have to be done for larger processor counts.

1.2.2 Molecular Workbench

Molecular Workbench (Concord Consortium. Molecular Workbench Software) is a learning environment for science based on Java, which simulates the behaviour of atoms and molecules from basic principles. Molecular dynamics simulations with Molecular Workbench demonstrate at the atomic scale the mechanisms of the fundamental physical, biological and chemical phenomena. The movement of atoms and molecules caused by interatomic forces can be observed in real time, and by changing the parameters of the model (such as temperature or charge) the effects can be analysed. The software is constantly evolving, and users can easily

adapt existing activities to their own needs or develop new models [Tinker and Xie, 2008]. The activities are grouped into an online database that contains almost 200 models searchable by keyword, concept or topic. In order to use the proprietary format for the simulations, it is necessary to recreate the model of the molecule by extrapolating from the PDB definition its DNA. DNA (DesoxyriboNucleic Acid) is a nucleic acid containing the necessary genetic information (the so-called genetic code) for the biosynthesis of RNA and proteins, which are essential molecules for the development and proper functioning of most living organisms. DNA extrapolation was performed through DNADynamo [BlueTractorSoftware. DNA Sequence Analysis Software. <http://www.bluetractorsoftware.co.uk>.] also working through the Java console. The user interface of this software is based on the visualization of DNA of uploaded proteins or enzymes. The conformation of each amino acid of the imported model can be selected through the implemented features.

Molecular Workbench offers a variety of models and simulation applets. To recreate the experimental conditions used in the laboratory, a physical environment of the model is used; through the Options menu it is possible to select the characteristics of the dielectric in which suspending the molecular models, the temperature for the simulation and the type of light source to be applied. Emission and absorption spectra can be connected to the physical environment, in order to check the behaviour of the model. Then, it is possible to create an element in the model defined according to the biophysical characteristics of spatial distribution and size selected in the previous steps. At this point all the parameters are defined and it is possible to run the simulation.

1.2.3 Ascalaph

Ascalaph is a simple molecular dynamics simulation program. The main use is for modelling of biomolecules, especially proteins, lipids and nucleic acids. The software is similar to the others of this type, but it has distinguishing properties such as: ability to perform simulations for long periods, support for a hierarchy of methods of varying accuracy, support for the development of force fields, molecular graphics and various interactive methods for the construction of molecular models.

Ascalaph is composed of four packages: Graphics, Dynamics, Quantum and Designer.

- Ascalaph Graphics provides a graphical interface, including the window interface and the three-dimensional graphics of molecular models.
- Ascalaph Dynamics is a program for molecular dynamics.

- Ascalaph Quantum is an interface for the package of quantum mechanics.
- Ascalaph Designer allows the generation and editing of molecular models, the geometric optimization and the molecular dynamics simulation.

In particular, Ascalaph Designer is a software allowing to build and simulate molecular models and turn them into a three-dimensional environment. It also provides a graphical environment for classical and quantum modeling of molecules based on Fire y and MDynaMix/MGE (Lyubartsev and Laaksonen, 2000). Both graphical environments on which the simulator is based provide dedicated implementations for the interaction of a large number of atoms but don't reach the computational power that these rendering engines have on implementations based on cluster systems [Lyubartsev and Laaksonen, 1998] or with dedicated hardware, such as NVIDIA Corporation-Molecular Dynamics. To link together the various software used it is necessary to use a format converter: Avogadro. Avogadro is an open source multi-platform project recently created under the Open Molecules project. Avogadro allows drawing simple and complex molecules with a high speed and with good user-friendliness. The molecules can be represented in different ways, such as “balls & sticks”, orbital, Van der Waals spheres, surfaces, rings and hydrogen bonds. A wide range of fragments is available, most part of them are available immediately in a drop down menu with the possibility to choose the single, double or triple bonds. The molecules created can be manipulated at will, interatomic distances can be read, bond angles can be oriented, molecular centers can be precisely defined. The molecules can be saved in several formats, including the most popular PDB, MDB, Gaussian, and can be exported in a graphical format such as JPG, BMP and PNG. Regarding the uploading, the program is based on the Open Babel and is able to read and convert over 80 formats.

1.3 COMPUTATIONAL METHODS: SOFTCOMPUTING

Biological sequences, such as those of proteins, DNA or RNA, given their variety and complexity, can be treated with probabilistic models. The biological sequences are, in fact, strings of characters of an alphabet of definite cardinality (20, in the case of protein, 4 for nucleic acid sequences). In a very general description a probabilistic model M can be seen as an object capable of generating each string s with probability $P(s | M)$. The distribution of such probability, over the space of all possible sequence, determines the specificity of the model: an ideal specific model for a given class should generate all and only the sequences of this class

with high probability by excluding others. The practical use of probabilistic models in the field of computational biology requires the operational definition of the rules by which evaluating the value of $P(s | M)$ for each sequence: in this sense a model is an object that associates a real number to each sequence. In addition, the use is limited to those classes of models for which there are algorithms to train the parameters from a set of sample sequences. A probabilistic model trained on a particular class of sequences is, for example, able to search sequences that most probably belong to that class in the complete *proteome* of an organism (the *proteome* is the entire set of proteins produced by a genome, cell, tissue or organism). In this sense it is useful for data mining problems, in order to select sequences related to those on which the model was trained. Another problem that the prediction models help to solve is the allocation of a sequence s to a class that is the choice among several alternative models of the best one to describe the sequence.

1.3.1 Kernel Methods

The kernel defines a similarity measure between two data points and thus allows incorporating prior knowledge of the problem domain. The kernel contains all of the information about the relative positions of the inputs in the feature space and a learning algorithm based only on the kernel function can thus be carried out without explicit use of the feature space.

Kernels not only increase the flexibility by increasing the class of allowed similarity measures but also make it possible to work with non vectorial data. This is due to the fact that kernels automatically provide a vectorial representation of the data in the feature space. Kernels can be used to construct generalizations of any algorithm that can be carried out in terms of dot products.

Kernel methods are based on a radically different answer to the question of data representation. Data are not represented individually any more, but only through a Kernel representation set of pair-wise comparisons. The dataset is represented by a square matrix. All kernel methods are designed to process such square matrices. The representation as a square matrix does not depend on the nature of the objects to be analysed. They can be images, molecules, or sequences, and the representation of a dataset is always a real-valued square matrix. This suggests that an algorithm developed to process such a matrix can analyse images as well as molecules or sequences, as long as valid functions k can be defined. This also suggests that a complete modularity exists between the design of a function k to represent data

on the one hand, and the design of an algorithm to process the data representations on the other hand. These properties turn out to be of utmost importance in fields like computational biology, where data of different nature need to be integrated and analysed in a unified framework.

The size of the matrix used to represent a dataset of n objects is always $n \times n$, whatever the nature or the complexity of the objects. For example, a set of ten tissues, each characterized by thousands of gene expression levels, is represented by a 10×10 matrix, whatever the number of genes. Computationally, this is very attractive in the case when a small number of complex objects are to be processed.

The comparison function k is a critical component of any kernel method, because it defines how the algorithm “sees” the data. Most kernel methods can only process square matrices, which are symmetric positive definite. Kernel methods can roughly be defined as those methods for which the data to be analyzed only enter the algorithm through the kernel function; in other words, algorithms that take as input the similarity matrix defined by a kernel. The choice of kernel function is crucial for the success of all kernel algorithms because the kernel constitutes the available prior knowledge about a task.

A concept that underlies most kernel methods is the kernel trick. The kernel trick is any algorithm for vectorial data that can be expressed only in terms of dot products between vectors and can be performed implicitly in the feature space associated with any kernel, by replacing each dot product by a kernel evaluation. It is a very convenient trick to transform linear methods, such as linear discriminant analysis or principal component analysis (PCA), into non linear methods, by simply replacing the classic dot product by a more general kernel, such as the Gaussian RBF kernel. Non linearity is then obtained at no computational cost, as the algorithm remains exactly the same. The operation that transforms a linear algorithm into a more general kernel method is often called kernelization. The combination of the kernel trick with kernels defined on non vectorial data permits the application of many classic algorithms on vectors to virtually any type of data, as long as a kernel can be defined.

Examples of the usefulness of kernel methods in computational biology are pattern recognition problems: predicting whether a protein is expressed or not from its amino acid sequence, predicting whether a tissue is healthy from a gene profiling experiment, or predicting whether a chemical compound can bind a given target or not from its structure. In each case, a positive prediction is associated with the label $+1$, and a negative prediction with the label -1 . In order to perform pattern recognition, a data set of objects with known tags is needed, such as a database of proteins known to be expressed or not, in order to learn a prediction function that can then be applied to proteins without annotation.

1.3.2 *Bayesian Networks*

Bayesian networks (BNs) are graphical structures used to represent knowledge about an uncertain domain [Jordan 1999]. In particular, each node in the graph represents a random variable, while the edges between the nodes represent probabilistic dependencies among the corresponding random variables. These conditional dependencies in the graph are often estimated by using known statistical and computational methods. Hence, BNs combine principles from graph theory, probability theory, computer science, and statistics. They are used for applications in various areas, such as machine learning, text mining, natural language processing, speech recognition, signal processing, bioinformatics, error-control codes, medical diagnosis, weather forecasting, and cellular networks. BNs are ideal for combining prior knowledge, which often comes in causal form, and observed data, and can be used, even in the case of missing data, to learn the causal relationships and gain an understanding of the various problem domains and to predict future events.

Bayesian networks have shown to be remarkably effective for some data-analysis problems, because they can readily handle incomplete data sets. For example, in a classification or regression problem where two of the input variables are strongly anti-correlated, if one of the inputs is not observed most models will produce an inaccurate prediction, because they do not encode the correlation between the input variables. Bayesian networks instead offer a natural way to encode such dependencies. Moreover, BNs allow the learning about causal relationships, which is useful to gain understanding about a problem domain, for example during exploratory data analysis, and to make predictions in the presence of interventions.

Bayesian networks in conjunction with Bayesian statistical techniques facilitate the combination of domain knowledge and data. Prior or domain knowledge is of primary importance in a real-world analysis, especially when data are scarce or expensive. Bayesian networks have a causal semantics that makes the encoding of causal prior knowledge particularly straightforward. In addition, BNs encode the strength of causal relationships with probabilities. Consequently, prior knowledge and data can be combined with well studied techniques from Bayesian statistics.

Bayesian methods in conjunction with Bayesian networks and other types of models offer an efficient and principled approach for avoiding the over-fitting of data. There is no need to hold out some of the available data for testing. Using the Bayesian approach, models can be “smoothed” in such a way that all available data can be used for training.

In the Bayesian approach to probability and statistics, the Bayesian probability of an event x is a person's degree of belief in that event. Whereas a classical probability is a physical property

of the world, a Bayesian probability is a property of the person who assigns the probability. One important difference between physical probability and personal probability is that, to measure the latter, we do not need repeated trials. The process of measuring a degree of belief is commonly referred to as a probability assessment.

The probabilities encoded by a Bayesian network may be Bayesian or physical. When building Bayesian networks from prior knowledge alone, the probabilities will be Bayesian. When learning these networks from data, the probabilities will be physical (and their values may be uncertain). Once a Bayesian network has been constructed (from prior knowledge, data, or a combination), various probabilities of interest from the model need to be determined. This probability is not stored directly in the model, and hence needs to be computed. In general, the computation of a probability of interest given a model is known as probabilistic inference.

To refine the structure and local probability distributions of a Bayesian network given data, a set of techniques for data analysis that combines prior knowledge with data to produce improved knowledge is used. A local distribution function is nothing more than a probabilistic classification or regression function. Thus, a Bayesian network can be viewed as a collection of probabilistic classification/regression models, organized by conditional-independence relationships. The local distribution functions are essentially classification/regression models. Therefore, if we are doing supervised learning where the explanatory (input) variables cause the outcome (target) variable and data is complete, then the Bayesian-network and classification/regression approaches are identical. When data is complete but input/target variables do not have a simple cause/effect relationship, trade-offs emerge between the Bayesian-network approach and other methods. BN can also be used for unsupervised learning.

In real learning problems the interest is in looking for relationships among a large number of variables: BN is a graphical model that efficiently encodes the joint probability distribution (physical or Bayesian) for a large set of variables.

1.3.3 Hidden Markov Models

Hidden Markov Models are mathematical models that describe the probability of finding a given sequence in a database (which can also be a dataset of multi-aligned protein) knowing the contents of the database. A Markov chain is a set of numbers where each number depends only on the k numbers that precede it (k is defined as the order of the chain). These numbers may represent probabilities, and in this case a Markov chain is a model describing the conditional probabilities of having a residue given a previous series of compounds. The most widely used

program based on these models is HMMER: as input it uses a previous multi-alignment (or a database search) and it is able to search the database using the profiles generated.

The Markov models are a class of very simple and useful probabilistic models. Each element of a sequence is generated with a probability that depends only on a finite number of elements of the previous sequence. This number is called “order” and determines the degree of approximation made by the model in describing the sequences. A Markov model of order 0, where the probability of generating a character depends only on the character itself, can only describe the overall composition of a set of sequences; a first-order model may instead treat the statistics of pairs of characters, a second-order can deal with triplets, and so on, increasing with the order of the model the amount of information that can be processed.

The HMM are probabilistic models in which the sequences are generated by two concurrent stochastic processes. The first is a Markov model that can be considered of the first order. The second process is the emission by any state of a character of an alphabet according to a probability distribution that depends only on the state.

1.3.4 Support Vector Machines

Support vector machines (SVM) are a group of Kernel-based supervised learning methods that can be applied to classification or regression. SVM find numerous applications in chemistry, such as in drug design (discriminating between ligands and non-ligands, inhibitors and non-inhibitors, etc.), quantitative structure-activity relationships (QSAR, where SVM regression is used to predict various physical, chemical, or biological properties), chemometrics (optimization of chromatographic separation or compound concentration prediction from spectral data as examples), sensors (for qualitative and quantitative prediction from sensor data), chemical engineering (fault detection and modelling of industrial processes), and text mining (automatic recognition of scientific information). The SVM algorithm is based on the statistical learning theory and the Vapnik–Chervonenkis (VC) dimension [Vapnik and Chervonenkis, 1974].

SVM models were originally defined for the classification of linearly separable classes of objects. For any particular set of two-class objects, an SVM finds the unique hyperplane having the maximum margin. A special characteristic of SVM is that the solution to a classification problem is represented by the support vectors that determine the maximum margin hyperplane. SVM can also be used to separate classes that cannot be separated with a linear classifier. In

such cases, the coordinates of the objects are mapped into a feature space using non-linear functions called feature functions. The feature space is a high-dimensional space in which the two classes can be separated with a linear classifier. The non-linear feature function combines the input space (the original coordinates of the objects) into the feature space, which can even have an infinite dimension. Because the feature space is high dimensional, it is not practical to use directly feature functions in computing the classification hyperplane. Instead, the non-linear mapping induced by the feature functions is computed with special non-linear functions called kernels. Kernels have the advantage of operating in the input space, where the solution of the classification problem is a weighted sum of kernel functions evaluated at the support vectors. The use of non-linear kernels provides the SVM with the ability to model complicated separation hyperplanes. However, because there is no theoretical tool to predict which kernel will give the best results for a given dataset, experimenting with different kernels is the only way to identify the best function. An alternative solution to discriminate the patterns is offered by using a polynomial kernel that has a certain number of support vectors. Finding an SVM model with good prediction statistics is a trial-and-error task. The objective is to maximize the predictions statistics while keeping the model simple in terms of number of input descriptors, number of support vectors, patterns used for training, and kernel complexity.

1.3.5 Genetic Algorithms

Genetic Algorithms (GAs) are adaptive heuristic search algorithm premised on the evolutionary ideas of natural selection and genetics. The basic concept of GAs is designed to simulate processes in natural system necessary for evolution, specifically those that follow the principles first laid down by Charles Darwin of survival of the fittest. As such they represent an intelligent exploitation of a random search within a defined search space to solve a problem.

The genetic algorithm is a heuristic method that operates on pieces of information like nature does on genes in the course of evolution. Individuals are represented by a linear string of letters of an alphabet (in nature nucleotides, in genetic algorithms bits, characters, strings, numbers or other data structures) and they are allowed to mutate, crossover and reproduce. All individuals of one generation are evaluated by a fitness function. Depending on the generation replacement mode a subset of parents and offspring enters the next reproduction cycle. After a number of iterations the population consists of individuals that are well adapted in terms of the fitness function. Although this setting is reminiscent of a classical function optimisation problem genetic algorithms were originally designed to demonstrate the benefit of genetic

crossover in an evolutionary scenario, not for function optimisation. It cannot be proven that the individuals of a final generation contain an optimal solution for the objective encoded in the fitness function but it can be shown mathematically that the genetic algorithm optimises the effort of testing and producing new individuals if their representation permits development of building blocks (also called schemata). In that case, the genetic algorithm is driven by an implicit parallelism and generates significantly more successful progeny than random search. In a number of applications where the search space was too large for other heuristic methods or too complex for analytic treatment genetic algorithms produced favourable results. Genetic algorithms find their application in biogenetics, computer science, engineering, economics, chemistry, manufacturing, mathematics, physics and other fields.

The mathematical foundation of genetic algorithms is the schemata theorem of J. H. Holland. It makes a statement about the propagation of schemata (or building blocks) within all individuals of one generation. A schema is implicitly contained in an individual. Like individuals, schemata consist of bit strings (1, 0) and can be as long as the individual itself. In addition, schemata may contain “don’t care” positions where it is not specified whether the bit is 1 or 0, i.e. schemata H are made from the alphabet $\{1, 0, \#\}$. In other words, a schema is a generalisation of (parts of) an individual. For example, the individuals 010100101001010101011101010101 and 01011010100101110001110111010111 can be summarised by the schema: 0101#010100101#10#011101#10101#1, where all identical positions are retained and differing positions marked with a “#” which stands for “don’t care”. The length of the above schema is 31 which is one minus the distance from the first to the last fixed symbol (i.e. 1 or 0 but not #).

Effectively, many different schemata are sampled implicitly in parallel and good schemata will persist and grow. This is the basic rationale behind the genetic algorithm. It is suggested that if the (linear) representation of a problem allows the formation of schemata then the genetic algorithm can efficiently produce individuals that continuously improve in terms of the fitness function. The basic outline of a genetic algorithm is as follows:

- Initialisation of a population of individuals, which can be done either randomly or with domain specific background knowledge to start the search with promising seed individuals. Where available the latter is always recommended. Individuals are represented as a string of bits. A fitness function must be defined that takes as input an individual and returns a number (or a vector) that can be used as a measure for the quality (fitness) of that individual. The application should be formulated in a way that the desired solution to the problem coincides with the most successful individual according to the fitness function.

- Evaluation of all individuals of the initial population.

-Generation of new individuals. The reproduction probability for an individual is proportional to its relative fitness within the current generation. Reproduction involves domain specific genetic operators. Operations to produce new individuals are: mutation, variation and crossover.

Mutation substitutes one or more bits of an individual randomly by a new value (0 or 1); variation changes the bits in a way that the number encoded by them is slightly incremented or decremented; crossover exchanges parts (single bits or strings of bits) of one individual with the corresponding parts of another individual. Originally, only one-point crossover was performed but theoretically one can process up to $L - 1$ different crossover sites (with L as the length of the individual). For one-point crossover, two individuals are aligned and one location on their strings is randomly chosen as the crossover site. Now the parts from the beginning of the individuals to the crossover site are exchanged between them. The resulting hybrid individuals are taken as the new offspring individuals. Analogously, more than one crossover point can be selected and only the fragments between those positions exchanged (two-point crossover for two crossover points; uniform crossover for as many crossover sites as positions in the individual).

- Selection of individuals for the new parent generation. In the original genetic algorithm the complete offspring was selected while all parents were discarded. This is motivated by the biological model and is called Total Generation Replacement. More recent variations of generation replacement compare the original parent individuals and the offspring which are then ranked by their fitness values. Only the n best individuals (n is the population size, i.e. the number of individuals in one generation) are taken into the next generation. This method is called Elitist Generation Replacement. It guarantees that good individuals are not lost during a run. With total generation replacement it can happen that good individuals “die out” because they produce only offspring inferior in terms of the fitness function. Another variant is the Steady State Replacement. There, two individuals are randomly selected from the current population. The genetic operators are applied and the offspring is used to replace the parents in the population. Steady state replacement often converges sooner because on average it requires fewer fitness evaluations than elitist or total generation replacement.

- Going back to the step of evaluation until either a desired fitness value is reached or until a predefined number of iterations is performed.

1.3.6 *Artificial neural networks*

Artificial neural networks are a class of algorithms modelled on biological neural networks. They were initially developed and designed to simulate the processing of information and the learning mechanism in the brain of living organisms, and later they became a powerful analytical and predictive tool in many different field of application.

The base constituent of artificial neural networks is the artificial neuron, proposed by McCulloch and Pitts in 1943 [Pitt and Mc Culloch, 1943], who summarized a linear threshold combinatory, with multiple binary input data and a single binary output: an appropriate number of such elements connected to form a network, can compute simple Boolean functions.

The first learning hypothesis were introduced by Hebb in 1949 [Hebb, 1949], who suggested connections with neural complex models. In 1958 Von Neumann [Von Neumann, 1958] examined the solutions previously proposed, underlining that the inaccuracy of these structures made them not suitable for complex computing. In the same year Rosenblatt [Rosenblatt, 1958] introduced the first scheme of a neural network, called perceptron, for the recognition and classification of shapes, in order to give an interpretation of the general organization of biological systems. The perceptron is the forerunner of current neural network. The probabilistic model of Rosenblatt is focused on the mathematical analysis of functions such as the storage of information and their influence on pattern recognition: this is an important progress compared to the binary model of McCulloch and Pitts, since the variable synaptic weights make the perceptron able to learn. The work of Rosenblatt stimulated further studies and research for a decade, and aroused a keen interest and high expectations in the scientific community that, however, were significantly reduced in 1969 when Marvin Minsky and Seymour A. Papert [Minsky and Papert, 1969], showed the operative limits of simple two-layer networks based on perceptron, and the impossibility to solve many classes of problems in this way, namely those characterized by non-linear separability of the solutions: this type of neural network is not powerful enough, and it can not even calculate the exclusive OR function (XOR).

The mathematical context to train Multi-Layers Perceptron (MLP) networks was established by the American mathematician Paul Werbos in 1974. His work didn't generate much consensus because of the strong confutation previously demonstrated by Minsky and Papert, and only in 1982 Hopfield reopened the chances for research in this field, with his study on general models of pattern recognition that was directly opposed to Minsky's confutation.

One of the best known and effective methods for training this class of neural networks is called the error back-propagation algorithm, proposed in 1986 by Rumelhart, Hinton and

Williams [Rumelhart, 1986], which systematically changes the weights of the connections between nodes, so that the response of the network gets closer and closer to the desired one. This work was produced by incorporating the model created by Werbos. The back-propagation algorithm (BP) is a technique of learning by example, constituting a generalization of the algorithm for the learning of the perceptron developed by Rosenblatt. The learning algorithm is based on the gradient descent method which allows us to find a local minimum of a function in a space with N dimensions. The weights associated with connections between layers of neurons are initialized to small and random values (i.e. much lower than the actual values that will be assumed) and then the learning rule is applied by submitting sample patterns as examples to the network. These neural networks are able to generalize in an appropriate way, i.e. to give plausible answers for inputs that they've never seen.

The training of a BP neural network occurs in two different stages: forward pass and backward pass. In the first phase the input vectors are applied to the input nodes with a forward propagation of signals through each level of the network (forward pass). During this phase the values of synaptic weights are all set. In the second stage, the response of the network is compared to the desired output and a signal error is obtained. The calculated error is propagated in the opposite direction with respect to that of synaptic connections. The synaptic weights are then modified to minimize the difference between actual and desired output (backward pass). This algorithm helped researchers overcome the limitations of the perceptron and solve the problem of non-linear separability (and thus calculate the XOR function), marking the final recovery of neural networks, as demonstrated by the wide variety of commercial applications.

Neural networks can have many different forms, called architectures: *recurrent* (if it contains cycles), *feed-forward* (if each layer receives information only from the state just below and transmits information only to the layer above) and *stratified* (if units are divided into classes, called layers, with well defined connectivity). In most bioinformatics applications neural networks have layered feed-forward architecture. The visible units are those in contact with the outside world, for example the input and output of the neural network. Hidden units are often grouped into layers and the number of layers determines the depth of the neural network. A peculiar feature of neural networks concerns their ability to "learn" in an attempt to simulate the behaviour of the human brain. Learning takes place against a set of data (called a training set). During the learning the network processes the training set for possible, even if weak, signals which can correlate the input sequence with that of the output. The learning process consists in the development of parameters that measure the "weight" of each of the paths linking the nodes. At first, the parameters can take random values, but then all the training data are presented to the network to allow the algorithm to learn the known answers. The weights are

changed at each cycle according to standard techniques in order to minimize the difference between the output obtained and the correct desired output. The final validation of the learning process is performed on a set of sequences, experimentally assigned to one or another layer, which does not have elements in common with the training set used in the previous learning. The neural network has acquired the necessary information to make predictions on new sequences and is not limited merely to restore what has been used to train it in the learning phase. Once trained, the neural network can be used for different types of prediction.

A particular type of neural network is the **Hopfield Neural Network**, proposed in 1982 by the physicist John J. Hopfield [Hopfield, 1982]. This network is characterized by the spontaneous emergence of new computational properties as collective properties of systems having a large number of simple equivalent components (or neurons). The collective properties of this model produce a content-addressable memory suitable for the recognition of corrupt configurations and the recovery of missing information. In addition, Hopfield considers that any physical system can be considered as a potential memory device, provided that it has a number of stable states acting as an attractor for the system [Hopfield, 1984]. Based on this consideration, he strives to articulate the thesis that stability and location of these attractors are spontaneous properties of systems consisting of large quantities of mutually interacting neurons. Hopfield neural network reversed the relationship between computation and numbers: while it was universally known that calculation produced numbers, conversely, Hopfield's observation that conversely numbers could spontaneously generate calculation and that this could emerge as a collective attribute of such interactive systems was far less trivial.

The applications of Hopfield networks mainly concern the implementation of associative memories, resistant to the alteration of operating conditions, and the solution of problems of combinatorial optimization. From a structural point of view, the Hopfield network is a recurrent and symmetric neural network, whose convergence is guaranteed.

A recurrent network is a neural model in which there is a two-way flow of information; in other words, while in the feed-forward networks the propagation of signals is unique, continuous in the direction leading from inputs to outputs, in recurrent networks this propagation can also occur from a following neural layer to the previous one, or between neurons belonging to the same layer, and even inside a neuron itself.

Artificial neural networks are intrinsically non-linear models able to classify complex patterns. In particular, the self-organizing networks as the **Kohonen's Self Organizing Map**

(SOM) are well-known as a natural non-linear classifier [Kohonen, 1990; Ritter and Schulten, 1988]. This innovative type of neural networks has been developed by Kohonen, University of Technology of Helsinki; its learning algorithm is a brilliant formulation of unsupervised learning, and gave rise to a large number of applications in classification problems. A SOM map, or network, is based essentially on a grid of artificial neurons whose weights are continuously adapted to the presented input vectors in its training set. These vectors can be generic in size, although in most applications their dimension is rather high. The outputs of the network, on the other hand, are usually limited to a maximum size of three, which can give rise to 2D or 3D maps. In more analytical terms, the algorithm can be described as a set of artificial neurons, each with a precise location on the map representing the output. This set of artificial neurons takes part in a process known as “Winner Takes All Law”, after which the node with a weight vector that is closer to a certain input is declared the winner, while the weights themselves are updated in order to bring them closer to the input vector. Each node has a number of adjacent nodes. When a node wins a competition, the weights of neighbouring nodes are modified, according to the general rule that the farther a node is from the winner node the less marked its weight change should be. The process is then repeated for each vector of the training set for a certain, usually large, number of cycles. Different inputs produce different winners. The map is therefore able to associate the output nodes with recurrent groups or patterns in the set of input data. If these patterns are recognizable, they can be associated with the corresponding nodes of the trained network.

In a similar way to that of the majority of artificial neural networks, also the SOM map, or network, can operate in two distinct ways:

- During the training phase the map is being built, so that the network is configured and organized through a competitive process. A set of input vectors as wide as possible has to be provided to the network, such as to accurately represent the type of carrier that will be submitted in the second phase;

- During the second phase, each new input vector can be quickly classified or categorized, by placing automatically on the map obtained in the previous phase. There will always be a single winning neuron, the one whose weight vector lies closer to the vector subjected to the network; this neuron can be determined simply by calculating the Euclidean distance between the two vectors

In the study of proteins, neural networks have shown to be a successful tool in the development of methods for prediction of secondary structure, transmembrane regions,

interactions of proteins and many others.

In the case of supervised learning, if for example we have a number of molecules whose structure and function is known, we can use them to classify new molecules of which we know only the structure but not function. Neural networks can be used to predict the three-dimensional structure from the secondary one, to find the binding affinities of new ligands from the characteristics of known ligands, to predict the behaviour in specific electromagnetic conditions of a new molecule with known structure, comparing it to a set of other molecules whose behaviour and structure are known.

In the case of unsupervised learning, this allows one to find a classifier for a data set a priori, without knowing a correlation between a specific cause and an effect. For example, it is possible to classify by similarity a set of proteins of which only the structure is known and without knowing anything else.

The use of supervised learning neural networks in the study of three-dimensional structure of proteins is relatively recent and limited to the prediction of secondary structures [Holley and Karplus, 1989]. Some methods show the results in a tabular way, which is similar to the tables of "propensity" values for amino acids in the different conformations, produced by some statistical procedures. These results can be applied to the prediction of secondary structure of any polypeptide. The functional outline for a perceptron used in the prediction of protein secondary structures is based on two phases: learning and question phase.

In the learning phase, a number of significant cases, for which the exact correspondence between primary and secondary structure of the protein is known, is submitted to the network, and the geometry and intensity of connections and threshold value for the neurons is optimized based on this correspondence (Fig. 1.1).

In the question phase, a primary structure is subjected to the input layer of the network and, on the basis of the values for the connections and the thresholds optimized in the previous phase of "Learning", the layer of output proposes a corresponding secondary structure. Figure 1.2 illustrates the architecture of a generic perceptron used in the prediction of secondary structure of proteins.

There are however many variations on this scheme. An important observation is that the performance of a network does not depend simply on the size of the "training set" used in the learning phase. In particular, the degree of homology between the proteins of the "training set" and those of the "testing set" used during the interrogation phase is of great importance, and the better the network "learns to recognize" the protein training set, the worse its predictive ability against "unknown" proteins will be.

Neural networks are particularly promising in the prediction of protein structures compared to traditional approaches, because there is no need for pre-theoretical assumptions, the flexibility in defining network architecture allows the finding of optimal arrangements for particular problems and situations, and the possibility to fully exploit some recent developments in computer technology, such as the simultaneous use of several processors in parallel, results in computational improvements measurable in orders of magnitude.

The limitations encountered in the applications performed until now show however that substantial improvements in the solution of the problem can't be expected from an indiscriminate use of the method in terms of a black box. It should be seen as a further investigative tool, powerful and flexible, in addition to others already in our possession, supplemented with new and original features.

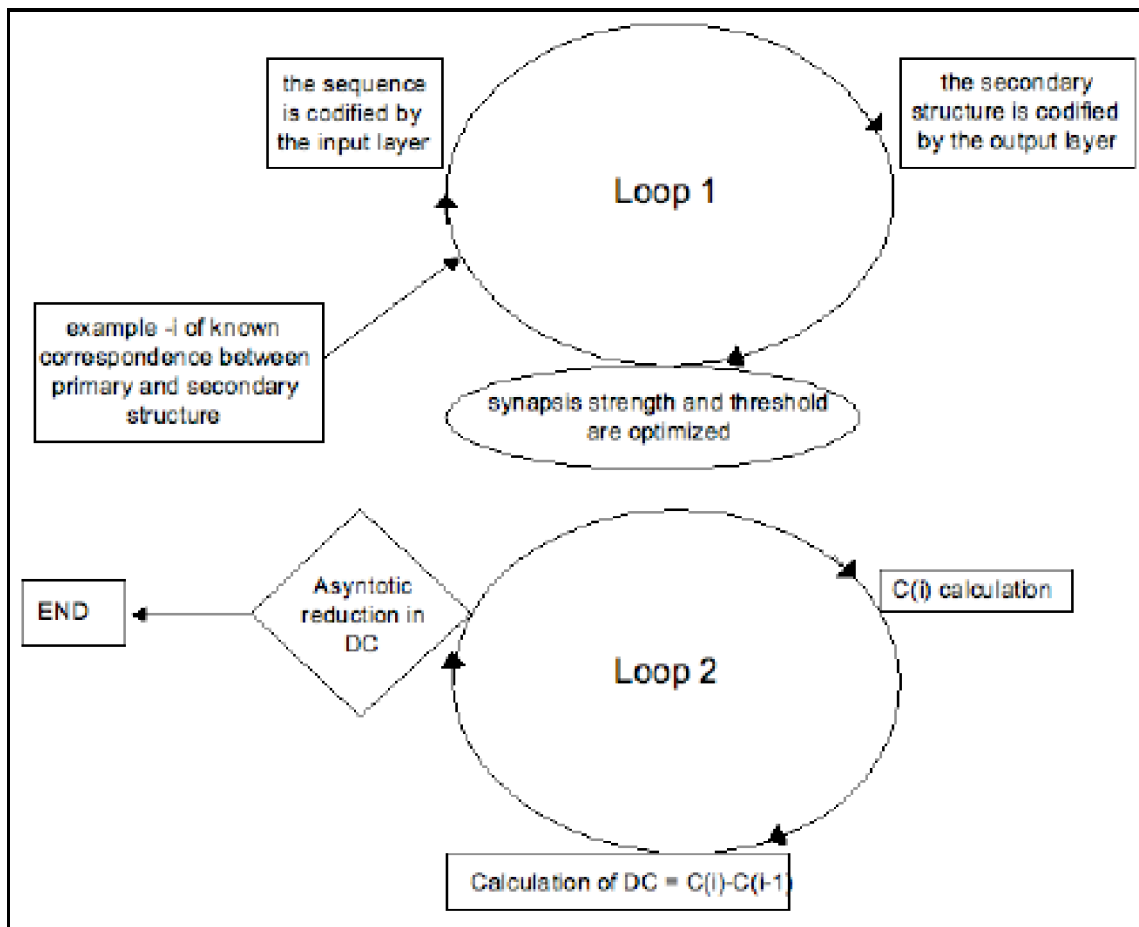


Figure 1.1 Cyclic Learning algorithm for a perceptron to be used in the prediction of protein secondary structures. Learning consists in minimizing the function C of the differences between expected and found results of output units at every neuronal layer (number of interactions).

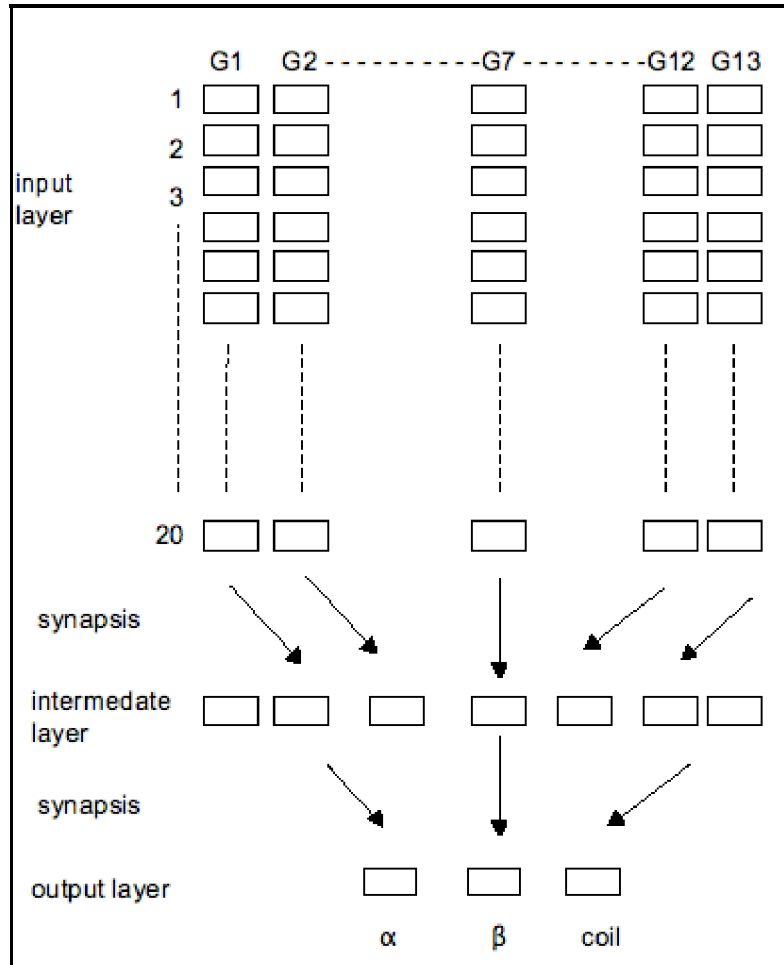


Figure 1.2 Architecture of a generic perceptron used in the prediction of secondary structure of proteins.

2. MATERIALS

2.1 MICROTUBULES AND TUBULIN

Microtubules (MTs) are cylindrical protein polymers and are key constituents of all cells of the eukaryotic cytoskeleton. They are involved in the regulation of essential cellular functions such as the transport of materials within the cell, the movement of cytoplasm organelles or vesicles and cell division [Hyams and Lloyd, 1994].

MTs are stiff cytoskeletal filaments characterized by a tubelike structure; they are also relatively fragile and more liable to break than cytoskeletal microfilaments or intermediate-filaments. The building block of a MT is a 110-kDa heterodimeric protein called tubulin that is the association product of two different subunits, designated α and β tubulin [Postingsl et al., 1981] and encoded by separate genes (Fig. 2.1). The term tubulin always refers to the $\alpha\beta$ heterodimer, that is usually considered as one unit, although the association is only due to non-covalent interactions. Each monomer of α and β tubulin is a compact ellipsoid of approximate dimensions 46x40x65 Å (width, height, and depth, respectively); while dimensions of an $\alpha\beta$ -heterodimer are 46 x 80 x 65 Å. Both α - and β - tubulin are composed of approximately 450 amino acids and, in spite of their sequence identity (approximately 40%), slight folding differences can be seen. The two tubulins exhibit homology with a 40,000-MW bacterial GTPase, called FtsZ, a ubiquitous protein in eubacteria and archeobacteria. Like tubulin, this bacterial protein has the ability to polymerize and participates in cell division. Perhaps the protein carrying out these ancestral functions in bacteria was modified in the course of evolution to fulfil the diverse roles of MTs in eukaryotes [Lowe and Amos, 1998].

In 1998 Nogales et al. obtained the structure of the $\alpha\beta$ -heterodimer at 3,7 Å resolution by electron crystallography of zinc-induced crystalline sheets of tubulin stabilized with taxol [Nogales et al., 1998]. In 2001 this structures has been refined [Lowe et al., 2001]. The core of each monomer contains two β -sheets of 6 and 4 strands that are surrounded by α -helices, and a pair of globular domains set on either side of a central (core) helix H7. The monomer structure is very compact, but can be divided into three functional domains: the amino-terminal domain containing the nucleotide-binding region, an intermediate domain containing the Taxol-binding site, and the carboxy-terminal domain, which probably constitutes the binding surface for motor proteins and is responsible for the interaction with several microtubule-associated proteins (MAPs) (Nogales et al., 1998; Luchko et al., 2008; Sackett ae al., 1985).

Calculations of the electrostatic charge distribution displayed that tubulin is quite highly negatively charged at physiological pH and that much of the charge is concentrated on the C-terminus of each tubulin monomer. The C-terminal end forms two long helices (H11 and H12) connected by a U-turn while the final 13 residues of α -tubulin and 9 residues of β -tubulin are

too disordered in the 2D crystals to show up as electron density but are assumed to project out into the solution. A detailed map of the electric charge distribution on the surface of the tubulin dimer showed that the C-termini, which extend outward, carry a significant electric charge [Tuszynski et al., 2005.]. In physiological conditions (neutral pH), the negative charge of the carboxy-terminal region causes it to remain extended due to the electrostatic repulsion within the tail. Under more acidic conditions, the negative charge of this region is reduced by association of hydrogen ions. The effect is to allow these tails to acquire a more compact form by folding.

Each tubulin hetero-dimer binds two molecules of guanine nucleoside phosphates (GTP) and exhibits GTPase activity that is closely linked to assembly and disassembly of MTs. One GTP-binding site is located in α -tubulin at the interfaces between α - and β - tubulin monomers; in this site GTP is trapped irreversibly and it is not hydrolyzable. The second site is located on the surface of the β -tubulin subunit; in this site GTP is bound reversibly and it is freely hydrolysable to GDP. The GTP bound to β -tubulin modulates the addition of other tubulin subunits at the ends of the MT (Fig. 2.2 and 2.3).

Recently important information about tubulin conformational changes during the MTs polymerization has been obtained through X-ray crystallography [Ravelli et al., 2004]. The general structure of MTs has been established experimentally [Amos and Amos, 1991; Chrétien and Wade, 1991]. MTs are helical polymers and they are built by the self-association of the $\alpha\beta$ -heterodimer. In those polymers tubulin subunits are arranged in a hexagonal lattice which is slightly twisted, resulting in different neighbouring interactions among each subunit. The polymerization occurs in a two-dimensional process that involves two types of contacts between tubulin subunits. The first process involves head-to-tail binding of hetero-dimer and it results in polar proto-filaments that run along the length of the MT. The second process involves lateral interactions between parallel proto-filaments and it completes the MT wall to form a hollow tube [Nogales et al., 1999]. The longitudinal contacts along proto-filaments appear to be much stronger than those between adjacent proto-filaments [Mandelkow et al., 1991]. The head-to-tail arrangement of the α - and β -tubulin dimers in a proto-filament confers an overall polarity on a MT. All proto-filaments in a MT have the same orientation. The longitudinal interactions between tubulin subunits in the proto-filament seem to involve exclusively heterologous (α - β) subunits. In contrast, the lateral interactions involve predominantly homologous subunits (α - α , β - β) but heterologous interactions (α - β) occur also. Tubulin can polymerize in two distinct arrangements: “B-lattices” in which the α -tubulins of one proto-filament lie next to the α -tubulins in the neighbouring proto-filaments; or the “A” configuration, where α -tubulins lie beside β -tubulins. It has been shown that 13 proto-filament microtubules with B-lattices must

include a “seam”, one lateral domain where adjacent dimers are in the A-configuration. The seam is the point in the microtubule lattice in which two proto-filaments align such that an α monomer meets a β monomer. It follows that such microtubules are not cylindrically symmetric; they have two distinct faces, which may influence the binding patterns of functionally significant microtubule-interacting proteins. Their seam defines a line parallel to the MT axis where adjacent tubulins are arranged differently from all other tubulins on the MT surface, because the tubulins on either side of this seam meet their neighbours with the A-lattice configuration. As a result, they might be able to bind MT-associating proteins in a unique way. [Chrétien et al., 1991; McIntosh et al. 2009].

Assembly mechanism of α - and β - tubulin gives rise in vitro to a variety of cylindrical structures that differ by their proto-filament and monomer helix-start numbers [Binder and Rosenbaum, 1978; Pierson et al., 1978]. In contrast, most MTs assembled in vivo seem to be composed of 13 proto-filaments, although many exceptions have been noted in different species and cell types; for example in neurons of the nematode *Caenorhabditis-elegans* some specialized MTs have 15-proto-filaments (Fig. 2.4) [Savage et al., 1989]. The lengths of MTs vary but commonly reach 5-10 micron dimensions; and their diameter depends on the proto-filament number. For example in the case of 13 proto-filaments the tube has an outer diameter of 23 nm and an inner diameter of roughly 15 nm.

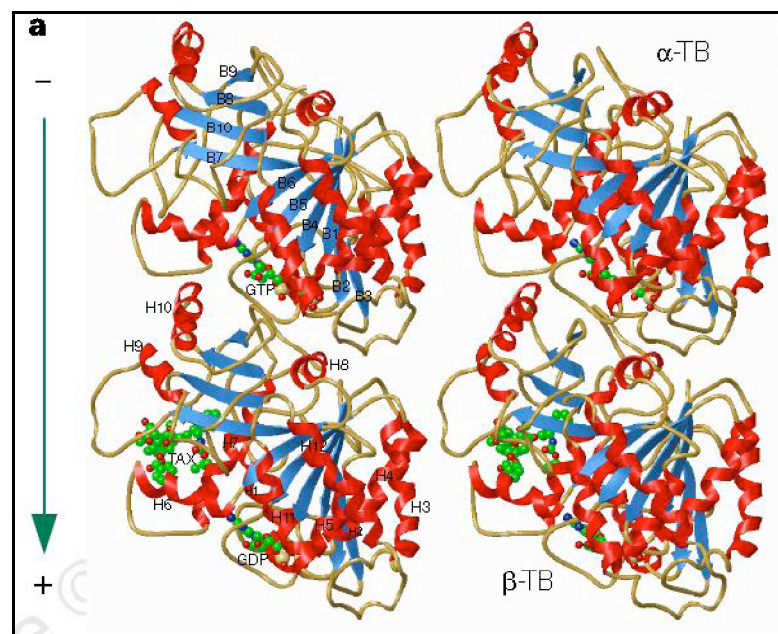


Figure 2.1 Tubulin structure

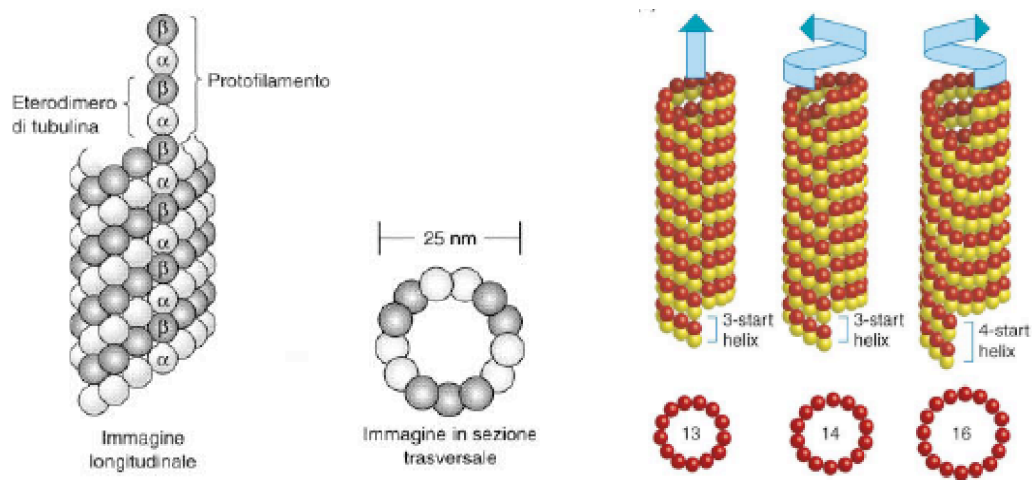


Figure 2.2 Spatial distribution of tubulin in the microtubule

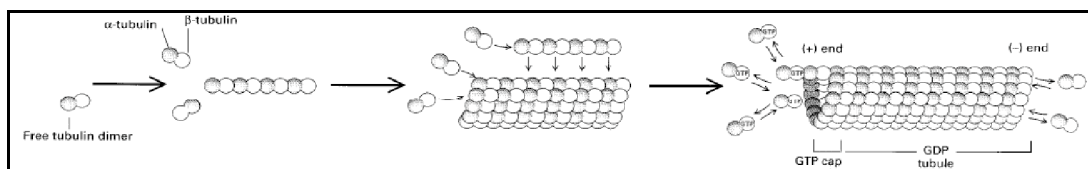


Figure 2.3 Microtubule assembly

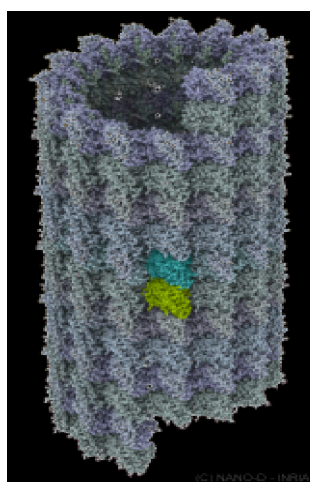


Figure 2.4 Structure of a microtubule with 15 proto-filaments

2.2 MICROTUBULES AND TUBULIN PREPARATION

Stabilized microtubules (#MT001-A), tubulin (#TL238), taxol (# TXD01), GTP (#BST06) and General Tubulin Buffer (# BST01) are supplied by Cytoskeleton Inc. Denver, CO. USA.

- Preparation of buffer for microtubule: MTs resuspension buffer is obtained by adding 100 μ l of 2mM taxol stock in dry DMSO to 10 ml of room temperature PM buffer (15 mM PIPES pH 7.0, 1 mM MgCl₂). It is important to make sure that PM buffer is at room temperature as taxol will precipitate out of solution if added to cold buffer. Resuspended taxol should be stored at -20 °C.
- Preparation of tubulin buffer: GTP stock solution (100mM) is added to General Tubulin Buffer (80 mM PIPES pH 6.9, 2 mM MgCl₂, 0.5 mM EGTA) at a final concentration of 1mM GTP. The tubulin buffer will be stable for 2-4 hours on ice.
- Microtubules Reconstitution. 1 ml of buffer MT is added to 1 mg of lyophilized MTs and mixed gently. Resuspended MTs are left at room temperature for 10–15 minutes with occasional gentle mixing. The MTs are now ready to use. They are at a mean length of 2 μ m and the tubulin concentration is 1mg/ml. MTs will be stable for 2-3 days at room temperature, although it should be noted that the mean length distribution will increase over time. MTs can be snap frozen in liquid nitrogen and stored at -70 °C.
- Tubulin Reconstitution. 1 mg of lyophilized tubulin is resuspended in 1 ml of buffer T at 0-4 °C (final tubulin concentration is 1 mg/ml). The reconstituted tubulin solution is not stable and needs to be used soon after its preparation.

2.3 BUCKYBALLS

The buckyballs are hollow molecules composed of 60 carbon atoms structured like a ball and held together by single and double chemical bonds. Because of its structure made entirely of carbon and due to its extraordinary chemical stability, carbon-60 has often been considered as the third most important form of pure carbon, after diamond and graphite.

The buckyballs are named after the American R. Buckminster Fuller, architect, inventor, preacher, who designed a geodesic dome with similar form. In fact the official name of buckyballs is buckminsterfullerenes.

Before the discovery of buckyballs, the only known forms of pure carbon were graphite and diamond, which are both crystalline materials.

Graphene, which provides the structural basis of all other graphitic materials, from graphite itself to fullerenes (carbon nanotubes, buckeyballs, etc.) was first isolated as individual planes by a team of the University of Manchester in 2004. It is a sheet of carbon atoms bound together with double electron bonds (called a sp^2 bond) in a thin film only one atom thick. Atoms in graphene are arranged in a honeycomb-style lattice pattern. Graphene is extracted from graphite, which is how it gets its name. The term graphene was coined as a combination of graphite and the suffix -ene by Hanns-Peter Boehm, who described single-layer carbon foils in 1962.

Perfect graphene is in hexagonal form, although imperfections can cause heptagonal or pentagonal structures. Obtaining pure graphene in planar form is difficult and, until 2004, it was assumed by many to be impossible. Since its discovery, graphene has grown central to much of the research into nanotechnology, due to its unusual electrical and magnetic properties

The buckyballs form molecular solids, consisting of single and self-contained fullerene molecules, which are not chemically bound to each other. The buckyballs are stacked lattices and are arranged in a structure similar to the aggregation of individual atoms in a crystal.

The buckyballs are normally obtained by causing an electrical discharge between two graphite electrodes with a device similar to an arc welder. The heat generated at the contact points between the electrodes makes carbon evaporate and form ash, buckyballs, and other carbon compounds. The buckyballs are then extracted from the ash through sophisticated chemical separation techniques.

Since the fullerene crystals consist of buckyballs, which interact weakly, the properties of these solids depend on the structure and properties of individual molecules of buckyballs. Studying these molecules is therefore important to understand the properties of various useful materials that can be generated by carbon-60. The sixty carbon atoms of carbon-60 are located at the vertexes of a truncated icosahedron.

Although research on fullerenes and related materials is still in the early stages, these materials have shown many outstanding properties, some of which will certainly lead to practical applications.

Interesting applications of buckyballs that are being developed include those related to completely new equipment, such as diamond films, life-saving drugs, such as AIDS vaccines, and complex micro-fabrication techniques, like production of computer chips [Dresselhaus and Pevzner, 1996].

2.4 NANOTUBES

The time required to process and transfer information faster has reached the point at which quantum effects can no longer be neglected. The electronics industry will evolve from the technology based on silicon towards innovative materials with new physical properties. These new materials include the carbon nanotubes which currently represent one of the most promising alternatives to overcome the current limitations of silicon.

Currently, with a large commitment of academic and industrial scientists, the research is developing nanotubes with extremely advanced and useful properties, as they can act both as semiconductors and as superconductors. Thanks to the structure of these nanoscale materials, their properties are not restricted to classical physics, but present a wide range of quantum mechanical effects. These may lead to an even more efficient tool for information transfer.

Quantum transport properties of CNTs have been reviewed by Roche et al., 2006, both from a theoretical and experimental view. Recently, it has been described that the low-temperature spin relaxation time measurement in a fully tuneable CNT double quantum dots. This is an interesting study for new microwave-based quantum information processing experiments with CNTs [Sapmaz et al., 2006].

CNTs originate from fullerenes, whose spherical structures, after a subsequent relaxation, tend to roll up on themselves, resulting in the typical cylindrical structure of carbon nanotubes (Figure 2.5). Similarly to fullerene, nanotubes can be seen as allotropic forms of carbon.

Nanotubes can be subdivided in two main types: *Single-Wall Carbon Nanotube (WCNT)*, made up of a single graphitic sheet rolled up on it; and *Multi-Wall Carbon Nanotube (MWCNT)*, formed by several sheets wound coaxially on each other.

The core of the nanotube consists of only hexagons, while the closure structures are formed by pentagons and hexagons, just like the fullerenes. For this reason, nanotubes can be considered as a kind of giant fullerenes. Because of this conformation of hexagons and pentagons, nanotubes often have structural defects or imperfections deforming the cylinder. The diameter of a nanotube ranges from a minimum of 0.7 nm and a maximum of 10 nm. The high ratio of length to diameter (in the order of 10^4) allows considering them as virtually one-dimensional nanostructures, and gives them very peculiar properties.

The first to discover a nanotube was in 1991 the Japanese Sumio Iijima, a researcher at NEC Corporation. Since the discovery of nanotubes, several studies have been performed to determine their physical and chemical properties, by using both direct testing on samples, and computational simulations. At the same time researchers are developing effective systems to

take advantage of these properties for future practical applications.

The single-wall nanotube is highly resistant to traction. It has interesting electrical properties: depending on its diameter or its chirality (ie the way in which the carbon-carbon bonds are placed along the circumference of the tube) it can be either a current conductor, such as a metal, or a semiconductor, as silicon in microchips. Because of these characteristics, nanotubes stimulate the research on new construction methods in electronics, such as chips smaller and smaller in size and fast in performance.

Nanotubes can be treated to become extremely sensitive to the presence of high voltage electric fields. In fact, they react to such fields bending up to 90° , and then resume their original shape as soon as the electric field is interrupted. The experiments performed have shown that it is possible to influence the natural resonant frequency of the nanotube, which depends on the length, diameter (as for any dynamic system) and morphology. This interesting property can be exploited in numerous applications in nanotechnology.

The electronic structure of nanotubes is very similar to that of graphite. Since graphite has good conductive properties in planar direction, it would be reasonable to expect a similar behaviour from nanotubes. Instead nanotubes have shown surprising conductivity properties that change according to their geometry: some show a metallic behaviour, other metallic or semi-conducting behaviour depending on the case. Moreover, multi-walled carbon nanotubes are shown to be ballistic conductors at room temperature, with mean free paths of the order of tens of microns. The measurements are performed both in air and in high vacuum in the transmission electron microscope on nanotubes that protrude from unprocessed arc-produced nanotube containing fibres which contact with a liquid metal surface (Poncharal P, 2002).

These properties make nanotubes very interesting for the development of nanowires or quantum wires, which could support the silicon in the field of electronic materials, and allow the transition from microelectronics to nanoelectronics. It has been estimated that a processor made of nanotube transistors could easily reach 1000 GHz, overcoming all barriers of miniaturization and heat dissipation that the current silicon technology requires. To do so, however, a technique to produce nanotubes of different size and shape in controlled conditions should be implemented. Moreover it would be necessary to produce large quantities of contact junctions and circuits, in order to achieve reduce the production costs. The conductive properties of nanotubes can be varied by doping them, or by inserting in their structure some atoms with the required characteristics. Among the most interesting results in this field there is a nanometer diode consisting of two nanotubes, which precisely allows the current to flow in one direction but not in the opposite direction.

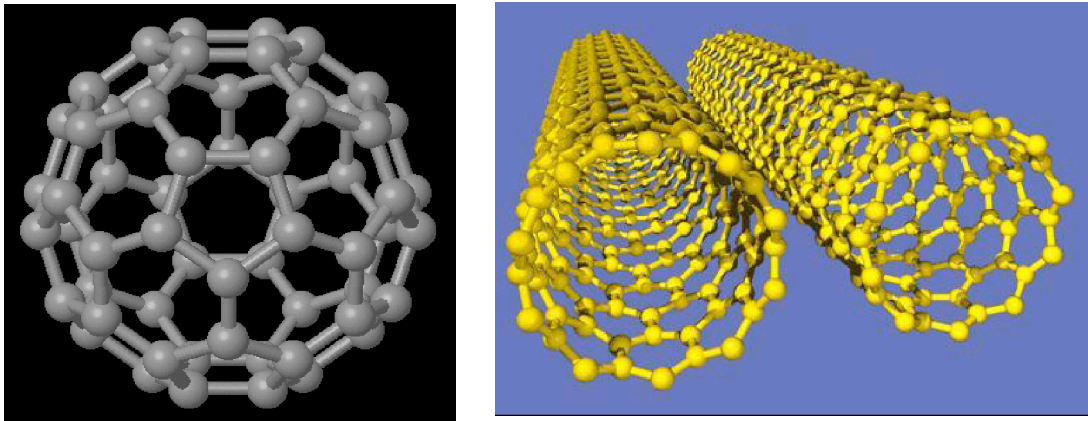


Figure 2.5 Structure of Carbon Nanotubes.

2.6 COMPARISON BETWEEN MICROTUBULES AND NANOTUBES

Microtubules are structures with excellent mechanical properties, which combine high strength and stiffness. Such a combination enables these polymers to perform their cellular functions. The high stiffness is required during the elongation of the mitotic spindle; high resistance allows MTs to bind to other cytoplasmic structures and to change direction without stopping if they encounter obstacles during the elongation process. According to Pampaloni [Pampaloni and Florin, 2008] CNTs are the closest equivalents to MTs among the known nanomaterials. Although their elastic modules are different, MTs and CNTs have similar mechanical behaviours. They are both exceptionally resilient and form large bundles with improved stiffness (in the case of MTs, by using MAPs for interconnections).

Due to their extreme resistance they can be folded to a small radius of curvature and restore their original shapes without suffering permanent damage. Moreover, their hollow tubular structure provides greater flexibility and efficiency in the transport, compared to other solid forms. A third similarity between these materials is the ability to form large bundles. For example, CNTs form nested structures (multi-walled carbon nanotubes, MWCNTs) and parallel bundles (nanocorde carbon). Despite many similarities, a fundamental difference between MTs and CNTs is that the former are materials that self-assemble under conditions of moderate pH and temperature, while the latter are stiff materials made by centrifugation, stratification or other procedures.

An interesting target in the research on nanotubes is to examine the behaviour of assembled

carbon nanotubes, and to attempt the construction of grids of these macroscopic populations of carbon atoms that can then be used to send information without signal loss.

In the field of industrial engineering major focus is that the microtubules are, from a structural point of view, very similar to carbon nanotubes. Both structures are characterized by a hollow cylindrical shape, the diameter of a microtubule is 25 nm and can reach lengths up to few microns, the diameter of a nanotube ranges from a minimum of 0.7 nm and a maximum of 10 nm.

It is theoretically postulated that these structures can maintain thermally isolated areas, that can operate quantum mechanics in a similar way to that of cavities in quantum optics, maintaining quantum coherent states for a sufficient long time to transfer energy and information along their moderate size (few micrometers), and probably along the microtubule network [Mavromatos, 1999].

Nanobiotechnology can move towards a next generation of materials with a wide range of functional properties. As suggest by Michette et al, 2004, MTs associated with carbon chemistry will allow building complex macromolecular assemblies for sharing the exciting electronic properties of semi- and super-conductors.

2.7 HYPOTHESIS ABOUT QUANTUM PROPERTIES OF MTs

In the last decade many theories and papers have been published concerning the biophysical properties of MTs including the hypothesis of MTs implication in coherent quantum states in the brain evolving in some form of energy and information transfer.

It must be said that up to now no conclusive experimental evidence has been drawn to validate any of these theories in a definitive way.

The most discussed theory on quantum effects involving MTs has been proposed by Hameroff and Penrose that published the OrchOR Model in 1996 [Hameroff and Penrose, 1996]. These authors supposed that quantum-superposed states develop in tubulins, remain coherent and recruit more superposed tubulins until a mass-time-energy threshold, related to quantum gravity, is reached (up to 500 msec). This model has been discussed and refined for more than 10 years, mainly focusing attention on the decoherence criterion after the critical paper by Tegmark [Tegmark 2000] and proposing several methods of shielding MTs against the

environment of the brain [Hagan et al., 2002; Hameroff 2007]. In the Hameroff model MTs perform a kind of quantum computation through the tubulins working like cellular automata. The MTs interior works as an electromagnetic wave guide, filled with water in an organized collective states, transmitting information throughout the brain [Hameroff 2007].

In the same years Nanopoulos et al adopted the string theory to develop a so called QED-Cavity model predicting dissipationless energy transfer along MTs as well as quantum teleportation of states at near room temperature [Mavromatos et al., 2002].

The Tuszynski approach is based on the biophysical aspects of MTs. Tubulins have electric dipole moments due to asymmetric charge distributions and MTs can be modeled as a lattice of orientated dipoles that can be in random phase, ferroelectric (parallel-aligned) and an intermediate weakly ferroelectric phase like a spin-glass phase [Tuszynski, 1998]. The model has been extended by Faber et al [Faber et al., 2006] who considered a MT as a classical subneuronal information processor.

In 1994 Jibu and Yasue suggested that the Fröhlich dynamics of ordered water molecules and the quantized electromagnetic field confined inside the hollow MT core can give rise to the collective quantum optical modes responsible for the phenomenon of superradiance by which any incoherent molecular electromagnetic energy can be transformed in a coherent photon inside the MTs [Jibu et al., 1994]. These photons propagate along the internal hollow core as if the optical medium was transparent and this quantum theoretical phenomenon is called “self-induced transparency”. A decade before, applying quantum field theory (QFT), Del Giudice et al [Del Giudice et al., 1983; Del Giudice et al., 1982] reported that electromagnetic energy penetrating into the cytoplasm would self-focus inside filaments whose diameter depend on symmetry breaking (Bose condensation) of ordered water dipoles. The diameter calculated was exactly the inner diameter of MTs (15 nm).

The next step made by Jibu was to characterize in detail how this biophotonic communication system could be organized, and he also tried to characterize the 'generating source' of light. The spatial region V inside the MT is not an empty space, but is filled with water molecules and also with other molecules even if in relatively low concentration. We can consider the ideal case where these impurities can be overlooked since it is quite likely that the density of water confined inside the MT remains mostly constant. It is therefore possible to set the total number of molecules of water within the region V to a generic value N . From a physical point of view, the water molecule is characterized by a constant electric dipole that makes it interact strongly with the quantum electromagnetic field, which is always present in the spatial region V inside the MT. The forces acting on a single water molecule and affecting its quantum dynamics are essentially of three types: the movements of spin of the molecule, the

quantum electromagnetic field, the interaction between the quantum electromagnetic field and all the molecules of water involved in energy exchange for creation and annihilation of photons.

These considerations could lead to expect for MTs a coherent optical activity like a laser device. Actually, although MTs show the same quantum-dynamic behaviour as laser devices, there is a substantial difference. In laser devices there is a mechanism of pumping (represented for example by a xenon flash lamp), which allows to trigger the emission of coherent photons in a continuous manner. Since within neurons there is no light that can accomplish the pumping operation, the emission of coherent photons should be triggered by a different mechanism. Through spatial phenomena of long-range interactions that characterize a given region, a mechanisms able to influence the collective dynamics of water molecules inside the cylinder and then give rise to spontaneous emissions of photons could be verified among all the hypothetical mechanisms. All incoherent and disordered energies, transferred to water molecules from the thermal and macroscopic dynamics of the polymerized tubulin in a microtubule, can be assembled in a coherent and ordered dynamic, in order to emit consistent photons with a pumping mechanism that is without light and is called superradiance.

Because of the limited length of the microtubule c ($10^2 - 10^3$ nm), the pulsing that propagates along the cylinder in the direction of the z axis, would be located in the inner cavity only for a very short period of time. As this transition time is much smaller than the characteristic time of thermal interaction, the system of water molecules and the quantum electromagnetic field would therefore be free from thermal dissipation and can be regarded as a closed system so effectively described by the Heisenberg equations (it is not possible to simultaneously know the momentum and position of a particle with absolute certainty).

Figure 2.6 is a schematic representation of the phenomenon of superradiance in a MT. In this figure, each oval without an arrow indicates a water molecule that is in its lowest rotational energy state (steady state), and each oval with an arrow indicates, instead, a water molecule that is the first state of rotational excited energy. The process is cyclical, moving from state “ a ” to state “ b ”, “ c ” and “ d ”, and then back again to the state “ a ” to start over. The situation in “ a ” expresses the initial state of water molecules in a MT system. The energy supplied by thermal fluctuations of tubulins results in the passage of water molecules from the fundamental state to the first excited energy state. Then the water molecules reach a state of long-range quantum coherence through a spontaneous symmetry breaking (state “ b ”). At this point (state “ c ”) excited and consistent water molecules collectively lose the energy acquired and create coherent photons in the quantum electromagnetic field inside the MT. Finally (state “ d ”) water molecules that dissipated the energy of their first excited rotational energy level by superradiance, begin to regain energy from thermal fluctuations of tubulins, and the system of water molecules goes

back to the initial state “ a ”.

In summary, the quantum collective dynamics of water molecules and the quantum electromagnetic field inside the MT show coherent and long-range superradiance phenomena. The process originates by the excitement of water molecules inside the MT, which can be induced by disordered and incoherent perturbations arising from the macroscopic thermal dynamics of protein molecules constituting the wall. This implies that each MT in neurons and in astrocytes can play a major role in development and in biophotonic communication mechanism. In addition to the process of superradiance, the phenomenon of self-induced transparency turned out to be very important in MTs. As mentioned earlier, superradiance is a phenomenon characterized by a much shorter duration than thermal interaction between water and tubulin. Since it was not clear whether the pulsing activity of MT would create coherent photons that could be transmitted in a secure manner, preserving their coherence at a long range, or if they lose their consistency immediately after being generated because of surrounding noise, it was suggested that MTs could also function as photonic waveguides. It is assumed that the pumping activity is created in a small cylindrical segment of the MT by superradiance and that the generated photons can propagate along the longitudinal axis (z axis). If the V region inside the cylinder was kept empty, the pumping mechanism described above would send the photons in a perfectly consistent way throughout the length of the microtubule. However, the V region is filled with water molecules, and with other impurities, and this could lead to phenomena of absorption or loss of coherence that would disturb the photon transmission. Therefore, by introducing special approximations (Semi-Classical Approximation, the Sine-Gordon equation), it is possible to consider that the photons spread as if they were immersed in a completely “transparent” microtubular dielectric. This non-linear phenomenon is called “self-induced transparency”.

The physical activity of superradiance combined with self-induced transparency could explain long-range quantum-dynamic phenomena of the brain. These phenomena could characterize not only the quantum activity of the MTs of a single neuron, but also the activity of neuronal cells hundreds of micrometers away.

Following these considerations and thanks to other experimental evidence, many neuroscientists and theoretical physicists speculated that interference between the coherent sources of MTs could occur in the brain.

In any case, all phenomena occurring within the brain, both at macroscopic or microscopic levels, can be related to some form of phase transition and a number of authors [Pessa, 2007; Alfinito et al., 2001] pointed out the inconsistency of a quantum mechanical framework based only on traditional computational schemata. It is to be recalled, in this regard, that these

schemata have been introduced to deal with particles, atoms, or molecules, and are unsuitable when applied to biological phenomena.

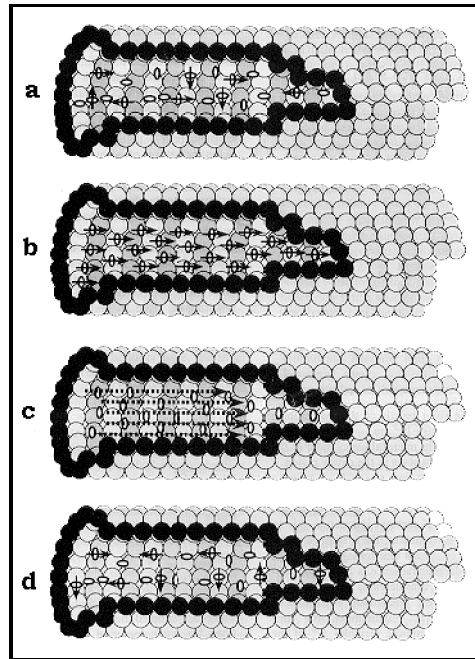


Figure 2.6 Schematic representation of the phenomenon of superradiance in a MT

3. METHODS

3.1 EXPERIMENTAL AND THEORETICAL METHODS

The biophysical properties of fluorescence, resonance, birefringence and superradiance have been investigated in the macromolecular structure object of this study, microtubules and tubulin. To this purpose *ad-hoc* experimental procedures have been prepared, from which the experimental data have been obtained.

3.1.1 Fluorescence

Some particular molecules, when excited with certain energy, after a first non-radiative de-excitation, re-emit the received radiation at lower energy. This physical phenomenon is called fluorescence.

It is possible to excite a luminescent molecule, by hitting it with a radiation energy exactly equal to the energy difference ($E=h\nu$) between the fundamental state, S_0 , and the state excited at a higher energy, S_1 . Since the excited state is unstable, the molecule tends to return to the fundamental state S_0 by losing energy in different ways. In most cases, emitted light has a longer wavelength (λ_{em}), and therefore lower energy, than the absorbed radiation (λ_{ass}): $\lambda_{em} > \lambda_{ass}$. For example, a substance can absorb ultraviolet radiation and emit radiation in the visible spectrum. This phenomenon is known as the *Stokes shift*. However, when the absorbed electromagnetic radiation is intense, it is possible for one electron to absorb two photons; this two-photon absorption can lead to emission of radiation having a shorter wavelength than the absorbed radiation. Fluorescence is one of the two radiative processes, together with phosphorescence, which can occur with the relaxation of an excited molecule.

Originally, the distinction between the two processes was made on the basis of the lifetime of the radiation. Fluorescence is a phenomenon that develops in a very short time (10^{-9} - 10^{-8} s) and gives rise to an intense and short luminescence which ceases almost immediately after removal of the exciting radiation. The phosphorescence is, instead, a phenomenon that develops in much longer time (10^{-3} s) and gives rise to a weaker but longer light, which continues to be emitted, at least for a short period of time, even after removal of the exciting source. Currently it is possible to distinguish the two processes on the basis of the nature of electronic states involved in the transitions responsible for the emission of radiation: the fluorescence radiation is generated by transitions between states with the same spin multiplicity ($S_1 \rightarrow S_0$), while in the phosphorescence there is a transition between states with different spin multiplicity (the most frequent case is represented by the singlet-triplet transitions).

Many organic molecules absorb in the visible and UV spectra, but only few of them are fluorescent (many of biological interest). Fluorescence is in fact influenced by the structure of the molecule. Stiff molecules characterized by systems of conjugated double bonds such as aromatic structures, are fluorescent. Of the twenty natural amino acids, only three have intrinsic fluorescence: Tryptophan, Tyrosine, and Phenylalanine (Fig. 3.1). Each of these amino acids is activated at a specific wavelength, but its luminescence is strongly influenced by the polarity of the surroundings. This means that the maximum of the emission of these amino acids can change: for example, a tryptophan excited between 270-280 nm, emits at 350 nm in water, while well-protected inside a protein it emits at 330 nm. Since amino acids constitute the skeleton of all proteins, many proteins are intrinsically fluorescent because of the presence of such aromatic compounds.

The fluorescence emission spectra are different for the proteins that maintain the tertiary structure compared to the same proteins that are denatured or unfolded. The phenomenon is so influenced by experimental conditions: concentration, temperature, pH, phase of the sample, way of supplying energy to the molecule, nature of the excited electronic state, pressure (in the case of a molecule in the gas phase) and presence of other chemical species that can promote or inhibit physical quenching and intermolecular energy transfer. Fluorescence quenching is a process which decreases the intensity of the fluorescence emission. The accessibility of groups on a protein molecule can be measured by use of quenchers to perturb fluorophores. Quenching by small molecules either in the solvent or bound to the protein in close proximity to the fluorophore can greatly decrease the quantum yield of a protein. Quenching may occur by several mechanisms: collisional or dynamic quenching, static quenching, quenching by energy transfer, charge transfer reactions [Morrison, 2008].

Temperature affects fluorescence because the vibration state of the molecule depends on temperature, so it can contribute to the internal conversion. The fluorescence varies with the variation of the solvent used: a non polar solvent ensures the emission of an extra quantum of energy than a polar solvent.

The intrinsic fluorescence of tryptophan, tyrosine and phenylalanine (excited respectively at 295, 280 and 270 nm) is different depending on the more or less polar characteristics of protein environment in which they are. They are also directly affected by the quenching effect, that is the energy transfer to other structures, created by interactions with other aromatic molecules or other chemical protein structures such as disulphide bridges, having the task of stabilizing the tertiary structure. Therefore, the fluorescence emission spectra are different for the proteins that maintain the tertiary structure compared to the same proteins denatured or unfolded. This difference is both in terms of quantum yield of fluorescence and in terms of energy of the

emitted photon and of wavelength. The denaturation results in a lengthening of the shift of Stokes of a few nm and a change of the intensity of the emission spectrum. Very often, the fluorescence emitted increases because the quenching effects involving aromatic residues are reduced. Other times the intensity of the fluorescence emitted is reduced during the process of unfolding, because the protein in native form did not show quenching factors and the shift of aromatic amino acids to a more polar environment reduces the quantum yield.

In the case of microtubules, the quantum yield (that is the ratio between absorbed and emitted photons) increases in the chromophores that are not exposed to the polar solvent (water). The peak of the emission can change. For example, a tryptophan, which is one of the aminoacid constituent of tubulin, in water emits at 350 nm whereas a tryptophan well protected in the protein emits at 330 nm. Within the microtubule cytoskeleton may occur quantum laser-like coherent phenomena at long-range. The measurement of the fluorescence within microtubules is introductory to the superradiant experiment.

The instrument used to measure the fluorescence is the spectrofluorometer. Its key component is the light source that is usually a mercury lamp or a xenon arc that emits a polychromatic radiation that is sent to a monochromator with continuous spectrum, M1, to select the λ of the incident light beam [Lakowicz, 2002.]. The light is then sent to the cuvette containing the sample, which once excited emits radiations at a λ greater than that of excitement. This is sent to a second monochromator, M2, that select a specific λ of emission (i.e., an incident radiation with fixed wavelength) thus determining the fluorescence spectrum of the sample by sending it to a detection system (which is usually a highly sensitive photocell), where a photomultiplier amplifies the signal that is finally registered. In a spectrophotometer, the incident light I_0 , and the emitted light, I , follow the same direction. Instead, in a standard spectrofluorimeter, the geometry changes, because this instrument allows light to penetrate the sample through a portion on a face of the cell, and the emitted photon to exit at an angle of 90° respect to the incident radiation (spectrofluorimeter at 90°).

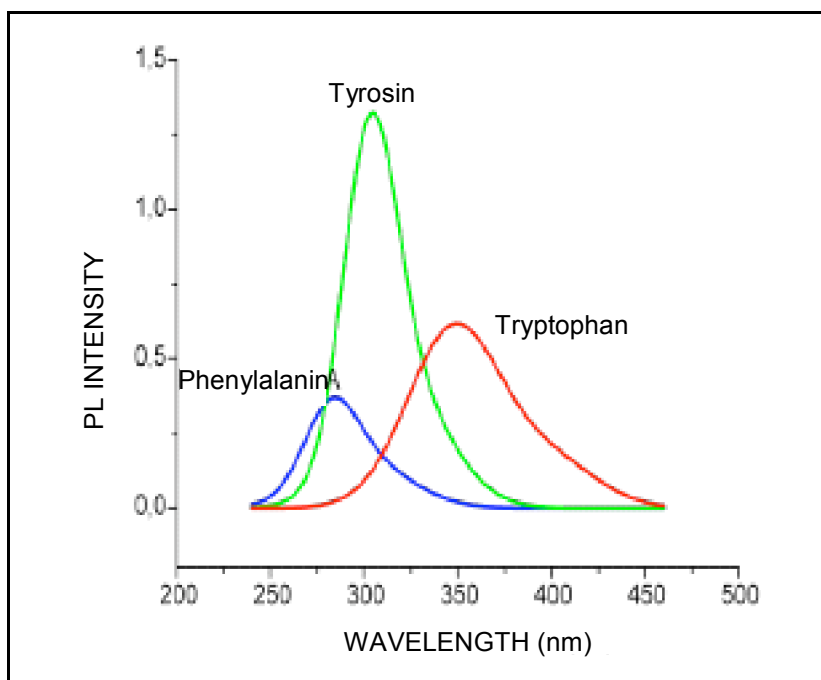


Figure 3.1 Emission spectra of fluorescence on aromatic aminoacids in water

3.1.2 Resonance

Antennas are devices able to transform an electromagnetic field into an electrical signal, or to radiate, in the form of electromagnetic field, the electrical signal they are fed by. When powered by an electrical signal to their ends, antennas absorb energy and return it in the surrounding space as electromagnetic waves (transmitting antenna), or absorb energy from an electromagnetic wave and generate a voltage to their ends (receiving antenna). On theoretical bases any conductive object acts as an antenna, regardless of the electromagnetic wave frequency they are hit or the signal that is fed by. The magnitude of the effect becomes significant when the frequency corresponds to the resonance frequency and in this case the output voltage can be used for receiving and transmitting radio waves. The resonance is a physical condition that occurs when a damped oscillating system is subjected to a periodic solicitation with a frequency equal to the system oscillation. A resonance phenomenon causes a significant increase in the extent of the oscillations that corresponds to a remarkable accumulation of energy within the oscillator.

Recent observations and experiments on CNTs have led to the development of an array of

CNTs able to act as antennas [Wang et al., 2004]. Instead of transmitting and receiving radio waves (measured in meters), these structures capture wavelengths at the nanoscale (measured in nanometers) due to their small size.

In the study of the physical properties of MTs compared with those of CNTs, it is desired to search and analyze a possible reaction to microwaves, observing any ability of MTs to absorb or emit like antennas. Our experimental approach was intended to verify the existence of resonance in MTs, in analogy with the CNTs, at the frequency that amplifies the wave.

The bench for the MTs resonance experiment consisted of a microwave generator with two 1/4 wave dipole custom antennas centered on a frequency of 1.5 GHz (Fig.3.2). The antennas have been placed on the same horizontal plane and spaced 4 cm. The test-tube containing the solution was placed between the antennas. The system was placed in a Mu-metal container in order to shield the measurement system from any external signal. The first antenna was connected with a shielded cable to a Polarad mod. 1105 Microwave Signal Generator, generating frequencies between 0.8 GHz and 2.5 GHz. The second antenna shielded cable was connected with an Avantest mod. TR4131 Spectrum Analyzer. The experiment displays changes in the resonance reference peak of the tested material. If the peak is lower the analyzed sample is absorbing, if higher it is emitting electromagnetic energy.

We compared the responses of samples of MTs, tubulin and buffer solutions without proteins when subjected to high frequency electromagnetic stimulations.

One ml of tubulin solution was placed in a plastic test tube positioned between the transmitting and receiving antennas. In order to detect possible resonances on specific frequencies, we carried out a frequency scan between 800 MHz and 2500 MHz using a radiofrequencies generator and checking the presence of an absorption resonance, visible by means of a difference in the peak amplitude, with an Avantest TR-3130 spectrum analyzer. The same analysis was also performed on 1 ml of MTs solution and on 1 ml of Buffer MT.

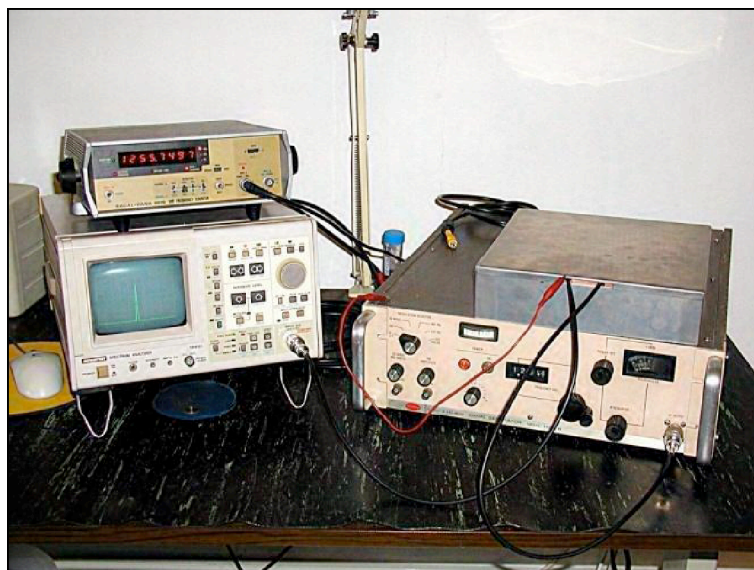


Figure 3.2 Microwave Signal Generator.

3.1.3 Birefringence

Birefringence is an optical property of materials that arises from the interaction of light with oriented molecular and structural components [Huang et al., 2005]. Birefringence is the decomposition of a beam of light into two rays that occurs when the light crosses specific anisotropic media depending on the polarization of the light. The interaction between light and magnetic field in a medium results in the rotation of the plane of polarization proportional to the intensity of the magnetic field component in the direction of the beam of light (Faraday effect).

The birefringence experiment was performed on solutions of tubulin and MTs, each in its own stabilizing buffer. The final concentration for both tubulin and microtubules was 0.5 mg/ml. Then we repeated the tests with tubulin in MTs buffer and with the buffer alone as control. The preparation of the buffers and the reconstitution of tubulin and microtubules are described in section 2.2.

Each sample solution was submitted to four tests:

- Transverse electric field (1 volt/cm)
- Transverse magnetic field
- Longitudinal magnetic field

- No field

For each test the value displayed on the polarimeter directly measures the current in the photodiode, expressing the intensity of the laser beam after passing through the cuvette. In presence of a strong scattering, indicating a lack of organization in the sample, the intensity decreases. To minimize spurious effects, the windows of the cuvettes are made of cover slip glass about 18 microns thick. The spectrum analyzer window was set to see a width of 50 Hz, within which range the frequencies of the two samples are included, the distilled water 610 Hz reference and the analyzed 632 Hz solution.

We used two cells simultaneously; a first cell was always present with a low intensity longitudinal magnetic field at 610.1Hz frequency and filled with distilled water. This allowed a reference signal in all the various measures on the second cell, excited at a 632 Hz frequency. The choice of almost static fields permitted the highest sensitivity. The frequency (632 Hz) is sufficiently low to exclude dynamic effects. An important point is that for longitudinal magnetic fields a strong Faraday Effect is present due to the water contained in the analyzed solution and producing a consistent background noise.

For the measurement a polarimeter was prepared. In a classic polarimeter a monochromatic source radiates a beam of light (initially not polarized) that is sent on a pair of polarized filters (normally Nicol prisms) oriented so as to polarize light. The beam of polarized light crosses a cuvette containing the test solution which, if optically active, rotates both polarization planes of light. Finally, the beam passes through a polarized filter, the analyzer, whose main section is rotatable. A more descriptive schema is depicted in figure 3.3.

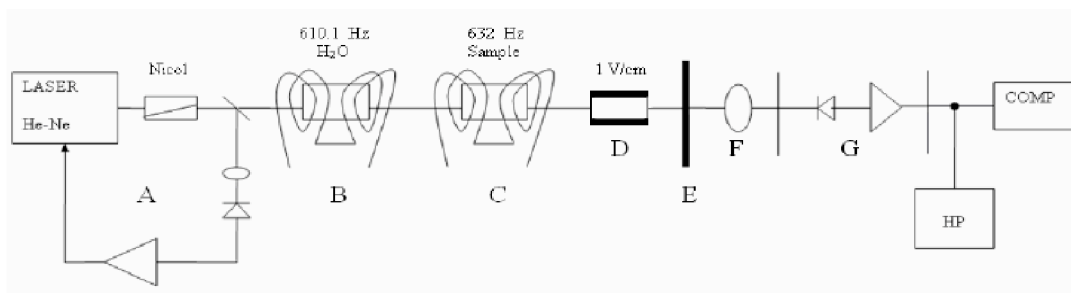


Figure 3.3 Schematic of the polarimeter

- A: Helio-Neon Laser (Hughes 3222H-P, 633 nm; 5 mW max; Polarizing Nicol; beam splitter
- B: cuvette and 610.1 Hz coil for the reference cell
- C: cuvette and 632 Hz coil for the sample
- D: electric field cell
- E: analyzer filter
- F: lens that focuses the beam on the photodiode
- G: photodiode and amplifier
- HP: spectrum analyzer (HP 3582A) for on-line check
- COMP: data acquisition system

The light source consists of a Hughes 3222HP Helium-Neon Laser, 633 nm, and power 5 mW. The magnetic field is 18 Gauss RMS for the 632 Hz test cuvette and 9.8 Gauss RMS for the 610.1 Hz cuvette, while the applied electric field (632 Hz) is 1 Volt/cm RMS. The cuvettes used for the magnetic field measured 15 mm, while that for the electric field was 23 mm long. The transverse electric field was achieved with simple aluminium electrodes, 3 mm long and 5 mm high. The magnetic field (longitudinal or transverse) was obtained by a pair of Helmholtz coils powered by sinusoidal generators. Electric field and transverse magnetic field were oriented according to the horizontal and the first polarizer was oriented at 45 degrees with respect to the direction of the transverse fields. The laser beam after the cuvette was examined by a polarization analyzer oriented at 45 degrees with respect to the first polarizer and finally sent to the photodiode: with this orientation the maximum signal is achievable by modulation due to the Faraday Effect (longitudinal magnetic field). The photodiode was a HP 5082-4220 and the spectrum analyzer was an HP 3582A; the signal was sampled at 8000 samples/sec (Fig. 3.4).

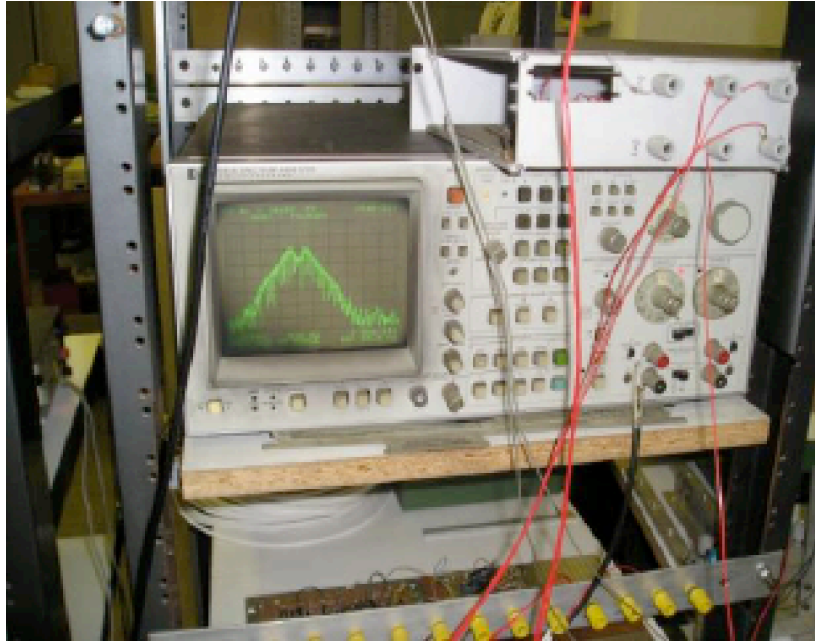


Figure 3.4 Spectrum analyzer HP 3582A

The analysis of the signals was performed with Hamming windowing using home-made analysis software written in FORTRAN at the Department of Physics (University of Milan). Other tests have been performed using the Sigview® SignalLab software and have exploited Hann and Hamming windowing, with or without Hann smoothing.

3.1.4 *Superradiance*

Superradiance phenomenon was first described by R. H. Dicke [Dicke, 1954], and consists in the cooperative emission of an electro-magnetic radiation by a set of dipole coherently coupled.

A single dipole oscillate at a frequency corresponding to the transition between two electric states ($S_0 \rightarrow S_1$); during oscillation a radiation is emitted, of intensity I proportional to the ratio between the square of its charge q and its mass m : $I \propto q^2/m$. In a system made up of two dipoles oscillating separately, each one emits a radiation of intensity $I = q^2/m$. Instead if the two dipoles oscillate in phase, the radiation intensity emitted corresponds to that of an oscillating object with charge $2q$ and mass $2m$: $I = (2q)^2/2m \rightarrow I = 2q^2/m$ Therefore, in a system consisting of N dipoles oscillating in phase, the total intensity of the radiation emitted is equal to:

$$I = (Nq)^2/Nm \rightarrow I = Nq^2/m$$

From an experimental point of view, a radiation is sent to the sample to be analysed in order to determine the excitation that is the transition from the fundamental state, S_0 , to the first excited state, S_1 . Like all excited systems, it tends to return to the fundamental state S_0 , by releasing energy.

This can happen through radiative decay, that is by emission of light; through inter-system crossing, ISC, that is a decay on another excited state with different multiplicity; or through non-radiative decay, that is via a return to the fundamental state without emission of photons, and therefore with thermal dissipation of excess energy.

The expression $[N(q^2/m)]$ indicates the speed of radiative decay of the system, but not its intensity, that depends on the ratio of the speed of radiative decay as a function of the speed of total decay. In order to demonstrate that the system is superradiant we should determine if there are dipoles oscillating in phase, and if yes, how many they are. In a system of N molecules the superradiance can be demonstrated experimentally by measuring the radiative lifetime of the optical transition as a function of the number of the molecules where the excitation is delocalized. This number theoretically overlaps the number of molecules of the system, but in practice it is much lower because both static (defects, impurities) and dynamic (vibration) disorder limit the length of delocalization of the excitement.

The efficiency of emission ($Q.Y \circ \Phi$) is measured, corresponding to the ratio between the number of photons emitted and the number of absorbed photons. $Q.Y.$ depends on the number of states decaying radiatively, with emission of a photon, and on the total number of states that decay both radiatively and non-radiatively. $Q.Y.$ is proportional to the luminescence intensity experimentally observed (I_{PL}). By measuring the lifetime of an emission and its intensity as a function of temperature, it is possible to obtain the strength of the oscillator of the optical transition, or in an equivalent way the radiative decay rate, which is inversely proportional to temperature itself. This is the main proof that an emission is superradiant (necessary and sufficient condition).

Since superradiance comes from the delocalization of the excitation, it has to be accompanied by other effects. In particular, if excitation is delocalized over N molecules, the square of the line width of a superradiant emission should be directly proportional to temperature. This is a necessary but not enough condition for superradiance, since similar effects may also be due to different phenomena.

The superradiance experiment requested in advance to verify the spectroscopic behaviour of MTs, which is the study of their absorption in UV-VIS field. The measurement was made using

a single beam UV-VIS spectrophotometer (UV-1601) of SHIMADZU.

The analysis was performed only on a solution of microtubules in MT buffer at a concentration of MTs of 0.250 mg/ml. The sample of MTs was prepared as described in Section 2.2. The measurements were performed using as negative control the buffer MT alone, in order to remove the absorption not attributable to MTs.

To measure the luminescence we used an apparatus having as light source a high pressure Xenon lamp with 75 Watts power. The source was coupled to a Gemini Jobin-Yvon double monochromator with bandwidth (wavelength of excitation) of about 1.5 nm. The light was focused on the cuvette in which the sample was contained by using a doublet of lens. A second doublet of lens was used to collect the luminescence and send it to a Jobin-Yvon TRIAX monochromator to be decomposed into its different spectral components. A CCD detector SPEX 2000 was directly connected to the exit of the monochromator. On the detection was applied an optical filter cutting the wavelength at 280 nm. After having verified that the sample absorbs UV, prior to the measurements of superradiance, it was necessary to check the luminescence in order to detect any wavelength of emission in the next superradiance experiment. The analysis was conducted by comparing a solution of MTs in MT buffer at a concentration of 0250 mg/ml with a buffer solution consisting only of the MT buffer as negative control.

The equipment used for the measurement of superradiance, shown in figure 3.5, has a doubled laser Nd: YAG diode-pumped as light source (Model Verdi V10-Coherent). YAG laser (acronym for Yttrium-Aluminium-Garnet) is a synthetic crystal, which in our case is neodymium-doped and used in solid state lasers with the active medium operating in the infrared. The source emits radiation at a wavelength of 532 nm with a power of 10 watts. It pumps a laser pulsed every 100 fs (10-15 s), consisting of an oscillator (Mira100-Coherent) and a crystal of titanium/sapphire (Ti: Sapphire) as the active medium, emitting light pulses with a wavelength of 810 nm, duration of 100 femtoseconds (fs), power of 1.4 watts, and pulse repetition frequency of 76 Mhz.

These pulses (810 nm), called "first harmonic" or fundamental radiation, are sent to a triple (or harmonic generation) Super Tripler of the Optronic. The fundamental radiation (Figure 3.6) hits a first nonlinear crystal and is splitted into two laser beams:

- The first (ω) retains the wavelength of the first harmonic (810 nm);
- The second (2ω) halves the wavelength of the fundamental radiation at 405 nm and doubles the frequency. This is the second harmonic.

The two laser beams move at different speeds (the one with $\lambda = 810$ nm is the fastest), but reach a second crystal at the same time, and they recombine because they follow two different

paths through a system of mirrors.

From this second crystal 3 different lasers are drawn:

- Fundamental radiation, ω ($\lambda = 810$ nm);
- Second harmonic 2ω ($\lambda = 405$ nm);
- The third harmonic, TGH, which triples the fundamental frequency of the radiation and divides it by 3, at 270 nm.

The third harmonic is focused with a spherical mirror on the sample, where packets of photons arrive at a frequency of 76 MHz spaced from one another by 14 ns and 150 fs wide. The sample absorbs light and luminescence just a result of this pulsed excitation.

The luminescence is collected by a lens system and sent to the entrance slit of a spectrograph from Chromex, namely a polychromator with a bandwidth of about 5 nm, coupled with a Streak Camera (SC) from Hamamatsu. When the light reaches the lattice, it is split in the plan in its different spectral components and is sent to the SC.

The SC is an electronic device capable of analyzing the temporal evolution of electromagnetic radiation on scales up to a few picoseconds (Figure 3.7). Schematically it consists of a photocathode of cesium iodide (CsI), a 50/40 intensifier and a camera with appropriate focusing optics that amplify and collect the light coming from a screen of phosphors. The photocathode, which is the element of the SC sensitive to visible radiation, converts photons into electrons on the sensitive plate of CsI via the photoelectric effect. The electrons are then accelerated by a strong electric field, they enter between two parallel plates of a capacitor and all get through it with the same time length. Inside the capacitor a “saw tooth” voltage is applied, which serves to split the different electrons: electrons arriving before are affected by a low electric field and are deflected less than the electrons that arrive later and are more deflected. The information time (Δt) is thus encoded in terms of spatial coordinates (Δx). A signal extended in time is converted into a strip of electrons on the detector. A magnetic lens focuses the emitted electrons. The split electrons impact on a phosphor screen that reconverts them into photons. The photons, in turn, impress a CCD (Charge-Coupled Device) which “photographs” the phosphor screen. Finally, the software package converts the position of several photons on the CCD in a graph showing the wavelength on the abscissa and time in ordinate. The SC has a temporal resolution of up to 2 ps; in our case, however, it has been used with a lower resolution (30 ps) because the time of luminescence of MTs was much longer.

The analysis was conducted on a solution of MTs in MT buffer at a concentration of 0.250 mg/ml. The sample was placed inside the cryostat apparatus and frozen in an atmosphere of

inert gas (N₂ gas) up to a temperature of 80 Kelvin. At this temperature a first acquisition was performed by exciting the sample with a radiation at λ of 270 nm and measuring the lifetime of the luminescence emitted. Then gradually increasing the temperature up to the melting temperature of the sample other acquisitions were performed, measuring at each time the lifetime of the emitted signal.

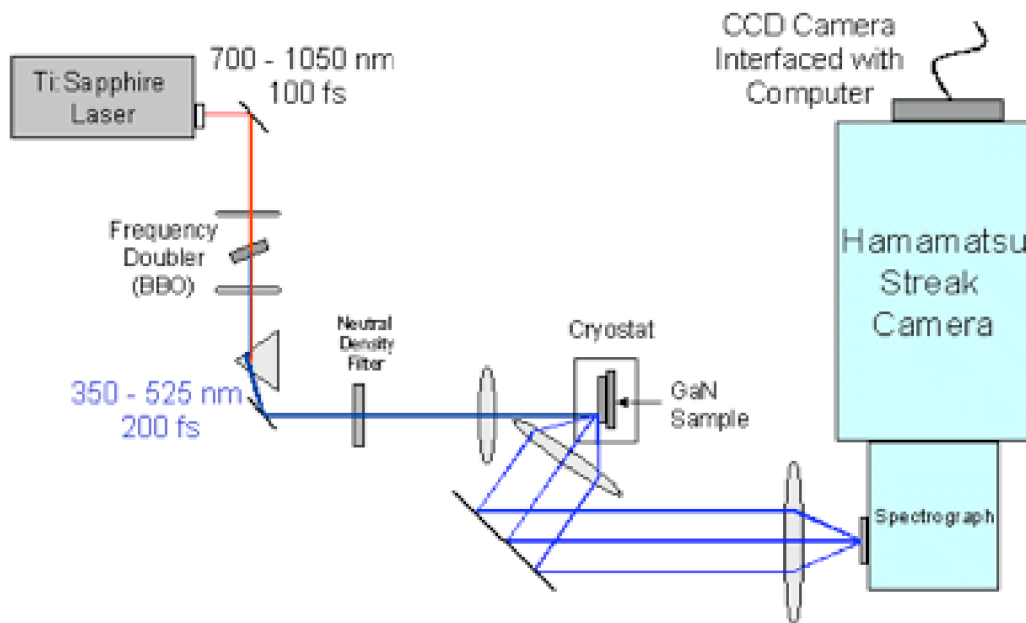


Figure 3.5 Equipment used for the measurement of superradiance

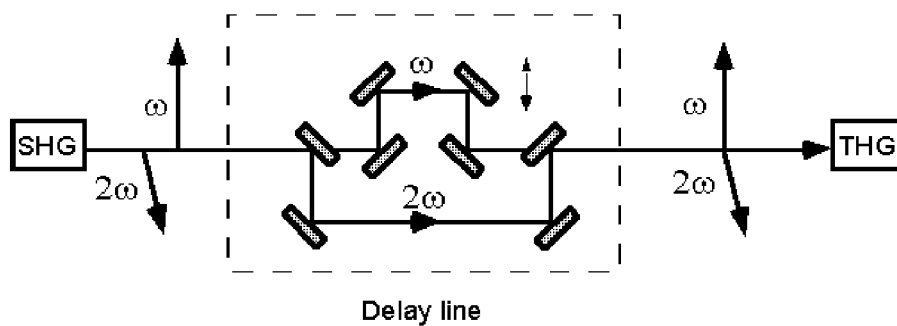


Figure 3.6 System for tripling a laser pulse

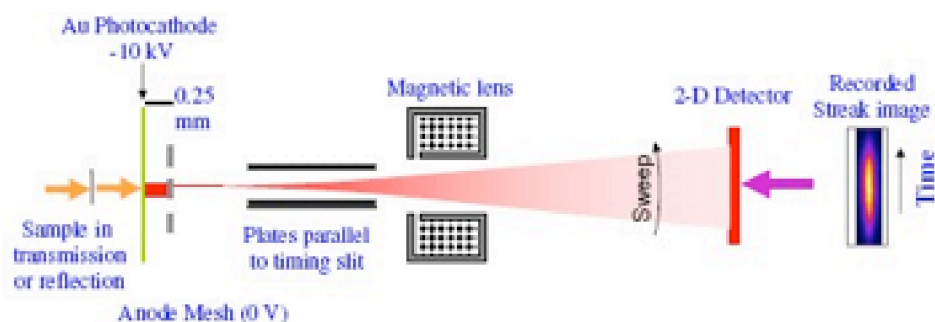


Figura 3.7 Scheme for the functioning of the Streak Camera

3.2 COMPUTATIONAL AD HOC METHODS

In order to analyse the experimental results and draw conclusions on the issue of abnormal biophysical properties of microtubules computational methods were used in synergy:

- Physico-Chemical Simulation Environment
- Dynamic Simulation Environment
- Self-organizing Artificial Neural Networks for the study of the evolution of the dynamic organization of microtubules and tubulin under the influence of electromagnetic fields
- Analysis of the outputs of neural networks through the method of conflict and occupation and the method of attractors

3.2.1 *Molecular Dynamics*

The molecular models of the elements used for the simulation were obtained through the online consultation of two databases: Research Collaboratory for Structural Bioinformatics, RCSB, which is in charge of the archiving and document digitization of 3D molecular structures obtained by X-ray crystallography and spectroscopy, and PubChem, a database of chemical molecules, maintained and funded by the National Center for Biotechnology Information. The PubChem database is access free, and millions of compounds structures and descriptive data can be downloaded via FTP. PubChem contains descriptions of molecules with less than 1000 atoms and 1000 bonds. X-ray crystallography is the main method for determining molecular conformations of biological macromolecules, in particular of proteins and nuclei acids such as DNA and RNA. The format obtained from the consultation of the RCSB is called Protein Data

Bank (PDB) [Berman et al., 2007]. It is a text file describing the three-dimensional structure of all the molecules of the system. Most of the information contained in the database is related to proteins and for this reason the intramolecular bonds are rich in descriptive properties. Typically, a file of this type is defined by a set of information:

- ATOM field: describing the coordinates of the atoms constituting the proteins. For example, the first line is the first atom compound, the first three floating point numbers are the coordinates X, Y, Z expressed in Angstrom (unit of measurement that indicates the length of chemical bonds) [Protein Data Bank Atomic, PDB, Coordinate Entry Format Version 3.2.]. The next three columns show respectively the occupation, the temperature factor and the name of the element.

- HETATM field: describes the coordinates of the hetero-atoms, ie atoms that are not part of the protein molecule.

- SEQRES field: giving the sequence of peptide chains.

- REMARK field: this is a comment field containing information in free form. It is usually referred to research papers that led to the creation of the model but also to the sequence of the coordinates of the calculation useful to create the model.

- HEADER, TITLE and AUTHOR field: showing the name of the researchers who defined the structure.

Through the years, the file format has undergone many changes and revisions. Its original size was dictated by the width of the device for the punch cards (80 columns) previously used for the upload of models. A XML version of this format, called PDBML, was described in 2005 [Westbrook et al., 2005].

The PDB files have as identifier a file name consisting of alphanumeric characters (i.e. 1TUB or tubulin). Each published structure is then identified through its PDB ID, but this can not be used as an identifier for biomolecules, because often there are different structures for the same molecule (in different environments or conformations). Figure 3.8 shows the PDB file for tubulin.

The molecular models archived in the database are presented in the format PubChem SDF (Structure Data File). It organizes the molecule through biophysical features separated by a separator. The first line of the file contains a unique identifier of the item. This number is closely related to the structure and is the definition and the search key in the database. The bonds are described by indicating the position in three dimensional space and charges through the numerical data in the field partial charges.

By using this archive of molecules the models of microtubule and tubulin were obtained. To verify that these models did meet the specifications recreated in the laboratory, Ascalaph Designer was used [http://www.agilemolecule.com/Ascalaph/Ascalaph_Designer.html. BlueTractorSoftware. Agile Molecule], a software that allows to build and simulate molecular models and turn them into a three-dimensional environment. It also provides a graphical environment for classical and quantum modelling of molecules based on Firefly [Gordon and Schmidt, 2005] and MDynaMix/MGE [Lyubartsev and Laaksonen, 2000]. Both graphical environments on which the simulator is based provide dedicated implementations for the interaction of a large number of atoms, even if they can not reach, for obvious reasons, the computational power that they can have with implementations based on cluster systems [Lyubartsev and Laaksonen, 1998] or with dedicated hardware Molecular Dynamics-NVIDIA Corporation.

In order to link together the various software used, it was necessary to use a format converter, such as Avogadro. Avogadro is an open source platform recently created as part of the project Open Molecules. Avogadro allows us to deal with simple and complex molecules with a high speed and good usefriendliness. The molecules can be represented in different ways, such as balls and sticks, orbitals, Van der Waals spheres, surfaces, rings and hydrogen bonds. A wide range of fragments are available immediately in a drop down menu with the ability to choose the single, double and triple bonds. The molecules created can be manipulated, inter-atomic distances can be viewed, bond angles can be oriented. The molecules created can be handled in several formats, including the most popular such as PDB, MDB, Gaussian, and can be exported in a graphical format JPG, BMP and PNG. Regarding the upload, the program is based on Open Babel and is able to read and convert over 80 formats.

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Figure 3.8 PDB file for tubulin (1TUB.pdb). Only the first rows are shown.

3.2.2 *Dynamic System Evolution*

The theoretical assumptions of the computational methods used in this thesis are based on the theory of dynamic evolution of complex systems and on the properties originating from their self-organization capacity. Both tubulin and MTs behave as complex systems and we are able to examine their dynamic evolution by means of suitable computational methods.

The theory of complex systems deals with the study of the organization spontaneously emerging from the interaction of many elementary components [Heylighen 1992; Gell-Mann, 1995]. Complex systems respond to changes in the external environment reorganizing themselves in order to exhibit novel properties [Standish, 2002].

The self-organization is a space-time structure that is not imposed from outside but spontaneously emerges from the evolution of the system as a function of its dynamics. The emerging organization can be observed at a different and much higher time-space scale than the molecular one. The construction of mathematical models for such systems [Rosen, 1972] shows that the equations that govern them are generally very sensitive to initial conditions, so that extremely small fluctuations give rise to completely different dynamic stories. This is called "deterministic chaos": the system has an overall regular behaviour, which is irregular in detail, and so it is impossible to predict its behaviour in the next instants.

Chaos can be defined as an unpredictable behaviour of a deterministic dynamical system due to its sensitivity to initial conditions. The behavior of a dynamical deterministic system is predictable once the initial conditions are known. But there are cases when the motion of the system has very different behaviours, according to the precision with which the initial conditions are measured. More specifically, a set S exhibits sensitivity to initial values if there is a ρ so that for any $\epsilon > 0$ and for any x in S , there is a y so that $|x - y| < \epsilon$, and $|x_n - y_n| > \rho$ for some $n > 0$. Then there exists a fixed distance r so that there are nearby states that in the end move away to a distance r , even if the initial state has been exactly defined. This is what happens in chaotic systems. A chaotic system exhibits sensitivity to initial conditions behaving as a complex system.

A typical example of self-organization and is present in all biological systems [Green, 1994] and in their most advanced expression, that is intelligent life. A promising attempt to reproduce advanced features through the collective behaviour of simple elements is represented by the artificial neural networks. Several interconnected elements continually exchange information on the basis of a range of input from outside, and reach a form of functional organization that is not caused by a default algorithm defined from the outside, but emerges from the same structure as the neural system.

In the traditional approach complex systems are treated analytically, namely reducing them to the linear combination simple elements. In nature many systems are linear or approximable to linearity (i.e. electromagnetic waves: every periodic mathematical function can be represented as a series of pure sgmoids by the Fourier transform). This has enabled the modelling of many natural phenomena. But for many physical systems the linearity is not sustainable, and their modelling becomes very complex: nearly all dynamic systems are chaotic, that doesn't mean they are inherently indeterministic, but that they are not predictable [Kaplan and Glass, 1995; Jackson, 1989]. The development of strictly time-varying and nonlinear spatial-temporal pattern, such as those from the acquisition of experimental data, is an issue of increasing importance, and its complexity has to involve the use and the development advanced tools. The typical adaptivity of artificial neural networks and their ability of generalization make them a tool of choice for the analysis of this issue. No real model is truly linear, but often a linear function can be approximated. The non-linear systems exhibit complex effects that are not inferable with linear methods. This is particularly evident in dynamic systems [Atmanspacher and Kurths, 1992].

A *dynamic system* is a system that expresses the variability of a state over time (ie a point in a vector space).

$$dX/dt = F(X,t) \quad (1)$$

$F: W \subset \mathbf{R}^n \rightarrow \mathbf{R}^n$ differentiable

The solution of the system is the set of trajectories as a function of initial conditions. A dynamic system is completely defined by a space of phases or states, whose coordinates describe the system at all times, and by a rule that specifies the future development of all the variables of the state.

Dynamical systems can be defined as *deterministic* if there is only one result for each state, *stochastic* if there is more than one consequent with a certain probability distribution. The phase space is the collection of all possible states of a dynamic system. It can be finite or infinite. If some trajectories converge at some point, the set of initial states of these trajectories generated is called region of attraction of the point. A region of attraction is a set of points in the state space of finite diameter such that every trajectory enters and doesn't come out any more. Mathematically, a dynamic system is described by an initial value problem. The trajectory in the phase space traced out by a solution of an initial value problem is call the trajectory of the dynamic system.

We define as *constant trajectory* a constant solution $x(t) = x(0)$ of (1), i.e. a vector $x(0)$ so that each component of the right side of (1) is zero. A constant trajectory is considered *stable* if the following conditions are satisfied:

- there must exist a positive number ϵ such that any trajectory that starts within ϵ of $x(0)$ should asymptotically get close to $x(0)$

- for every positive number ϵ there must be a positive number $\delta(\epsilon)$ such that a trajectory that is initiated within $\delta(\epsilon)$ remains within ϵ of $x(0)$

The set of all points which may have initial trajectories that asymptotically approach to a stable trajectory is called region of attraction of the stable trajectory. A *limit cycle*, or *cyclic attractor*, is a closed curve in the n-dimensional space characterised by the following properties:

- no consistent trajectory is contained in the limit cycle

- any trajectory that begins at a point in the limit cycle should stay within the limit cycle

- there must be a positive number ϵ such that each trajectory of the cycle that starts within ϵ should asymptotically approach the limit cycle

- for every positive number ϵ there must be a positive number $\delta(\epsilon)$ such that a trajectory that is initiated within $\delta(\epsilon)$ of the limit cycle stays within the limit cycle

In summary, if some trajectories converge at some point, the set of initial states of these trajectories is called region of attraction of the point. A region of attraction is defined as a set of points in the state space of finite diameter such that every trajectory enters and doesn't exit. A very common type of self-organization established in nature is the deterministic chaos. The long-term behaviour of chaotic systems follows organised pattern detectable by viewing the trajectory of the system in the state space. These trajectories show a spatial structure in which they are confined in an odd attractor, which is exhibit some regularity, but are not strictly recurrent [Peitgen et al. 1992]. An odd attractor is geometrically a fractal [Mandelbrot, 1983], that is a structure with a not entire size.

A neural network can be considered as a dynamic system of n-dimensional differential equations describing the dynamics of n neurons. Each neuron is mathematically defined by its state $x(i)$ and by its gain function $g_i=g_i(x_i)$ differentiable everywhere and not decreasing. A typical gain function is for example the logistic function

$$g(x) = (1 + e^{-x})^{-1}$$

biologically motivated because it simulates the refractory phase of real neurons. This function returns values between 0 and 1. It is often useful, however, the use of a transfer function symmetric respect to zero, in order to maintain the symmetry of input values. It is then used the hyperbolic tangent function (between -1 and +1), or the function

$$F(P) = A (e^{kp} - 1) / (e^{kp} + 1)$$

where A and k are positive constant.

The variation speed of each x_i is determined by a function depending on x_i and on the output

$g_i(x_i)$. In general, such variation can be expressed with the system of differential equations

$$dx_i/dt = -k_i x_i + p_i(g(x)) \quad (2)$$

where k_i is a positive constant and each p_i is a polynomial function of the n variables $g_1(x(t))$, $g_2(x(t), \dots, g_n(x(t))$, that behave well enough to ensure that the trajectories for the system of equations exist and are unique.

The purpose of the neural network is to generate trajectories in n -dimensional space approaching asymptotically some of the attractor trajectories. Activity levels of n neurons are represented by a point in n -dimensional space [Jeffries, 1991]. A n -dimensional dynamical system is therefore built and its solutions are trajectories representing constant attractors (stable equilibrium) or cyclic attractors (limit cycles). The Hopfield network is a prominent example of how a neural network is a dynamic system that can tend to a number of stable attractors.

In additive neural models, such as MLP, each p_i is a linear function of the component of g :

$$p_i = \sum_j T_{ij} g_j \quad (3)$$

where T_{ij} are real constants forming a matrix $n \times n$.

Recently, however, alternative more efficient neural networks of higher order have emerged in which each p_i is a polynomial function of the components of g , typically of the form $g_1^{e_1} g_2^{e_2} \dots g_n^{e_n}$ where each exponent e_i is equal to 0 or 1.

For linear networks of the type (3) the theorem of Cohen-Grossberg [Hecht-Nielsen, 1990] ensures the existence of stablepoints (i.e. points for which $dx(p)/dt = 0$).

According to the theorem of Cohen-Grossberg, each dynamic system with the form

$$dx_i/dt = a_i(x_i) [b_i(x_i) - \sum_j w_{ij} S_j(x_j)]$$

such that

- 1) the matrix w_{ij} is symmetrical and every $w_{ij} \geq 0$
- 2) the function $a_j(x)$ is continuous if $x \geq 0$ and $a_j(x) > 0$ if $x > 0$
- 3) the function $b_j(x)$ is continuous and finite for every open interval when $x > 0$
- 4) the function $S_{ij}(x)$ is differentiable and $S'_{ij}(x) > 0$ if $x \geq 0$
- 5) $b_j(x) - w_{ij} S_i(x) < 0$ if $x \rightarrow \infty$
- 6) $\lim_{u \rightarrow 0^+} b_i(x) < \infty$ and $\int 1/a(s) ds = \infty$ for some $x > 0$

has at least a countable set of stable points p such that $dx(p)/dt = 0$.

If the network status at time 0 is such that $x_i(0) > 0$, then the network will almost always converge at some stable point p (such that $dx(p)/dt=0$), and there will be at least one countable set of such points. Even if such conditions are restrictive, they match with those supported by many self-associating networks (i.e. the Hopfield network, with fully interconnected nodes and symmetrical weights). The memories are placed in the attractors, and the theorem guarantees their existence, in spite of the existence of many spurious attractors.

Each state of a network can be associated with a Lyapounov energy function that helps determining certain properties of the trajectories. A Lyapounov function (L) is a function:

$$L : \{0,1\}^n \rightarrow \mathbf{R} \quad \text{such that}$$

$$L(T(x)) \leq L(x) \quad \text{for each } x \in \{0,1\}^n$$

where T is the function of the transition made by the network. Therefore L is a monotone non-increasing function along each trajectory. There follows that the equilibrium points of the system correspond to the points of minimum of L. For networks with square connection matrix, the function L is called energy function and is chosen as

$$E(x) = -1/2 \sum_i \sum_j w_{ij} x_i x_j$$

clearly indicating that it is monotone non-increasing and that ΔE is always ≤ 0 (i.e. the system is overall stable).

The Hopfield network is a prominent example of how a neural network is a dynamic system that can tend to a number of stable attractors. It is a fully connected network with symmetric weights, bipolar input (+/-1 or 0,1). The inputs are simultaneously applied to all nodes and the weights are set according to the law

$$w_{ij} = \sum x_i x_j \quad \text{if } i < j$$

$$w_{ij} = 0 \quad \text{if } i = j$$

In the learning cycle each output of a neuron is a new input for the same neuron. The calculation of the new value is determined by the function:

$$f(x_i) = x_i \quad \text{se } \sum w_{ij} x_j = T_i \quad (\text{possibly null threshold})$$

$$f(x_i) = +1 \quad \text{se } \sum w_{ij} x_j > T_i$$

$$f(x_i) = -1 \quad \text{se } \sum w_{ij} x_j < T_i$$

A pattern of input can be seen as a point in the space of states, that while the network iterates it moves towards the valleys, representing the stable states of the network. The ultimate values of the weights represent the output of the network. The solution comes out when the point moves in the lowest region of the basin of attraction. In fact, for symmetric matrices with null diagonal

$$\Delta E / \Delta x_i = - \sum w_{ij} x_j$$

$$\text{if } \Delta x_i > 0, \text{ that } \sum w_{ij} x_j > 0$$

$$\text{if } \Delta x_i < 0, \text{ then } \sum w_{ij} x_j < 0$$

$$\text{that is always } \Delta E \leq 0.$$

After a certain number of iterations the network stabilizes in a state of minimum energy. Each minimum correspond to a pattern stored in the network. An unknown pattern is a point on this hyper plane, which gradually moves towards a minimum point. There may be so-called meta-stable states, i.e. minimum points which do not match any stored pattern (spurious attractors).

More generally the following theorem (4) can be demonstrated: each neural network model of type (2) has a finite region of attraction (Fig. 3.9).

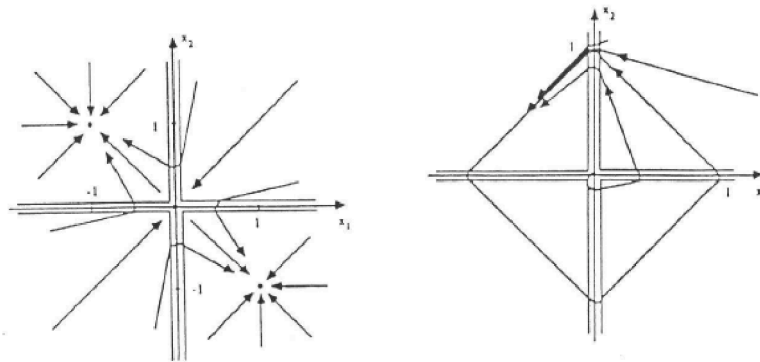


Figure 3.9 Typical trajectories in two-dimensional space with two memories and limit cycle model.

Once a particular dynamic model and its attractors have been identified, a learning algorithm varying the locations of the fixed points to encode information needs to be established. A sufficient condition for the existence of this algorithm is therefore the existence in the system of stable isolated attractors, i.e. fixed points. The matrix of weights will be adjusted so that, given an initial state $x_0=x(t_0)$, a given input corresponds to a fixed point $x^\infty = x(t^\infty)$, whose components have a desired set of values D_j in the units of the output. A typical method used in back-propagation networks, is to minimize a function E measuring the distance between the desired fixed point (attractor) and the current fixed point:

$$E = 1/2(\sum_i J_i) \quad \text{where } J_i = (D_i - x_i^\infty) Q_i$$

Q_i is a function that is 1 or 0 depending on whether the i -th unit belongs to the subset of the output of the network units or not. Then the learning algorithm moves the fixed points so as to satisfy on the output units the equation

$$x(t^\infty) = D_i$$

A typical way to do this is to make the system evolve in the space of the weights along the trajectories that are antiparallel to the gradient of E :

$$\tau dw_{ij}/dt = - dE/dw_{ij}$$

where τ is a numerical constant defining the time scale for the changing of w ; τ should be low, so that x is always at a steady state, i.e. $x(t) = x^\infty$.

When on the output layer the error between the desired and the actual output is calculated, this error is propagated backwards in the various layers, in order to adjust the weights of each node. This algorithm, called the decreasing gradient and used by back-propagation networks [Rumelhart et al., 1986], is not the only possible one but is without doubt the most efficient and simple equation minimizing E . If the initial network is stable, the dynamics of the decreasing

gradient does not change the stability of the network. This allows us to state the reliability of the back-propagation algorithm, which provides the necessary robustness to the deviations produced by interference and present in real systems.

An example of self-organizing dynamic system is represented by the unsupervised neural networks [Carpenter et al., 1991; Cohen et al., 1987] as the Self-Organizing Map (SOM) of T. Kohonen. The structure of a Kohonen network consists of a layer of N elements, called competitive layer. Each layer receives n signals x_1, \dots, x_n coming from an input layer of n elements, whose connections have weight w_{ij} . If the competitive layer is matrix-type, neurons are interconnected in a square, hexagonal or rhomboidal scheme. If it is a vector-type, the neurons are simply connected together to form a chain (Fig. 3.10).

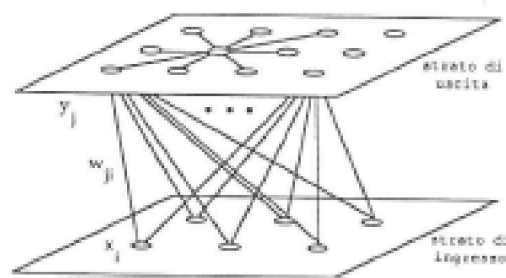


Figure 3.10 Kohonen network.

To estimate the intensity I_i of the input of each element of Kohonen layer the procedure is the following:

$$I_i = D(w_i, x)$$

$$w_i = (w_{i1}, \dots, w_{in})^T$$

$$x_i = (x_1, \dots, x_n)^T$$

where $D(w, x)$ is a distance function, such as the Euclidean one. At this point a competition is performed to identify the element with the lowest input intensity (that is which w is the closest to x).

The SOM provides a procedure known as lateral inhibition that is present also in nature in the form of chemical changes at the synaptic level (fig. 3.11). In the cortical region of the brain, in fact, neurons in close physical proximity to an active neuron show stronger links, while at some distance from the active neuron start to show inhibitory connections. In this architecture, each element receives both excitatory stimuli by adjacent elements (the so-called neighbourhood), and inhibitory stimuli by farther neurons. The existence of the neighbourhood is useful because it doesn't let the network to polarize on a few winning neurons.

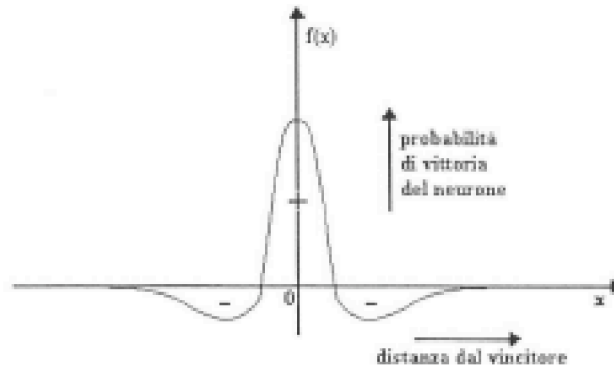


Figure 3.11 Lateral Inhibition

In this way only the elements with a distance below a certain level are activated, and in restrictive cases only the unit with minimal distance.

The learning process occurs in the so-called “Winner Take All Law” (WTA); the training data consist of a sequence of input vectors x . Kohonen layer then decides the winner neuron based on the minimum distance. The SOM performs a vector quantization that is a mapping from a space of many dimensions in a space with fewer dimensions, while preserving the initial topology. In other words a form of Nearest Neighbour (NN) clustering is performed, in which each element of the competitive layer represents the membership class of the input elements.

The NN classification classifies a pattern according to the minimum value obtained among all the distances from a set of reference pattern. This method is useful for separating classes that can be represented by segments of hyper planes. For this reason, the SOM is useful to classify patterns topologically well-distributed, but it is not good at classifying non-linear distributions. There are however several reasons that limit the performance of the SOM in the case of non-linear and time-varying input. First, the competitive layer is not able to unravel on the shape of the topology if the non-linearity of the input topology is too accentuated. The second reason is the difficulty of reaching a certain convergence, in the absence of the possibility of establishing an error for each epoch of the network. The third reason is the low cardinality of the output, limited to the number of the neurons of the competitive layer. Another problem of the SOM, which is typical of any clustering algorithm, is the lack of explanation the output. Once the classification of the input has been obtained, the user has to extrapolate the meaning with an *ad hoc* procedure, which in real-time applications can further penalize the computational load. One solution successfully tested was found following the analysis of time series of winning neurons to changing times. That series tends to organize into a chaotic attractor that keeps stable as epochs increase and whose characteristics uniquely identify the input pattern that created it (Fig

3.12).

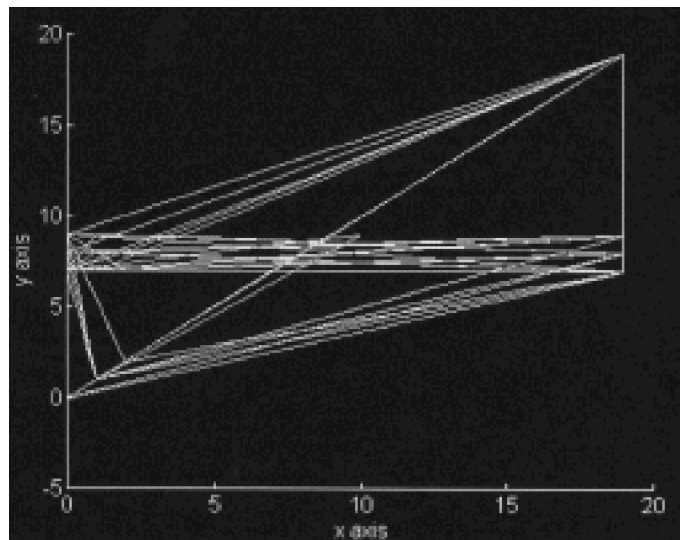


Figure 3.12 Series of winning neurons in 2D state space; x-axis: from 0 to 20 (order number of the weight); y-axis: from -5 to +5 (value of the weight)

Based on this evidence the ITSOM (Inductive Tracing Self-Organizing Map) has been developed. The time line of the winning neurons in a SOM tends to repeat itself, creating a time series constituting chaotic attractors or precise limit cycles that uniquely characterize the input element that produced them (Figure 3.13).

In fact, because of the learning rule, the winning weight represents an approximation of the input value. At any epoch, the new winning weight along with the weight that has won the previous epoch, form a second order approximation of the input value. It is therefore possible to derive the value of the input by comparing the characteristic configurations of each input with a set of reference configurations, whose value is known. A real process of induction is thus made, since once a vector quantization many-to-few is produced from the input onto the weights layer, a step few-to-many is performed from the reference configuration to the whole of the inputs.

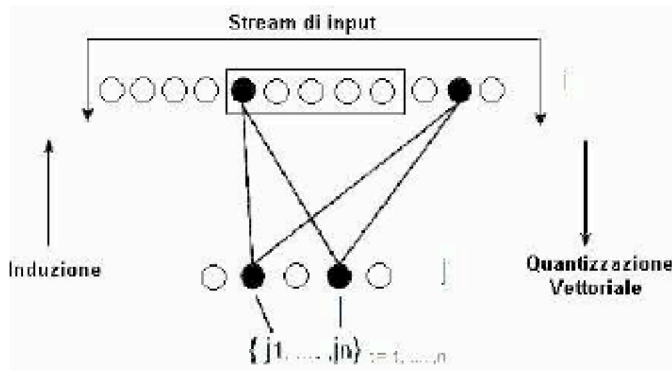


Figure 3.13 ITSOM architecture

This form of induction is much more subtle than the one derived from the sole winning neuron of a SOM network led to convergence to the corresponding input, because the neurons of the competitive layer are too few to provide a significant classification.

The characteristic of this network is that it does not need to be brought to convergence, because configurations of the winning neurons achieve the necessary stability within about tens epochs. For best results the network shouldn't polarize on too few neurons, but shouldn't even disperse itself throughout the whole layer.

The algorithm that resulted optimal to recognize the configurations created by the network is based on the method of z-score.

The cumulative scores for each input are normalized according to the distribution of the standardized variable z given by

$$z = (x - \mu) / \sigma$$

where μ is the average of the scores on the neurons of the weights layer and σ is the standard deviation.

Once a threshold $0 < \tau \leq 1$ is set, which is therefore one of the parameters of this network, these values are then set:

$$z = 1 \text{ per } z > \tau$$

$$z = 0 \text{ per } z \leq \tau.$$

In this way, each configuration of winning neurons is represented by a binary number composed of strings of 1 and 0, as many as are the weights of the output layer. It is then straight-forward to compare these binary numbers.

Other methods are possible for discriminating winning configurations, always taking into account that the fuzzyfication of their numerical strength is necessary, as they describe chaotic

attractors consisting of a repetitive nucleus with many variations in their surroundings.

The lateral inhibition mechanism of the SOM was written taking into account the mechanisms of neurophysiological mapping of sensory stimuli on the neocortex: therefore, similar inputs are mapped to nearby locations of the cortex in an orderly and conservative topology.

Both in the SOM and in the other artificial neural networks the learning process is based on cyclical repeating of input stimulus. Even in the brain there is evidence of reverberating circuits that reinforce the impression of the input information on the cortical map. However, it appears unlikely that these loops can be repeated thousands of times in search of a fixed target, also because it is difficult to imagine that the brain can then recognize only the last active neurons as the most important. It seems rather more reasonable to assume that reverberation naturally gets exhausted with the unwinding of the electrical discharge activation, and that the cortical maps are formed by a constellation of active neurons, the so-called memory trace, which will subsequently retrieve information. For this reason, the ITSOM mechanism seems more physiologically justified. Also the inductive mechanism, learning a very large number of new information using the primer track of a nucleus of existing information, seems reasonable and confirmed by neurophysiological experiments. Both daily experience and several studies seem to confirm that learning is neither a fully supervised (i.e. based on examples), nor a completely unsupervised process, and therefore it needs at least one set of known reference points.

SOM can also be expressed as a nonlinear dynamic model expressed by differential equations $dx_i/dt = I_i - \mu(x_i)$, where the output variable x_i can correspond to the average frequency of discharge of the neuron i , I_i is the combined effect of all inputs on the neuron i , and $\mu(x_i)$ is the sum of all the non-linear losses encountered by discharge [Ritter and Schulten, 1988].

The SOM architecture has been studied by Kohonen as a result of his studies of neurophysiology [Kohonen, 1993], and other authors observed the WTA functionality at the cortical level. Ermentrout [Ermentrout, 1992] studied a model of the cortex in which the WTA process has the dual role of selecting the more important stimulus and reinforcing the pattern after the stimulus has disappeared. Every time a cell is active for some time and then turns off, the network oscillates between different states. The occurring limit cycles are the result of the bifurcation solutions of the system

$$dx_j/dt = -\mu x_j + F(x_j, u(t); \alpha) \quad j = 1, \dots, N$$

for N activated neurons x_j , where $F(x, y; \alpha)$ is a function of two variables parameterized by α and such that $F/dx > 0$ and $F/dy < 0$, $u(t)$ is the inhibitory feedback of the form

$$u(t) = \mathbf{G}(\sum x_k),$$

G is monotonically increasing. The overall activity $x_1(t) + \dots + x_j(t)$ almost lie on a closed trajectory, which means that the total excitatory activity of the network remains almost constant. Also Traub [Traub et al., 1991] introduces a biophysical model of this effect in which, even if the individual neurons randomly discharge, the entire system has a regular behaviour, constituting "limit cycles that preserve order".

In order to evaluate the results of the dynamical simulations, we conceived a novel method based on Artificial Neural Networks (ANNs), which are effective non-linear classifiers, useful for complex patterns. We submitted the structural data obtained by the MD evolution to two different SOM-based models: SONNIA, a SOM-based algorithm developed in the SONNIA environment, for the evaluation of specific parameters, and ITSOM for the evaluation of dynamic attractors. Their results were then compared. Values of xyz coordinates of the molecules after dynamic simulation and with minimized energy are used as input value for neural networks.

For our case study we chose a Kohonen rectangular network structure with 9x6 neurons and a random initialization. This map represents the number of neurons affected by the evolution of the network and the values involved.

The first adopted model was a *SOM-based algorithm developed in the SONNIA environment*. SONNIA is a powerful Artificial Neural Networks environment, very useful in the field of drug discovery and protein prediction. It allows classifying a series of data sets, providing both supervised and unsupervised learning.

In this research project we have instead decided to use the analysis tools provided by SONNIA to develop a SOM network and evaluate specific parameters to assess the degree of dynamic organization reached by the examined molecules when subjected to electromagnetic fields.

The output maps of a SOM network are represented in SONNIA by a set of coloured boxes, one for each output neuron. The boxes configuration highlights two interesting parameters:

1 - Occupancy, i.e. the number of patterns that have been mapped onto the same neuron, indicating similarities in the input domain.

2 - Conflicts or conflict neurons, i.e. neurons that refer to inputs belonging to different classes.

In general, there are always at least a few conflicts such as with any other modelling technique there are false positives or false negatives.

The main features that make the SOM-based algorithm developed in the SONNIA environment SONNIA environment a useful tool for our analysis are: the processing of data from projects of high dimension of space in two dimensions, the procedures for classification and clustering, the modelling and prediction of structures, the planar or toroidal selection of the topology of the network, the visualization of data as chemical structures, reactions and spectra.

Through the graphical interface of the SONNIA environment it is possible to upload the appropriate data file, and a neural network can be created by defining the parameters of its architecture: the algorithm to be used, the topology of the network, the dimension of the neurons, the dimension of the network and the initialization process. Once the definition of the parameters is completed, the neural network can be trained. The first phase of the training activates the learning speed, the length of learning, the error checking and the threshold arrest, and the values for the epochs and for the intervals to be set.

After the training has been completed it is possible to start working with the network. The SOM-based algorithm developed in the SONNIA environment permits to visualize the changing of dynamic errors during training and to select maps, such as the Kohonen map.

Several operations can be carried out with maps, including: zoom, horizontal and vertical rotation, deletion mapping and tiling. It is also possible to change the number of visible and background rows and columns.

SONNIA environment displays a series of maps identifying:

- the most common output;
- the occupancy of the grid (rectangular or toroidal choice)
- the average output;
- the minimum output;
- the output of the centroid of the grid;
- the average distance and the variance between the inputs and the neurons of the lattice.

The maps are represented by coloured boxes, one for each occupancy neuron. For each map a colour scale identifies the numeric value of each box.

Besides, we used another self-organizing artificial network developed by our group, the *ITSOM* (Inductive Tracing Self-Organizing Map), to discriminate the dynamical behaviour of the structures under investigation, on the basis of the chaotic attractors determined by the sequences of its winning neurons [Pizzi et al., 2007].

In fact an analysis on the SOM has shown that such a sequence, provided to keep the learning rates steady (instead of gradually decreasing them), constitutes chaotic attractors that

repeat “nearly” exactly in time with the epochs succeeding, and that, once codified by the network, uniquely characterize the input element that has determined them. ITSOM is an evolution of Kohonen SOM. The sequence of winning neurons forms a series of numbers that are repeated almost periodically (chaotic attractors). Each attractor uniquely identifies the input pattern. The graphical representation of the chaotic attractor provides a graphical representation of the dynamic organization of the pattern. We developed in Matlab - Simulink a procedure that processes in the form of attractors the series of winner neurons resulting from the output of ITSOM

An attractor can be defined as a generalization of the steady state point, and represents the trajectory in a portion of state space where a dynamical system is attracted to [Ruelle, 1981].

We tried to highlight the presence of dynamical attractors in the described structures using MATLAB and its SIMULINK module for the dynamical systems simulation. We have developed an evolution of the SOM because for time-variable and not strictly linear inputs the performance of the SOM is limited by different factors:

- if the non-linearity of the input topology is too marked, the competitive layer is not sufficiently able to unravel the shape of this topology;
- it is difficult to reach a reliable convergence since it is not possible to establish a network error for each epoch;
- the low cardinality of the output, that is limited to the number of neurons of the competitive layer.

The method of chaotic attractors can solve the lack of explanation of the output present in the SOM and typical of any clustering algorithm. Once the input is classified, its significance has to be extrapolated with *ad hoc* procedures that in real time application may further penalize the computational load.

At any epoch, the new winning weight along with the weight that has won the previous epoch, form a second order approximation of the input value. It is therefore possible to derive the value of the input by comparing the characteristic configurations of each input with a set of reference configurations, whose value is known.

A real process of induction is thus made, since once a vector quantization many-to-few is produced from the input onto the weights layer, a step few-to-many is performed from the reference configuration to the whole of the inputs. This form of induction is much more subtle than the one derived from the sole winning neuron of a SOM network lead to convergence to the corresponding input, because the neurons of the competitive layer are too few to provide a significant classification.

The characteristic of this network is that it does not need to be brought to convergence, because configurations of the winning neurons achieve the necessary stability within about tens epochs. For best results the network shouldn't polarize on too few neurons, but shouldn't even disperse itself throughout the whole layer.

The algorithm that resulted optimal to recognize the configurations created by the network is based on the method of z-score. The cumulative scores for each input are normalized according to the distribution of the standardized variable z given by: $z = (x - \mu)/\sigma$, where μ is the average of the scores on the various neurons of the layer of weights and the standard deviation. A threshold $\tau < 1$ is set, which is therefore one of the parameters of this network, and it is therefore obtained that:

$$z = 1 \text{ per } z > \tau$$

$$z = 0 \text{ per } z \leq \tau$$

In this way, each configuration of winning neurons is represented by a binary number composed of strings of 1 and 0, as many as are the weights of the output layer. It is then straight-forward to compare these binary numbers.

Other methods of discrimination of winning configurations are possible, taking into account that the “fuzzyfication” of their numerical strength is necessary, as they describe chaotic attractors that consist of a repetitive nucleus with a lot of changes in their surroundings.

The mechanism of lateral inhibition of SOM has been set taking into account the neurophysiological mechanisms of mapping of sensory stimuli on the neocortex: in fact it appears that similar inputs are mapped to nearby locations of the cortex in an orderly and conservative topology.

The learning process of both the SOM and the other artificial neural networks is based on looping of the input stimulus. In the brain as well there is evidence of the existence of reverberating circuits that reinforce the impression of the input information on the cortical map. However, it appears unlikely that the loop can be repeated thousands of times in search of a fixed target, partly because it is difficult to imagine that the brain can then recognize only the last activated neuron as the most important. It seems rather more reasonable to assume that the activity of reverberation runs out spontaneously with the exhaustion of the electrical discharge of activation, and that the cortical maps are formed of a constellation of active neurons, the so-called amnesic trace, which is used later for recovery of information. For this reason, the mechanism of ITSOM seems more physiologically justified. The inductive mechanism that learns a very large number of new information using the amnesic trace of a core of existing information seems reasonable and is confirmed by neurophysiological experiments. The

learning is not a fully supervised process (ie based on examples), but it is not even completely unsupervised, and therefore it needs at least one set of reference known points. This seems to be confirmed both from daily experience and by several studies.

3.2.2 ANN processing: the ad hoc ITSOM implemented

We have implemented a version of the network ITSOM written in C language, which uses as input values the spatial coordinates of molecular structures, obtained using the simulation software Ascalaph.

In this way it is possible to set manually the values of the following parameters:

- Number of input units
- Number of samples to be taken
- Epsilon: learning rate
- Delta: Delta z-score
- Number of mapping units

Once the intervals are defined on which parameters will vary, a pace is specified. The value of a parameter takes on the minimum value of the interval, added in multiple of the pace specified.

In a file named output.txt are then reported:

- Name of the processed file
- Values of the parameters used
- Sequence of winning neurons
- z-score

After testing many combinations we have reached the best configuration:

- number of input units: 500
- number of samples to be taken: 500
- Mapping Unit: 15
- learning rate: 0.03
- Delta: 0
- Number of epochs: 100/200

The output of this network provides a single sequence of places of the various weights of the winning neurons. It may happen that over the epochs the neurons randomly win or organize themselves in order to be repeated more or less regularly. This will show us that we are in the presence of chaotic and non-cyclical attractors.

4. RESULTS

4.1 BIOPHYSICAL EXPERIMENTS

4.1.1 Schemata of the Biophysical experiments

	Analysis	Hypothesis	Result
Resonance	Spectrum analysis up to 2,7 Ghz	If MTs, as well as NTs, may behave as oscillators, this could make them superreactive receivers able to amplify the signals	- Microtubules: sharp (0,30 Hz) peak of mechanical resonance at a frequency of 1510 Mhz - Tubulin and control solution did not show any reaction MT molecular tubular structure can be responsible for the observed amplification of the signal
Birefringence	Birefringence analysis of polarized light passing through: MTs, tubulin and control samples submitted to electric and magnetic field	Differences between MTs and Tubulin indicate that the molecular structure of MTs could be the cause of their reaction to electro-magnetic fields	MTs react to electromagnetic fields in a different way than tubulin and control: birefringence effect is always higher in MTs than in tubulin and control, with statistical significance
Superradiance	Excitation by solid-state lasers operating in the infra-red; wavelength applied = 270 nm (luminescence conditions for microtubules)	Investigation of the presence of coherence phenomena related to the microscopic structures of microtubules	Emission doesn't change with the changing of the temperature: luminescence doesn't come from delocalized states, but from non-superradiant conditions. The observed emission can be due to Tryptophan

4.1.2 Resonance Experiment

In the study of the physical properties of MTs compared with those of NTs we analyzed a possible reaction to microwaves, observing any ability of MTs to absorb or emit like antennas. If MTs, as well as NTs, may behave as oscillators, this could make them superreactive receivers able to amplify the signals [Mavromatos, 2000]. Microtubules are electrical polar structures with energy supplied from hydrolysis of guanosine triphosphate (GTP) to guanosine diphosphate (GDP). At least a part of the energy supplied from hydrolysis can excite vibrations. Energy is mainly lost by viscous damping of the surrounding cytosol. Viscous damping is diminished by a slip layer which is formed by an attracted ionic charge layer and by a thin surface layer of the microtubule. Pokorny found that relaxation time caused by viscous damping may be several orders of magnitude greater than period of vibrations at 10 Mhz, and in his experiments he detected resonance in MTs at around 8 Mhz [Pokorny, 2004].

We carried out an experiment intended to verify the existence of resonance in MTs, in analogy with the CNTs, at the frequency that amplifies the wave.

During the electromagnetic resonance experiment we identified a difference in the peak amplitude of the solution with MTs at a frequency of 1510 MHz, whereas the solution with tubulin and the control solution did not show any change in the peak. The lack of response in tubulin and control can be considered a hint that the peculiar structure of microtubules could be the cause of the observed signal.

In the tubulin analysis no significant changes have been detected in the amplitude of the signal received by the spectrum analyzer; while in the MTs analysis we observed at 1510 MHz a sharp 0.3 Hz lowering of the reference peak of absorption (Fig. 4.1), and between 2060 MHz and 2100 MHz a small lowering of the reference peak (absorption). The analysis of MT buffer without microtubules gave no evidence of absorption.

The outcome of the last analysis is important; the fact that the MT buffer did not cause changes in the reference peak means that the fluctuation found in the test tube with microtubules and MT buffer depends only on the protein assembling in the tube-like structure typical of MTs. We can't show raw data for these analysis because, even using professional tools, they had no digital interface so it was not possible to record the data, but only detect them during the experiment. The Q factor was very high, but we could not take note of the values.

Considering the nanoscopic size of MTs, the resonance analysis would be more effective if carried out on much higher frequencies (up to 100 GHz), with suitable instrumentation. But the presence of a small but sharp resonance effect at a low frequency could be the hint of a much

evident effect at higher frequencies. In fact the magnitude of the effect becomes significant when the frequency corresponds to the resonance frequency. The energy supplied from hydrolysis of guanosine triphosphate (GTP) to guanosine diphosphate (GDP) can excite vibrations in microtubules, which become damped oscillating system. When MTs are subjected to a periodic solicitation with a frequency equal to the system oscillation a resonance phenomenon causes a significant increase in the extent of the oscillations that corresponds to a remarkable accumulation of energy within the oscillator.

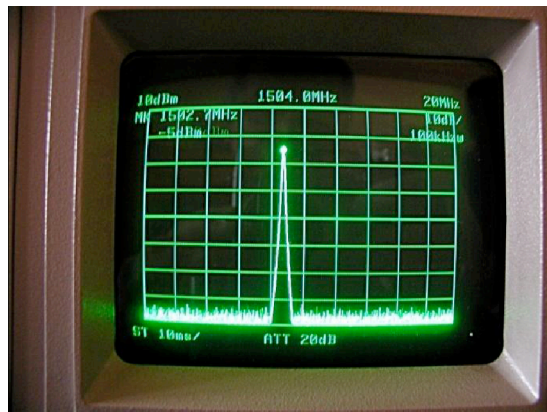


Figure 4.1 Difference in the peak amplitude of the solution with MTs at a frequency of 1510 MHz

4.1.2 *Birefringence Experiment*

We analyzed the MTs behaviour in birefringence conditions. By means of a polarized light and a suitable detection apparatus, it is possible to observe the associated birefringence and, therefore, the index of orientation of MTs subjected either to transverse electric fields or to transverse and longitudinal magnetic fields [Oldenbourg et al., 1998].

We performed in vitro experiment on different samples of MTs and tubulins, in stabilizing buffer solution, and measured the polarization under controlled conditions in order to determine different effects in the interaction of almost static electromagnetic fields. For our comparative experiments the variation of the refraction index is important because it is a function of the wavelength of the electromagnetic radiation and the nature of the crossed material. Behavioural differences observed between samples of tubulin and MTs, would lead us to understand whether the cavity structure in the MT reacts in a peculiar way in response to specific stimuli or not.

The tests were performed on solutions of tubulin and MTs, each in its own stabilizing buffer.

Then we repeated the tests with tubulin in MTs buffer and with the buffer alone as control. Each sample solution was submitted to four tests:

- Transverse electric field (1 volt/cm)
- Transverse magnetic field
- Longitudinal magnetic field
- No field

We used two cells simultaneously; a first cell was always present with a low intensity longitudinal magnetic field at 610.1Hz frequency and filled with distilled water. This allowed a reference signal in all the various measures on the second cell, excited at a 632 Hz frequency. The choice of almost static fields permitted the highest sensitivity. The frequency (632 Hz) is sufficiently low to exclude dynamic effects. An important point is that for longitudinal magnetic fields a strong Faraday Effect is present due to the water contained in the analyzed solution and producing a consistent background noise.

Already at an early stage we noticed a strong response to the longitudinal magnetic field of all samples submitted to a frequency of 632 Hz, due at least in large part to the Faraday Effect, while without field no reaction peaks were visible. Figure 4.2 shows raw data spectra for microtubules and negative control.

The analysis of the results of birefringence experiment highlights that the MTs react to electromagnetic fields in a different way than tubulin. In particular, electric field and longitudinal magnetic field show opposite effects in the two types of proteins. Anyway in spite of the effect under electric field is the same as with no field, an unexpected and interesting effect is shown in the case of longitudinal magnetic field. The achieved results, supported by statistical significance, suggest that the tubular structure of MTs might be responsible for the different behaviour in respect to free tubulins. It should also be noted that it has been reported by Dombeck [Dombeck et al., 2003] that second harmonic generation was only found in parallel MT bundles, but not in anti-parallel bundles, which are inversion symmetric structures. The uniform polarity of parallel MTs leads to the observed signal, whereas the mixed polarity leads to destructive interference.

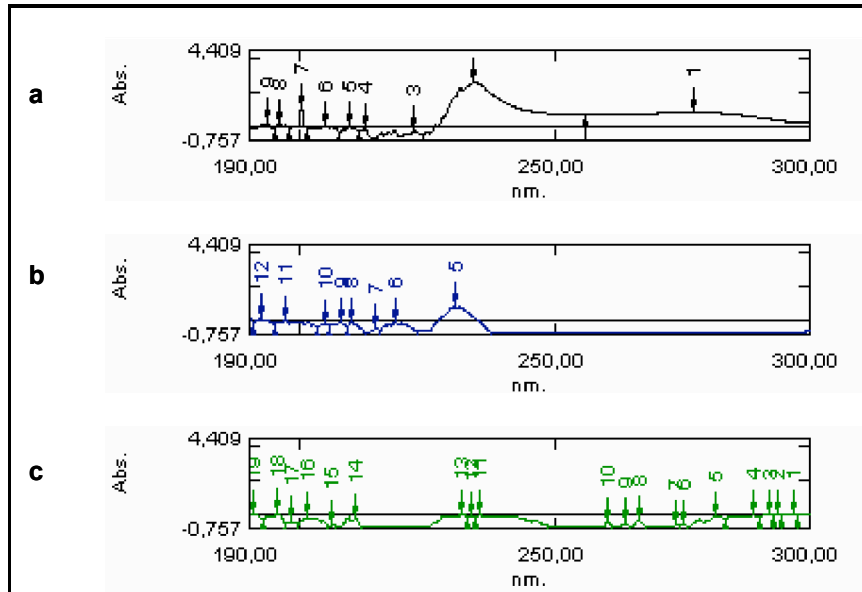


Figure 4.2 Raw data from Birefringence experiment
 a) Spectrum of Microtubules in Buffer MT
 b) Spectrum of Tubulin in Buffer MT
 c) Spectrum of Buffer MT (negative control)

FFT Analysis of the acquired signals

In Table 4.1 we show the values obtained with different set-ups, normalized by the value of the control sample at 610 Hz [value (632 Hz) / value (610 Hz)] allowing a direct comparison between the analyses. All values have been multiplied by a factor of 105. The 632 Hz signal is shown normalized for the presence of changes in measurements due to scattering, by comparing this value to the value of the 610 Hz signal of the control sample containing distilled water. The parameter choices were different for each of the four tests shown. Since the signal was sampled at 8000 Hz, the bandwidth per channel is $4000/131072 = 0.003052$ Hz/channel and the transformed FFT was performed on 18 bits, or 262,144 points.

The Hann windowing is useful for analysing transients longer than the length of the window and for general purpose applications. The Hamming windowing is very similar to the previous one; in the time domain it does not come so close to zero near the peak, as the Hann windowing does. For the Hann window function analysis we did not use smoothing; we used instead a 15 pts smoothing trying to remove noise without altering the possible relevant data.. The Hamming

window function analysis had no smooth, while a 5 pts smoothing have been applied. We did not deepen the analyses on tubulin in tubulin buffer, since the different buffer would affect the possible comparison with the other samples. By comparing the results we observe that there are major differences in values over the third decimal place.

Considering the relationship between the responses of the solutions in each context, we note that for all the analyses the MTs solution gave higher responses. There is a significant difference between the readings of the solution without protein, which gives values about ten times lower than that of the solution with MTs, which suggests a degree of response due to the tubular structure of microtubules and not to the tubulin protein itself.

The MTs solution always shows higher values than the tubulins solution when crossed by electric field. The tubulins solution always shows larger values than the control solution when an electric field is applied. Tests with buffer alone show values equal to the tests with proteins which suggests that there was no significant response for MTs and tubulins subjected to transverse magnetic field.

The comparison among the same tests with different windowing and smoothing highlighted the difference in the response of the MTs samples, while for the other solutions the values are virtually identical. The MTs solution has always lower value of both the tubulins solution and the solution alone when crossed by a longitudinal magnetic field. We can also observe that the solution with MTs has always a higher value if compared with the solution with tubulins and the solution alone in absence of electromagnetic field. The value of the tubulins solution results to be lower than the value of the solution alone in the cases of longitudinal magnetic field and no field.

It should be noted that the various parameterizations lead to small differences in absolute value, but substantially retain the ratio values. The uniformity of the different analysis suggests that these differences are not random or due to noise and, given this correlation, we do not need to evaluate a best choice among possible parameterizations.

Statistical analysis

Below the statistical analysis is reported to verify possible significances. With 8000 samples/sec run for 32 seconds, we provided more than 262,000 entries for each set-up. The analysis was performed using the paired t-test. Given the substantial equivalence between parameterizations, the analysis was performed on the significance of data processed with

Hamming windowing and Hamming smoothing (5 pts). Comparisons were made on the most interesting portion of data that includes the frequencies from 600 Hz to 650 Hz. We compared with Paired T test the data where we had observed different behaviours (Table 4.2).

Among all the tests just the Paired T for S2 (Electric Field) normalized at 610 Hz and S3 (Electric Field) normalized at 610 Hz, which compares tubulin in microtubules buffer and buffer without cellular matter, both subjected to electric field, shows a value above the 5% threshold. All the other comparisons show a good statistical significance, for which the P-Value is always <0.0005, suggesting that the already highlighted differences in the behaviour, allow us to draw some conclusions on the achieved results.

	Hann window function	Hann window function (smooth 15 pts)	Hamming window function	Hamming window function (smooth 5 pts)
Electric Field (EF)				
Microtubules in MT buffer	0.0267	0.0249	0.0283	0.0238
Tubulin in MT Buffer	0.0177	0.0175	0.0197	0.0169
MT Buffer (control)	0.0099	0.0089	0.0123	0.0083
Tubulin in Tubulin Buffer	0.0025			0.0018
Transverse Magnetic Field (TMF)				
Microtubules in MT buffer	0.0810	0.0781	0.0837	0.0766
Tubulin in MT Buffer	0.0996	0.0966	0.1018	0.0946
MT Buffer (control)	0.0925	0.0893	0.0953	0.0872
Tubulin in Tubulin Buffer	0.0895			0.0849
Longitudinal Magnetic Field (LMF)				
Microtubules in MT buffer	1.828	1.7717	1.8480	1.7320
Tubulin in MT Buffer	2.327	2.2544	2.3567	2.2025
MT Buffer (control)	2.336	2.2628	2.3654	2.2115
Tubulin in Tubulin Buffer	2.311			2.1883
No Field (NF)				
Microtubules in MT buffer	0.00860	0.01069	NP *	0.00389
Tubulin in MT Buffer	0.00285	0.00135	NP *	0.00088
MT Buffer (control)	0.00585	0.00353	NP *	0.00245
Tubulin in Tubulin Buffer	0.00353			0.00112

Table 4.1 Values obtained with different set-ups, normalized by the value of the control sample at 610 Hz. *NP: No Peak in 632 Hz

	95% CI	T-Value (P-Value)
Electric Field (EF)		
Microtubules; Tubulin*	(-1,1188; -0,9555)	-24,91 (0,000)
Microtubules; Tubulin*; Normalized at 610 Hz	(0,000733; 0,000873)	22,53 (0,000)
Microtubules; MT Buffer	(-2,2282; -2,0130)	-38,66 (0,000)
Microtubules; MT Buffer; Normalized at 610 Hz	(0,000680; 0,000827)	20,12 (0,000)
Tubulin*; MT Buffer	(-1,2012; -0,9658)	-18,06 (0,000)
Tubulin*; MT Buffer; Normalized at 610 Hz	(-0,000105; 0,000006)	-1,76 (0,078)
Longitudinal Magnetic Field (LMF)		
Microtubules; Tubulin*	(-0,5861; -0,3924)	-9,91 (0,000)
Microtubules; Tubulin*; Normalized at 610 Hz	(0,000570; 0,000724)	16,56 (0,000)
Microtubules; MT Buffer	(-2,0424; -1,7779)	-28,33 (0,000)
Microtubules; MT Buffer; Normalized at 610 Hz	(0,000427; 0,000593)	12,07 (0,000)
No Field (NF)		
Microtubules ; Tubulin*	(0,5588; 0,7656)	12,56 (0,000)
Microtubules; Tubulin*; Normalized at 610 Hz	(0,001982; 0,002171)	43,08 (0,000)
Microtubules; MT Buffer	(-0,7297; -0,4794)	-9,47 (0,000)
Microtubules; MT Buffer; Normalized at 610 Hz	(0,001831; 0,002027)	38,74 (0,000)
Tubulin*; MT Buffer	(-1,3829; -1,1508)	-21,41 (0,000)
Tubulin*; MT Buffer; Normalized at 610 Hz	(-0,000204; - ,000091)	-5,14 (0,000)

Table 4.2 Statistical analysis performed using the paired t-test on birefringence experimental data.

CI: confidence interval for mean difference;

T-Value: T-Test of mean difference = 0 (vs. not =0)

* Tubulin in MT buffer solution

In summary, we can say that MTs react to electromagnetic fields in a different way than tubulin and control: birefringence effect is always higher in MTs than in tubulin and control, with statistical significance. This suggests that the molecular structure of MTs could be the cause of their reaction to electro-magnetic fields.

4.1.3 Superradiance Experiment

The prior evaluation of the absorption of MTs in the portion of the electromagnetic spectrum corresponding to the UV-VIS range was necessary to ascertain the feasibility of the superradiance experiment, because if these polymers had not demonstrated absorption in this range of wavelengths the subsequent measurements could not be performed.

The analysis showed no significant peaks in the visible range (380-780 nm) while it showed a maximum absorption in the UV around 278 nm and a secondary peak around 234 nm. The energy corresponding to 278 nm is 4,46 eV; the energy corresponding to 234 nm is 5,29 eV. GTP hydrolysis releases 0.42 eV of energy per molecule in free tubulin and a few times less that amount when embedded in a MT.

Luminescence

Once the presence of an absorption in the UV field was established, it was necessary to verify the ability of luminescence of MTs in order to detect any wavelength of emission in our sample during the superradiance experiment.

The wavelength we have chosen was 270 nm. In fact the solution of MTs in MT buffer excited at 270 nm recorded an emission of light with a wavelength of 430 nm. For higher wavelengths the sample showed a different luminescence, which is probably attributable to taxol instead of MTs. It has been reported that taxol (paclitaxel), a compound that binds to microtubule with a stabilizing effect, causes the appearance of a new fluorescence peak at 645 nm in microtubules solutions at concentrations as low as 125 nM, the intensity of which is a function of the paclitaxel concentration [Morais et al. 2003]. In fact, comparing the luminescence of the sample (MTs in MT buffer) with the luminescence of the negative control (MT buffer alone) we observed that in the absence of MTs only the emission excited at 270 nm disappears, while the one excited at greater wavelengths remains.

Superradiance

Since experimentally it is much easier to check if the square of the line width is inversely proportional to the temperature, we began our analysis with line width measurements as a function of temperature. We analysed microtubules in MT buffer (Figure 4.3). The spectrum shows a tail towards 400 nm, which however is not related to the emission of light from MTs.

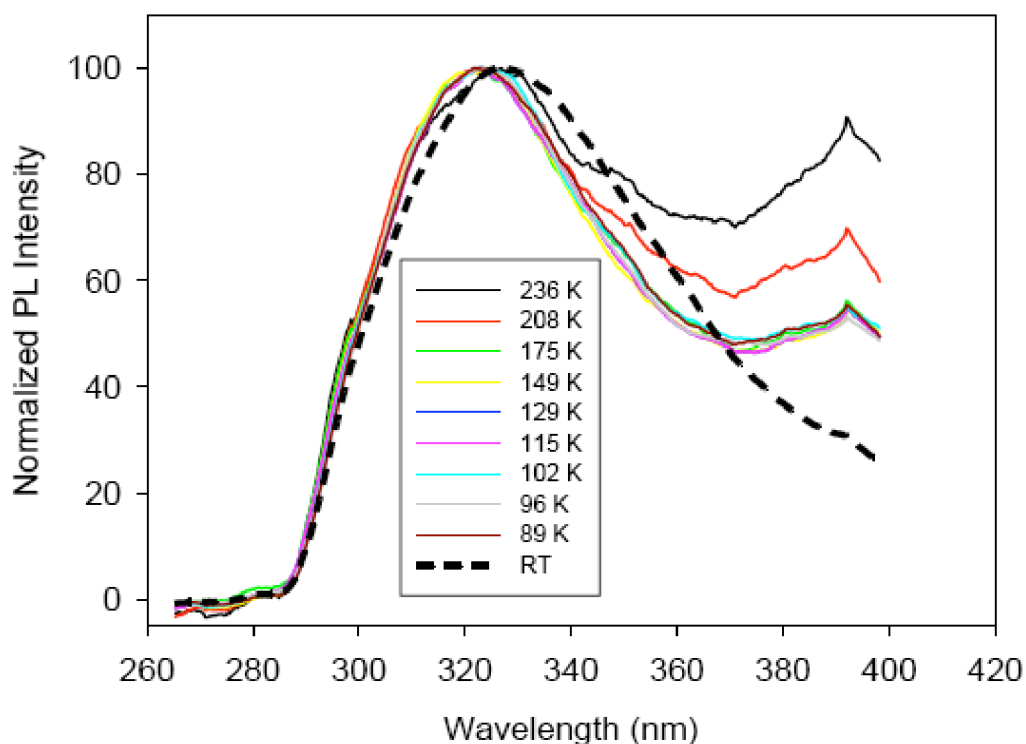


Figure 4.3 Wavelength vs Normalized PL Intensity at different temperature for microtubules in MT buffer.

All the normalized luminescence spectra measured at all the temperatures at which the solution is frozen have exactly the same shape and therefore the same width. This means that the emission does not arise from delocalized states and therefore that the system is not superradiant. The small difference in shape and position of the spectrum, following the thawing of the solution, probably depends on the small conformational changes around the unit of emission. This effect is quite common, but is not connected to superradiance.

The superradiance we evaluated derives from the interaction between optical transition dipoles and requires that the emitting state is delocalized among all transition dipoles contributing to the emission. The fact that energy can move between the dipoles through mechanisms of transfer of resonant energy or other processes of migration is not enough, but it is also necessary that the emitting units are substantially in contact one with each other, which does not happen in the case of tubulin. This suggests that the observed photoluminescence is not derived from the tubular structure of MTs but from tryptophan, an aromatic amino acid that is

part of the polypeptide chain of tubulin. Each heterodimer of $\alpha\beta$ -tubulin has a total of eight tryptophan residues, four for each monomer. The indole nucleus of tryptophan is responsible for the phenomenon of luminescence in MTs, but however it can not show resonance because the radical is present only periodically on the surface of the heterodimer. The role of tryptophan is supported by the observations made by Hameroff [Hameroff et al., 2002], who discussed excitation pathways in MTs. The distance between the various indolic radical is too large to suppose that among them there may be interactions sufficiently large to allow the relocation of the excitement. Delocalisation mustn't be confused with energy transfer and migration, since the latter are not coherent phenomena and don't produce superradiance. Furthermore it is difficult to imagine that all the tryptophan together can form an ordered set of transmitters.

In light of the attribution of the observed luminescence to tryptophan, and not to the tubular structure of the MT, it is absolutely reasonable that superradiance is not observed. However, we also tried to analyze the time-resolved measurements, as shown in Figure 4.4, to verify the presence of anomalous trends. The lifetimes observed are quite long, with values typical of isolated molecules. They range from 1970 ps at the temperature of 89 K to 1250 ps at 236 K. These long times are not favorable to the emergence of superradiance. In fact, the thermal decoherence typically operates on faster time scales (in thiophenes, for example, the interaction is quite strong and coherence is lost in less than 100 ps even at temperatures below 50 K). The decays are not perfectly exponential. This is probably due to the scattering of both incident and emitted light by the solution. The initial part of decay curves almost certainly depends on this effect. The little non-exponential part of the curve at longer times, however, is probably real and may indicate a migration of excitation, which is not related to the delocalisation). Since the effect is more pronounced at high temperatures it may be a thermally assisted process like the hopping one.

To measure the radiative lifetime, as explained before, it is necessary to evaluate the intensity of luminescence. This measurement was extremely difficult because of the strong inhomogeneity of the solution frozen and the small movements of the sample as a function of temperature.

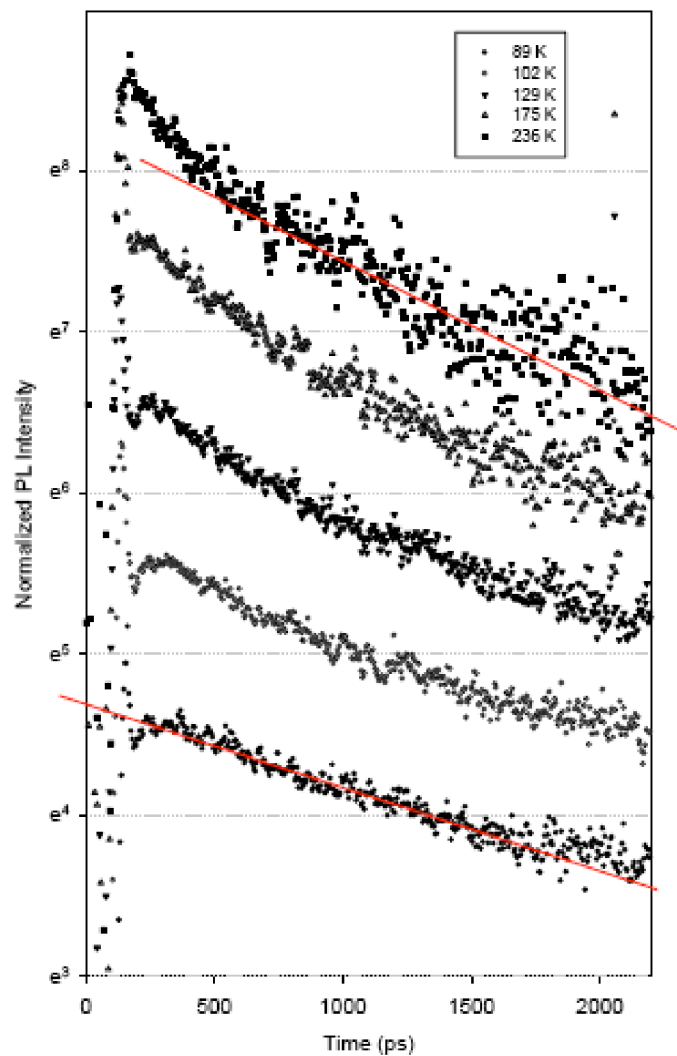


Figure 4.4 Normalized PL Intensity vs. time for microtubules in MT solution.

4.2 COMPUTATIONAL ANALYSIS

4.2.1 *Analysis of Superradiance results with Molecular Workbench*

Digital formats of the molecules were subjected to the Molecular Workbench simulation software. In order to use the proprietary format for the simulations, it was necessary to recreate the model of the molecule by extrapolating from the PDB definition its nucleotide sequence coding. This was possible through DNADynamo, also working through the Java console.

In order to perform the simulation according to the chemical and physical characteristics used in the laboratory it was necessary to select the most suitable model among the available models online by making them interact with the simulator. We searched for molecular models of our interest in RCSB Protein Data Bank and in PubChem. The search showed a multitude of results that were analysed in detail using Ascalaph Designer and Avogadro (Figure 4.5). The individual models were evaluated mainly for their spatial geometry and their similarity with the actual model used in the biophysical experiments.

In order to submit the chosen models to Molecular Workbench, it is necessary to extrapolate the nucleotide sequence and recreate the molecules within the protein simulator provided by the environment. The reading of DNA sequence occurs through DNADynamo. The amino acid sequence is supplied when uploading the model, as shown in Figure 4.6.

The program shows the genetic structure in beta-sheets and alpha-helices. By selecting the structure and using a tool included in the viewer, it is possible to reconstruct the sequence of the nucleotides forming the DNA, as shown in Figure 4.7.

The sequence of the aminoacids forming the protein is then reconstructed, by using a software available online [Benjamin Esham. DNA to Amino Acid Conversion. <http://www.geneseo.edu/~eshamb/php/dna.php>]. The molecular weight, expressed as kDa, is then calculated. The global spatial dimension of the molecule is an important feature to be considered for the simulation. It is expressed in Ångström, and is calculated by Avogadro during the upload. In Table 4.4 the data obtained are shown.

Molecule	Dimension (Ångström)	Molecular Weight (kDa)
Tubulin	1,5	110
Microtubule	250	16.250
Tryptophan	1,26	0,204

Table 4.4 Biophysical characteristics of the analysis models.

All the data are then uploaded in the simulator and the simulator can be personalised. Molecular Workbench offers different simulation models and applets. Through the Options menu it is possible to set the characteristics of the dielectric field to be used as buffer for molecular models, the temperature and the light source to be applied. Emission and absorption spectra were connected to the physical environment, in order to check the behaviour of the model. Two examples are shown in Figure 4.8 and 4.9.

Subsequently an element is defined in the model by the biophysical characteristics of spatial distribution and size searched in the previous steps. At this point all the parameters are defined and the simulation can be performed.

The simulation was carried out by dividing the samples in the three available models: microtubule, tubulin and tryptophan. We used water as dielectric field. A light source having a wavelength of 270 nm was applied, the temperature of the sample was set at 89K and the simulation time was equal to 30000fs.

To determine if there was any unconventional response related to the lifetime of the solution, we first verified that the sample undertook abnormal behaviour at higher temperatures. However, it was shown that the response taken by the system can be considered equal in all the set of temperatures analyzed, from 89K to 236K.

By analyzing the emission spectrum, values around 270 nm, 470 nm and 600 nm can be noted. These values are justified by the emission performed on the sample, which was chosen in order to have conditions of luminescence defined enough not to have false signals. Particular attention was paid to the analysis of the absorption spectrum of individual models. By analyzing the spectra, we can note that the absorption at 270 nm is constant. Therefore, it can be concluded that the emissions observed are attributable to tryptophan, whose absorption spectrum and fluorescence are reported in Figure 4.10.

A detailed analysis of the biophysical characteristics of this amino acid, highlights that tryptophan emits fluorescence in the wavelength range experimentally observed in the

simulator.

Investigating the spatial arrangement of tryptophan through DNADynamo we found that it is placed outside in the geometric shape of all proteins. Figure 4.11 shows the spatial arrangement on the outer profile of the molecule. In conclusion, we can say that the simulation is consistent with the results obtained in the biophysical experiments. The results of the simulations are shown in Figure 4.12.

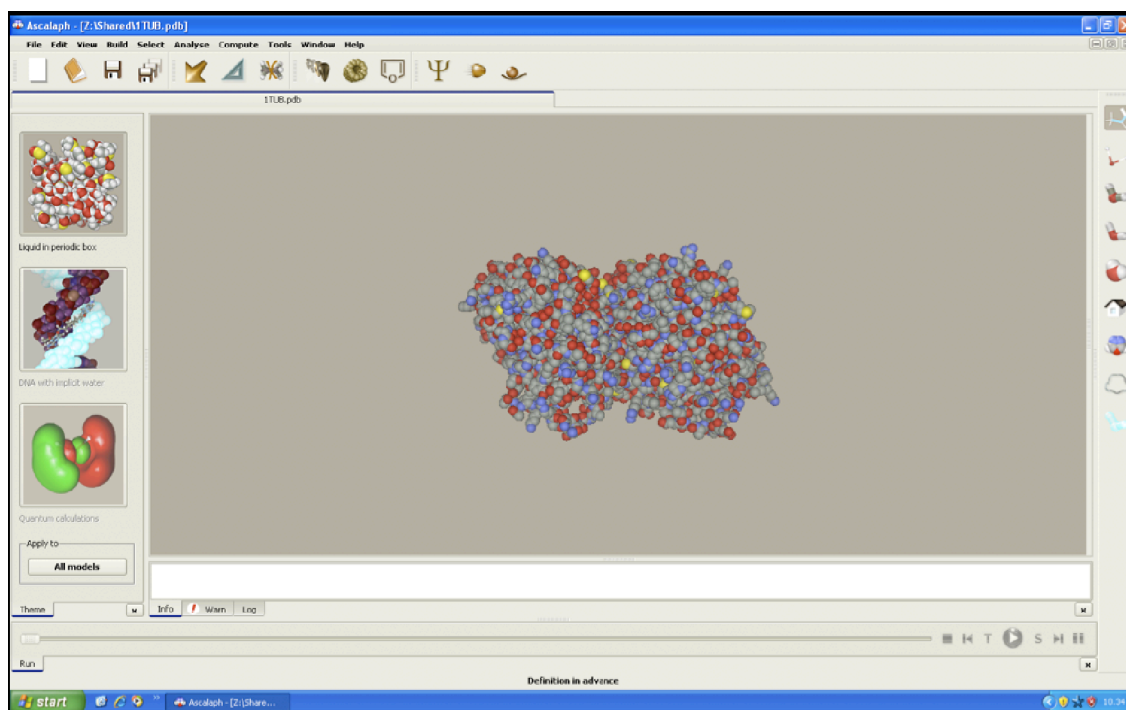


Figure 4.5 Analysis of the models with Ascalaph (tubulin is shown).

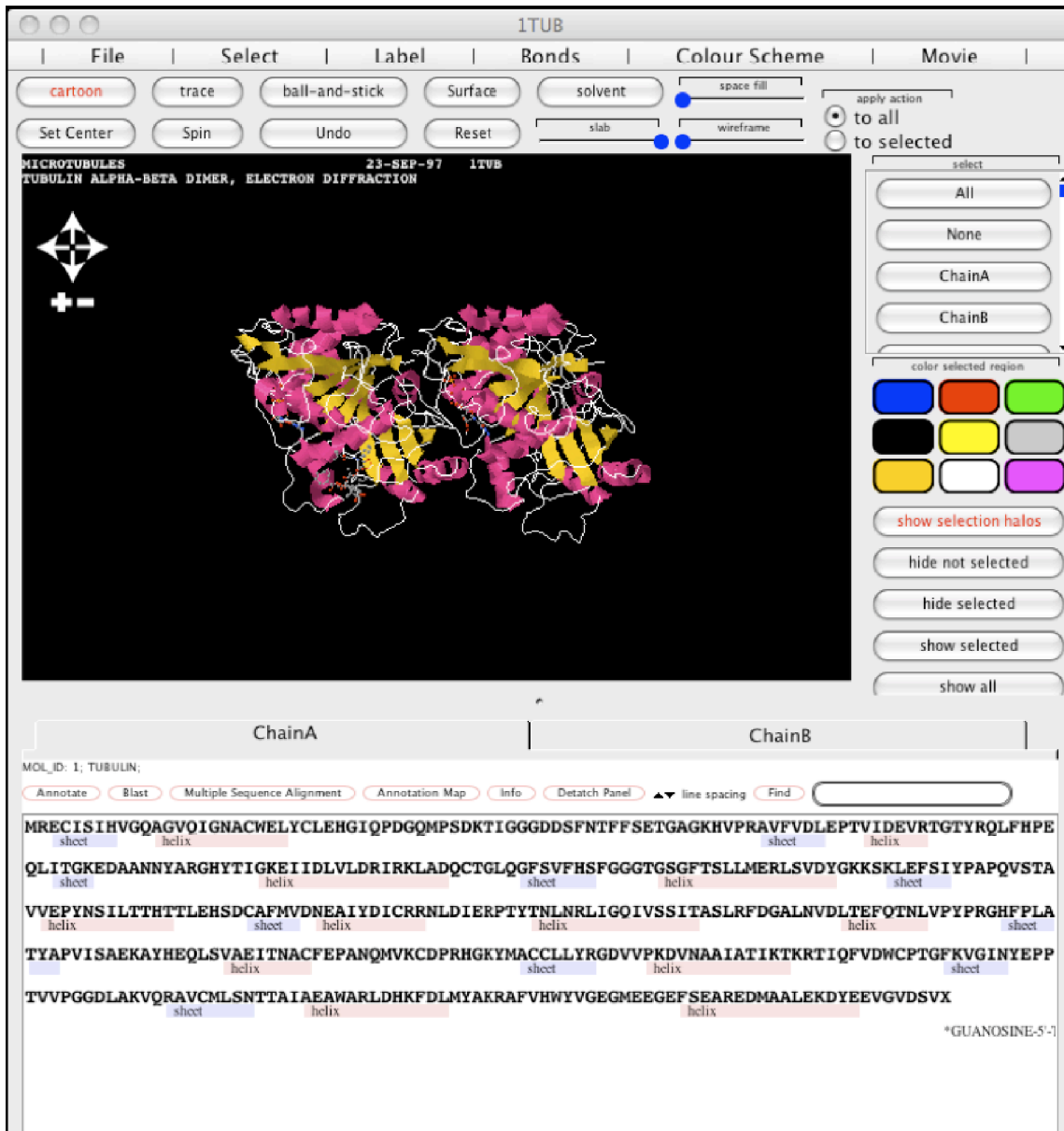


Figure 4.6 Aminoacid sequence for tubulin.

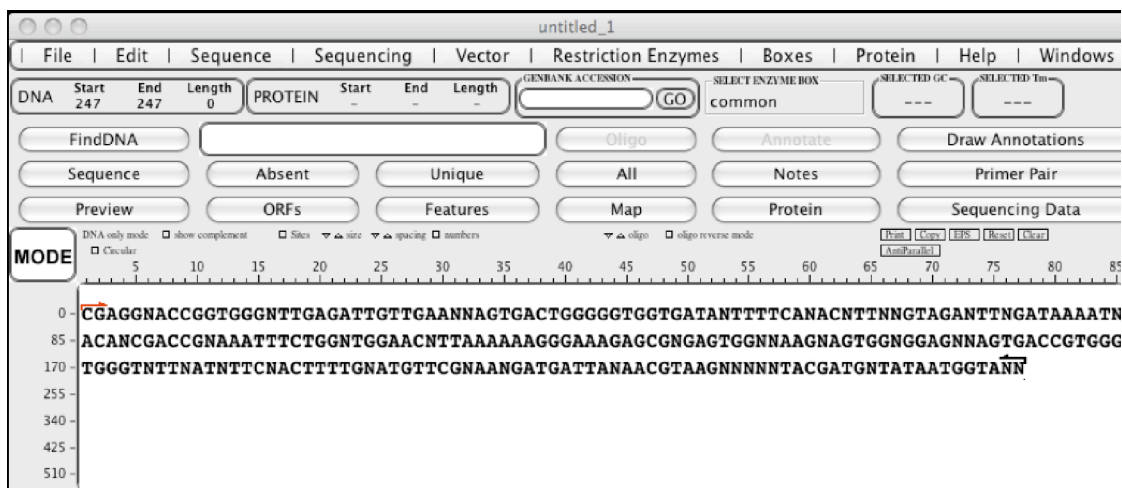


Figure 4.7 Nucleotide Sequence of tubulin.

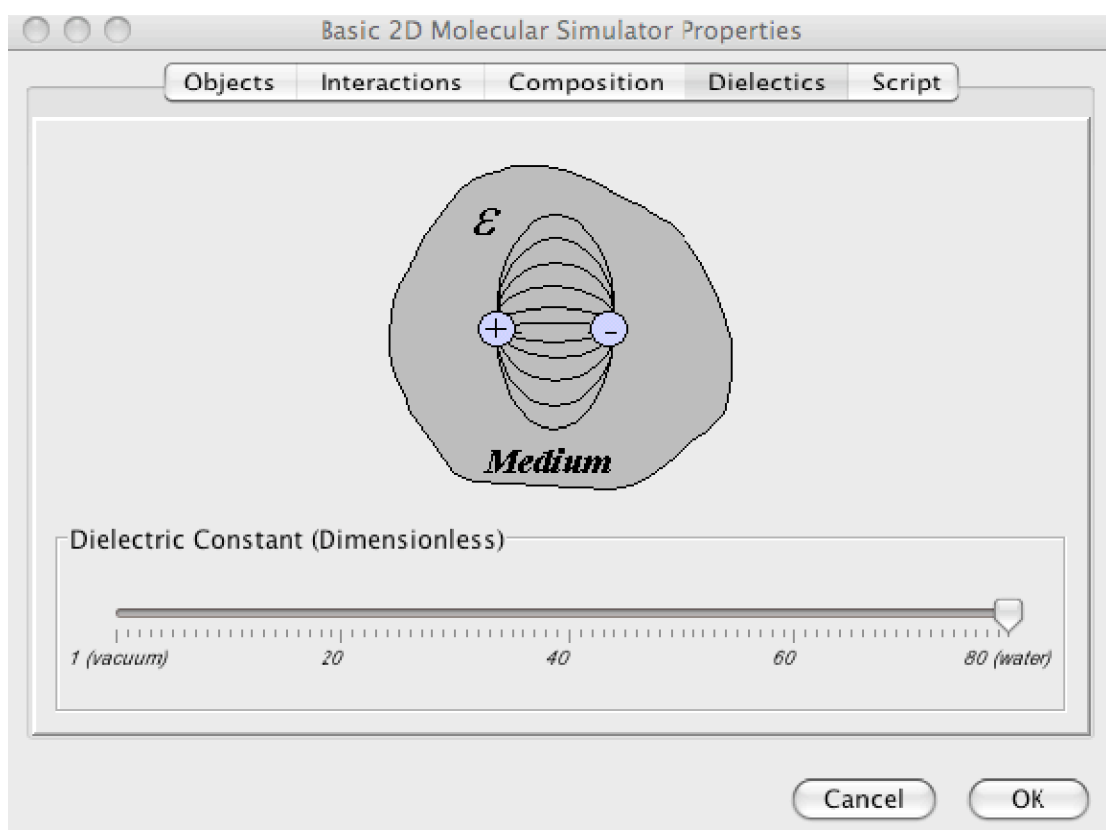


Figure 4.8 Personalization of the simulator. Selection of the dielectric field to be used as buffer for molecular models.

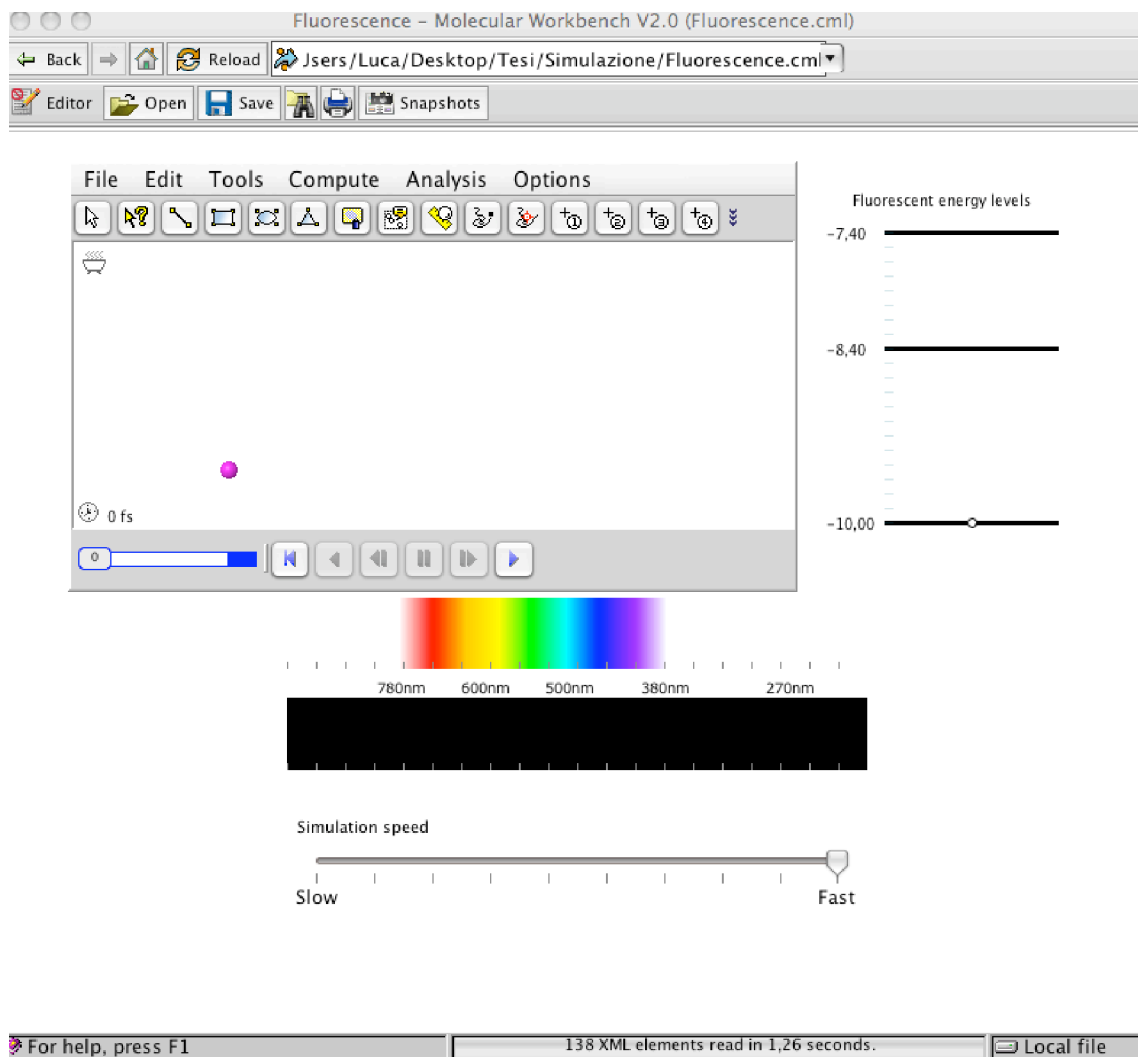


Figure 4.9 Personalization of the simulator.

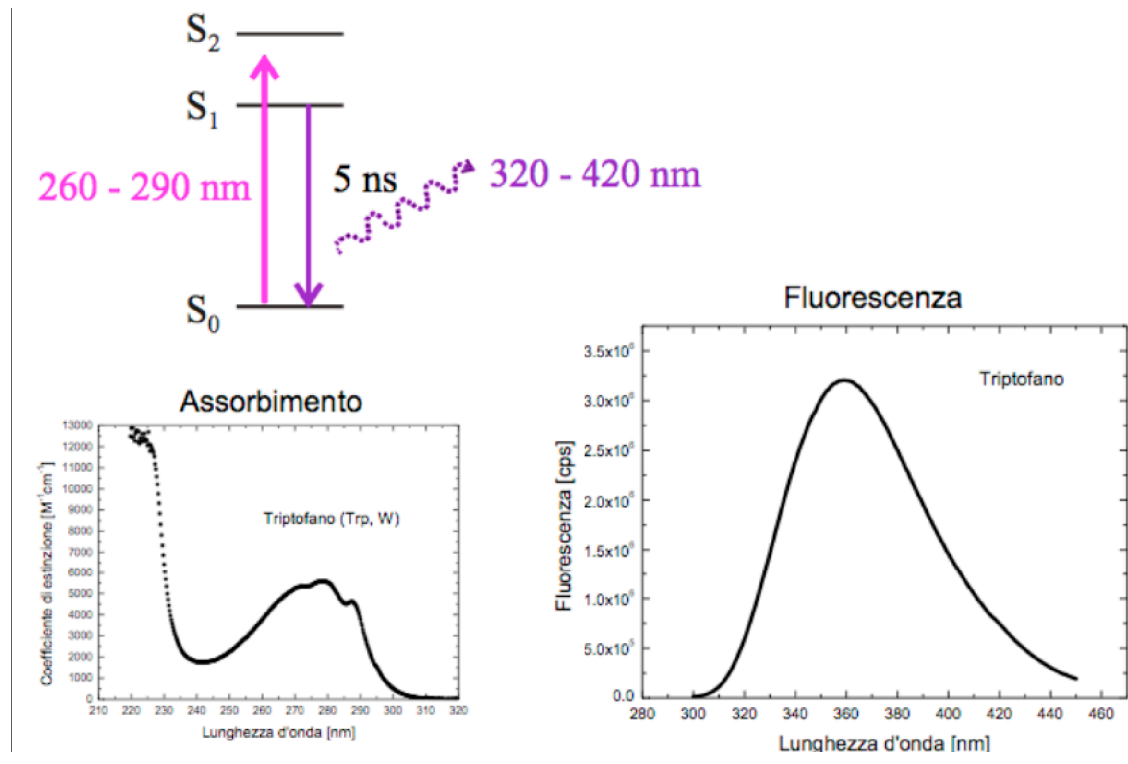


Figure 4.10 Absorbance and Fluorescence spectra of Tryptophan.

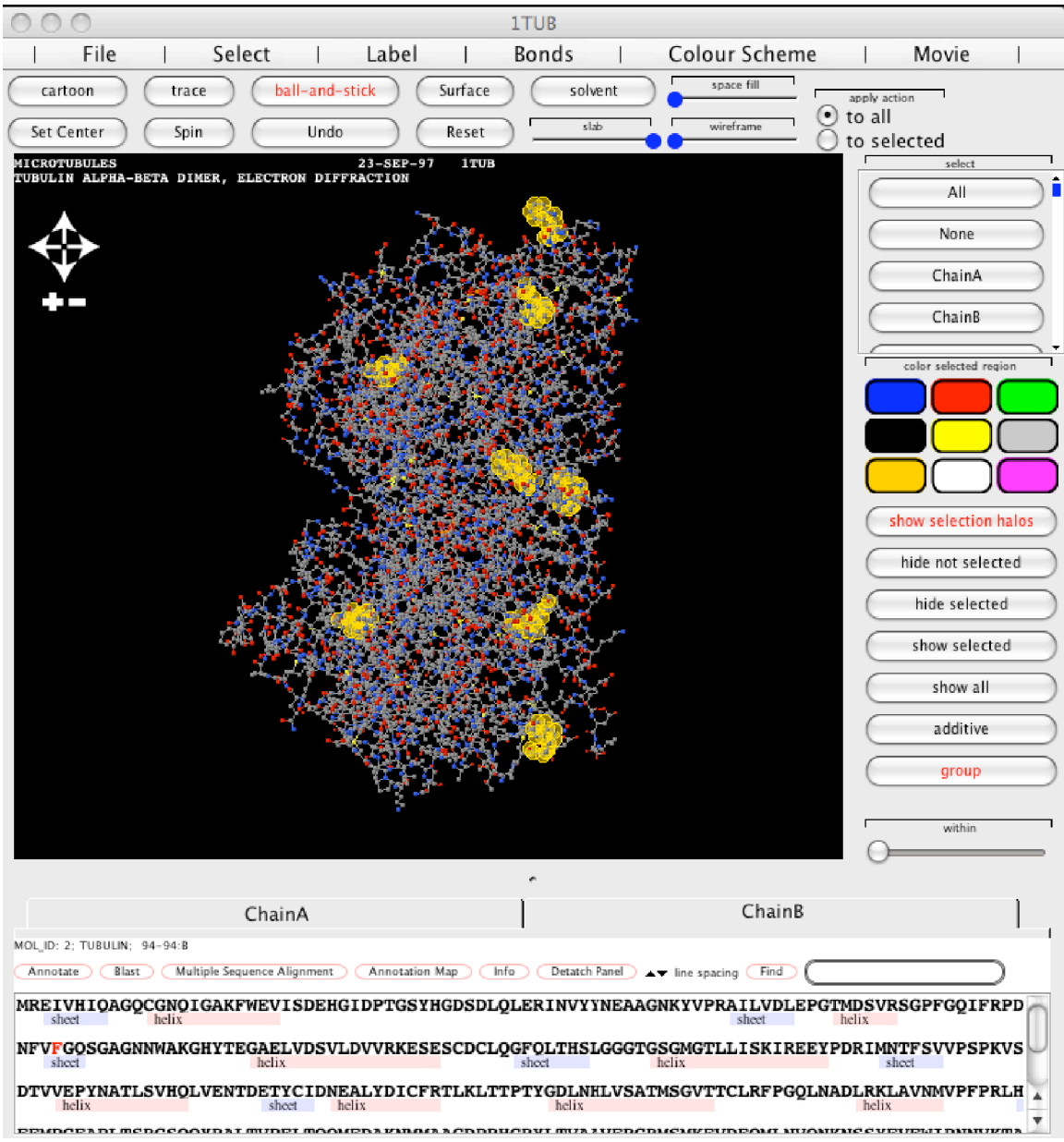


Figure 4.11 Place of Tryptophan residues in Tubulin geometry.

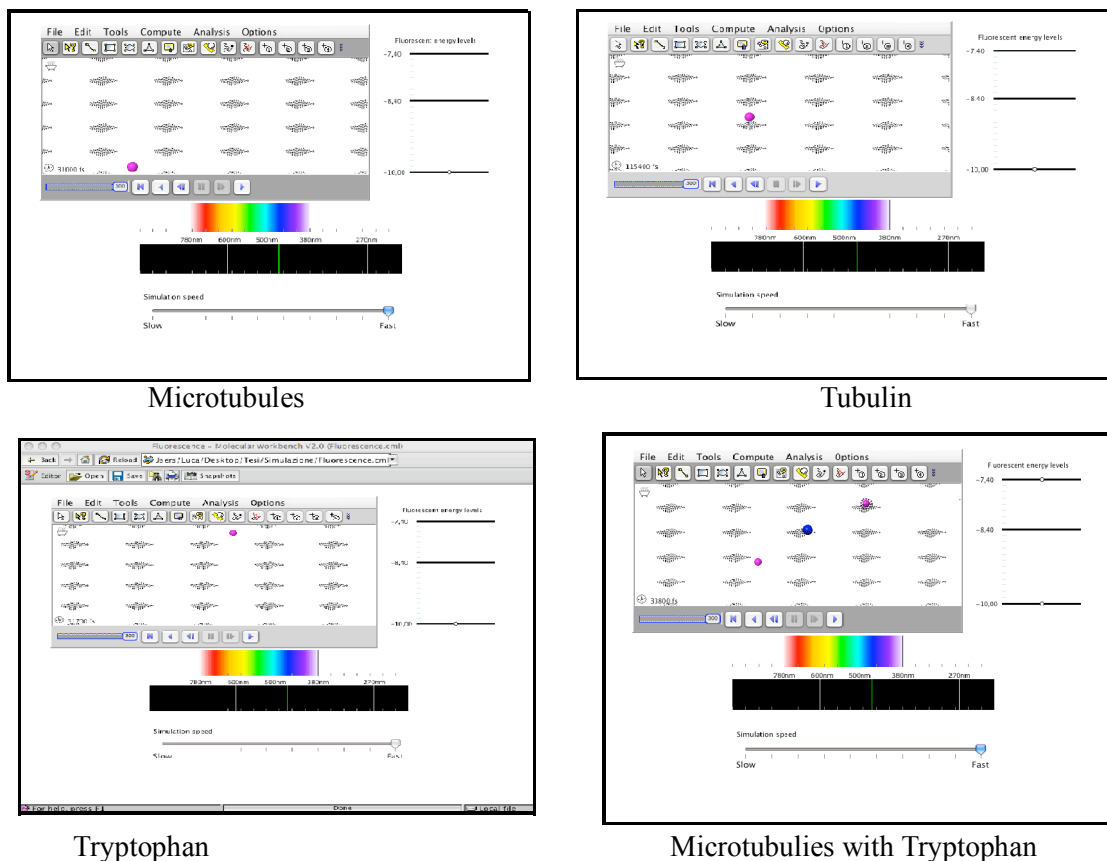


Figure 4.12 Results of Computational Simulation with Molecular Workbench.

4.2.2 *Molecular Dynamics for the interpretation of experimental results: Ascalaph MD Simulation*

In order to constitute a significant progress in the comprehension of the hypothesized peculiar properties of MTs, the estimations of a consistent model must match the experimental findings. To this purpose, we performed a dynamic simulation of the molecular structures of tubulin and MTs subjected to different levels of electromagnetic field and in the absence of field, compared with the similar behaviour in terms of carbon nanotubes (CNTs) and buckyballs (BBs), globular nanostructured elements [Kroto et al., 1985] whose relationship with CNTs can be compared to the relationship between tubulin and MTs.

We adopted the simulation environment Ascalaph due to the possibility to perform simulations for wide molecular structures with a large number of parameterizations. The

simulations were carried out as follows:

- 1st simulation: zero electric field, $A = 0$
- 2nd simulation: $A = 2 \text{ V/cm}$, $F = 90 \text{ Hz}$
- 3rd simulation: $A = 90 \text{ V/cm}$, $F = 90 \text{ Hz}$

The structures were immersed in water at 298.15 °K. The simulation duration was 7000 ps. We adopted the AMBER (Assisted Model Building and Energie Refinement) default force field.

The tertiary structure of tubulin was obtained from Protein Data Bank; MTs from the website of the NANO-D research group at INRIA Grenoble-Rhone-Alpes, BBs and NTs were directly obtained from Ascalaph.

After the end of simulation and a suitable dynamical optimization, the graphical visualization of the structures appears as in Fig. 4.13 – 4.16. The individual models are mainly evaluated for their spatial geometry and their similarity with the actual model used in the laboratory experiments.

The simulations are consistent with the results obtained in the biophysical experiments.

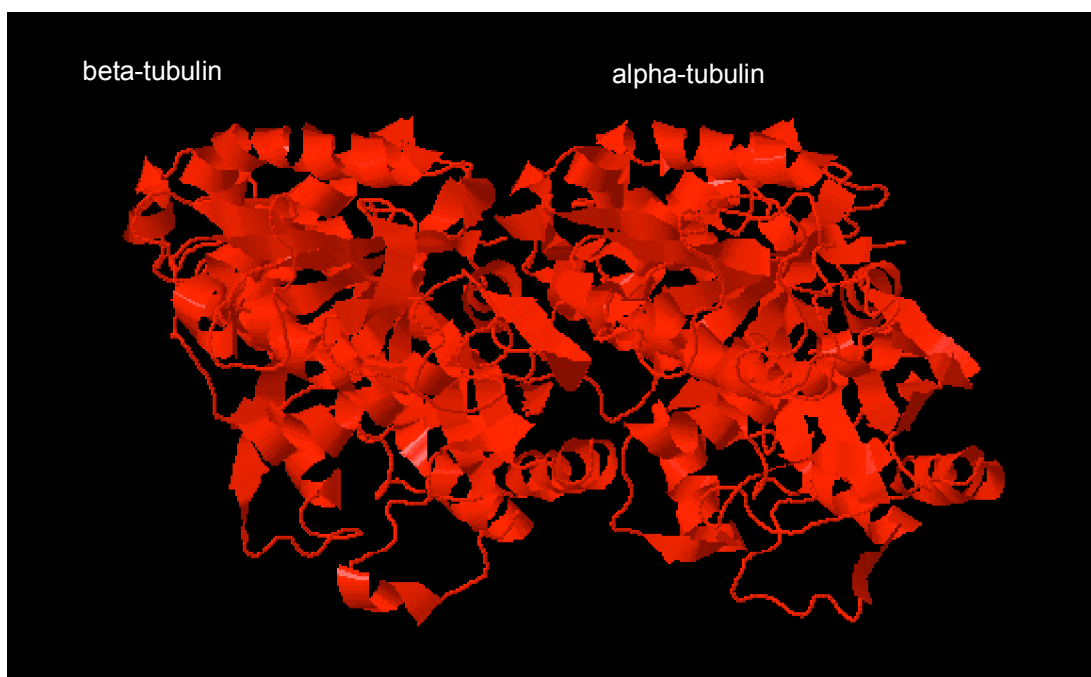


Figure 4.13 Tubulin dimer. Final step of simulation. $T = 298,15\text{K}$; $A=90\text{V/cm}$; $F=90\text{Hz}$

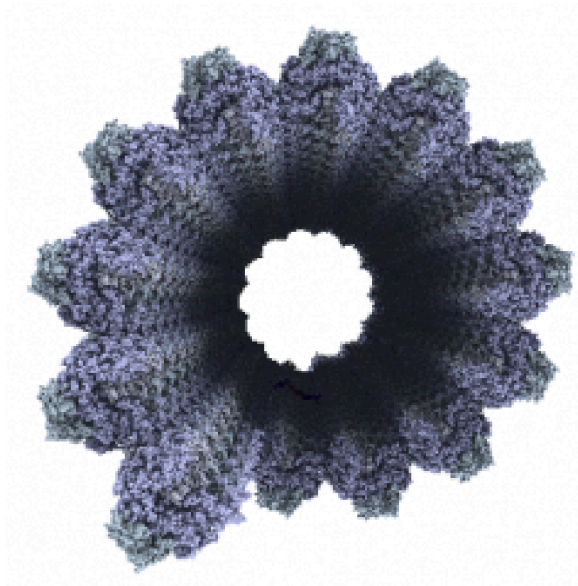


Figure 4.14 Microtubule. Final step of simulation. $T = 298,15\text{K}$; $A=90\text{V/cm}$; $F=90\text{Hz}$

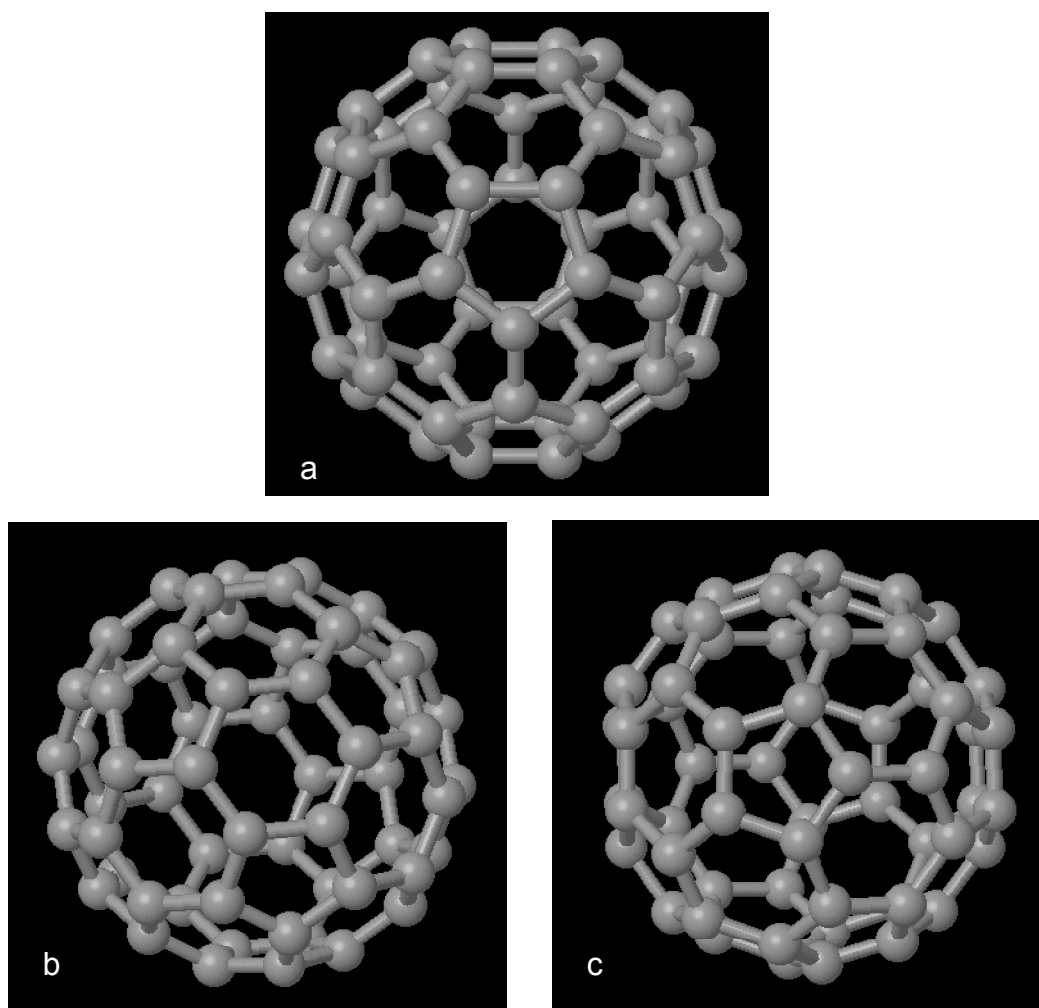


Figure 4.15 Simulation of Buckyballs.

a) Initial configuration

b) Simulation at $T = 298,15$ K; $A = 2$ V/cm; Frequency = 90Hz

c) Simulation at $T = 298,15$ K; $A = 90$ V/cm; $F = 90$ Hz

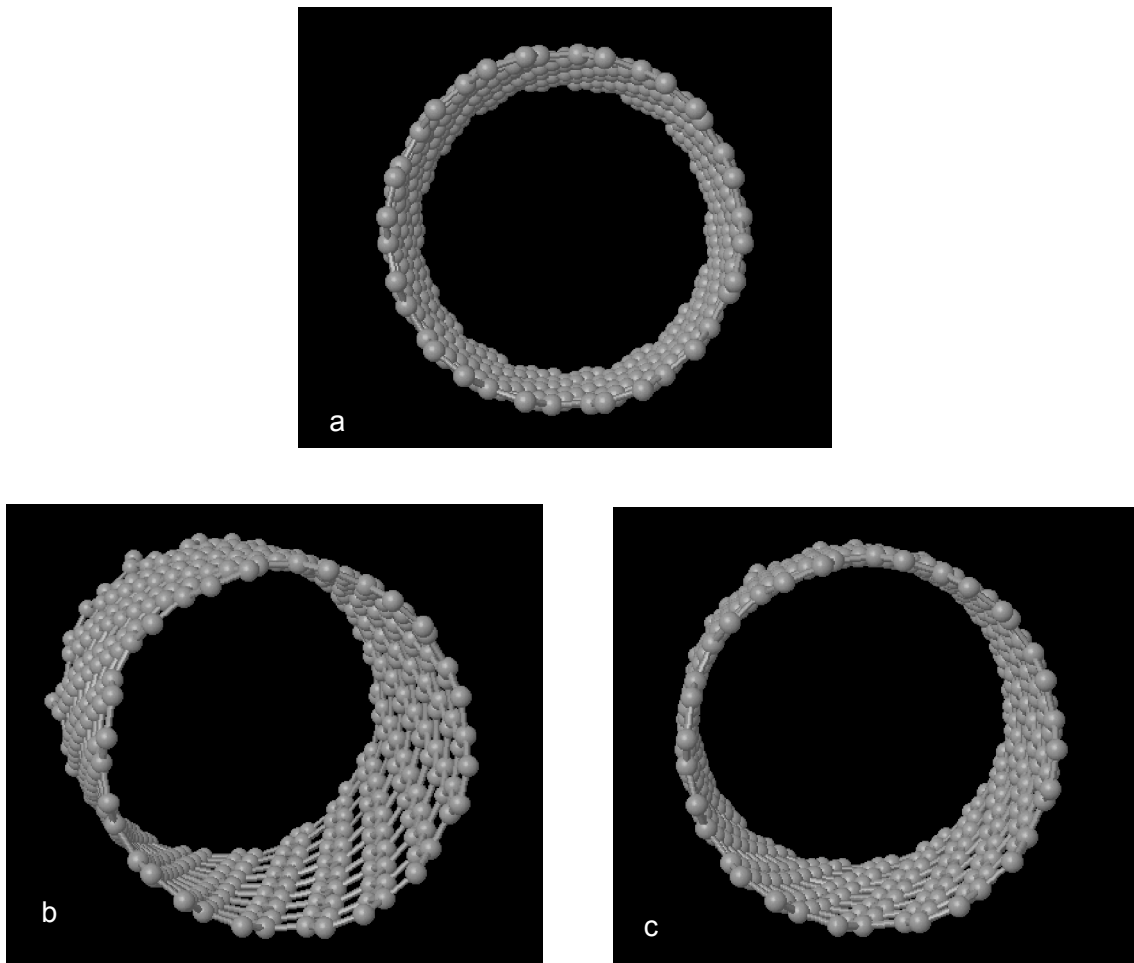


Figure 4.16

Simulation of Nanotube.

a) Initial configuration of nanotube

b) Simulation with $T = 298,15 \text{ K}$; $A = 2 \text{ V/cm}$; $F = 90 \text{ Hz}$

c) Simulation at $T = 298,15 \text{ K}$; $A = 90 \text{ V/cm}$; $F = 90 \text{ Hz}$

4.3 ARTIFICIAL NEURAL NETWORKS

A novel method based on Artificial Neural Networks (ANNs) was conceived for evaluating the results of the dynamical simulations. Structural data obtained by the MD evolution were submitted to two different SOM-based models: SONNIA, a SOM-based algorithm developed in the SONNIA environment, for the evaluation of specific parameters, and ITSOM for the evaluation of dynamic attractors. Their results were then compared.

We have decided to use the analysis tools provided by SONNIA to develop a SOM network and evaluate specific parameters to assess the degree of dynamic organization reached by the examined molecules when subjected to electromagnetic fields.

The output maps of a SOM network are represented in SONNIA by a set of coloured boxes, one for each output neuron. The boxes configuration highlights two interesting parameters:

1 - Occupancy, i.e. the number of patterns that have been mapped onto the same neuron, indicating similarities in the input domain.

2 - Conflicts or conflict neurons, i.e. neurons that refer to inputs belonging to different classes.

Besides, we used another self-organizing artificial network developed by our group, the *ITSOM* (Inductive Tracing Self-Organizing Map), to discriminate the dynamical behaviour of the structures under investigation, on the basis of the chaotic attractors determined by the sequences of its winning neurons. An attractor represents the trajectory in a portion of state space where a dynamical system is attracted to.

In the SONNIA environment, in the conditions of zero field the *tubulin* shows a high occupancy value, and a rather consistent number of conflicts (Fig. 4.17). The stabilization of the neural network is achieved with the greatest difficulty with respect to all other examined structures, to highlight a lack of native dynamic organization in relationship to the other structures. By applying a weak electric field the tubulin tends to restrict its configuration space, while maintaining similar rates of occupancy and conflict with respect to the absence of field. With a 90 V/cm field the configuration space and the occupancy don't change, but the number of conflicts is increased, showing a decrease in structural organization.

The ITSOM-MatLab analysis shows that tubulin generates a stable attractor in absence of field, that tends to become less structured when applying E-M field (Fig.4.18).

The analysis with the SOM-based algorithm developed in the SONNIA environment

revealed that in absence of field the *MT* shows a much more restricted occupancy than tubulin, especially considering that its dimensions are much greater. The configuration space is well confined. With weak electric field the situation does not change, the MT appears spatially and structurally stable. With a stronger electric field the occupancy does not change, while decreasing the number of conflicts (Fig. 4.19).

In the MatLab Visualization of the ITSOM-analysis microtubules show the same strong organization as tubulin in absence of field, but on the contrary their attractors tend to become more compact when electric field is applied, focusing on a restricted spatial configuration, after a short transition phase (Fig. 4.20).

The low occupancy values and the absence of conflicts in all configurations of BB and NT is due to the low number of their components if compared to the size of the network and to their extremely regular structure.

By applying a weak electric field to the BB, occupancy tends to decline, the BB tends to stabilize in a range of values. The spatial configuration tends to shrink. But as the electric field grows, the occupancy tends to return to the same levels as in the absence of field (Fig. 4.21).

Although the NT structure is bigger than that of a BB, the occupancy is low and similar to the BB one, symbolizing the strong stability of the structure. With weak electric field the situation does not change, even though there is a spatial displacement of the structure. With higher field the structure tends to go back to the positions obtained without field, although in a more distributed way, as occupancy tends to be more distributed (Fig 4.23). The ITSOM-Matlab analysis shows that buckyballs have a regular behaviour, which is not modified by electric field.

Nanotubes have a more complex structure, but their occupancy is low, indicating very high stability (Fig. 4.22). Occupancy (regularity) increases with the growing of the electric field.

In the MatLab Visualization of the ITSOM-analysis nanotubes show an increase of spatial occupancy, with an interesting increase of order when electric field is applied (Fig. 4.24).

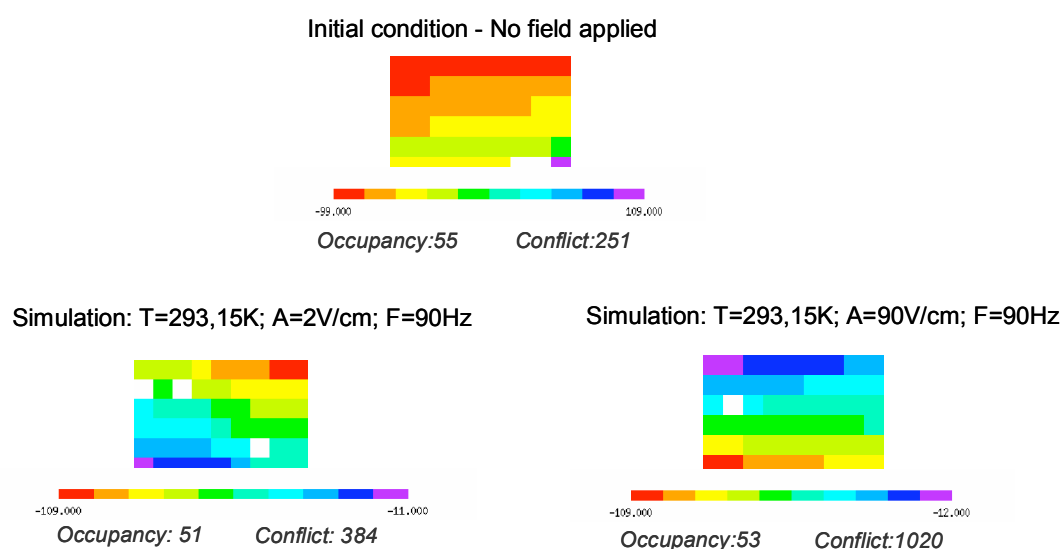


Figure 4.17 Tubulin. Visualization with SONNIA, a SOM-based algorithm developed in the SONNIA environment, for the evaluation of specific parameters

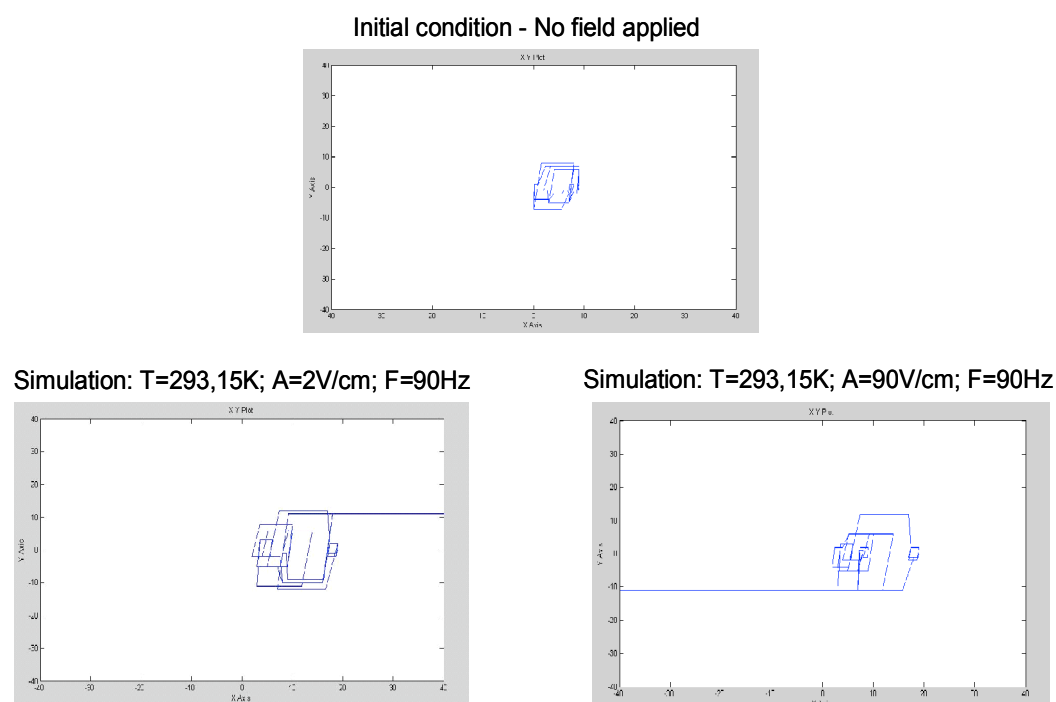


Figure 4.18 Tubulin. Visualization with MatLab of the ITSOM analysis

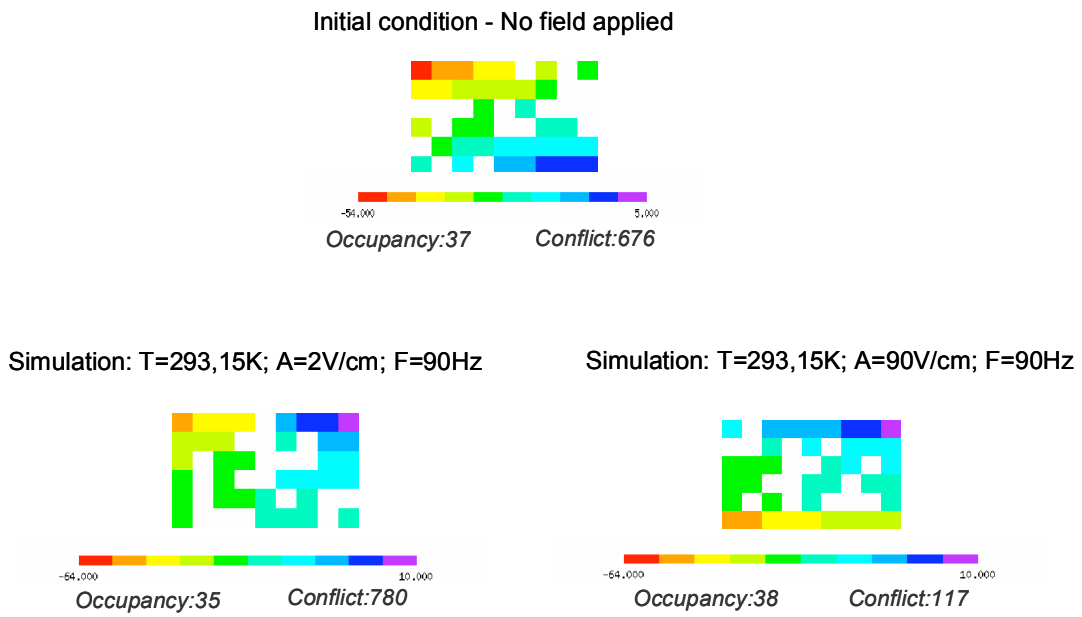


Figure 4.19 Microtubules. Visualization with the SOM-based algorithm developed in the SONNIA environment.

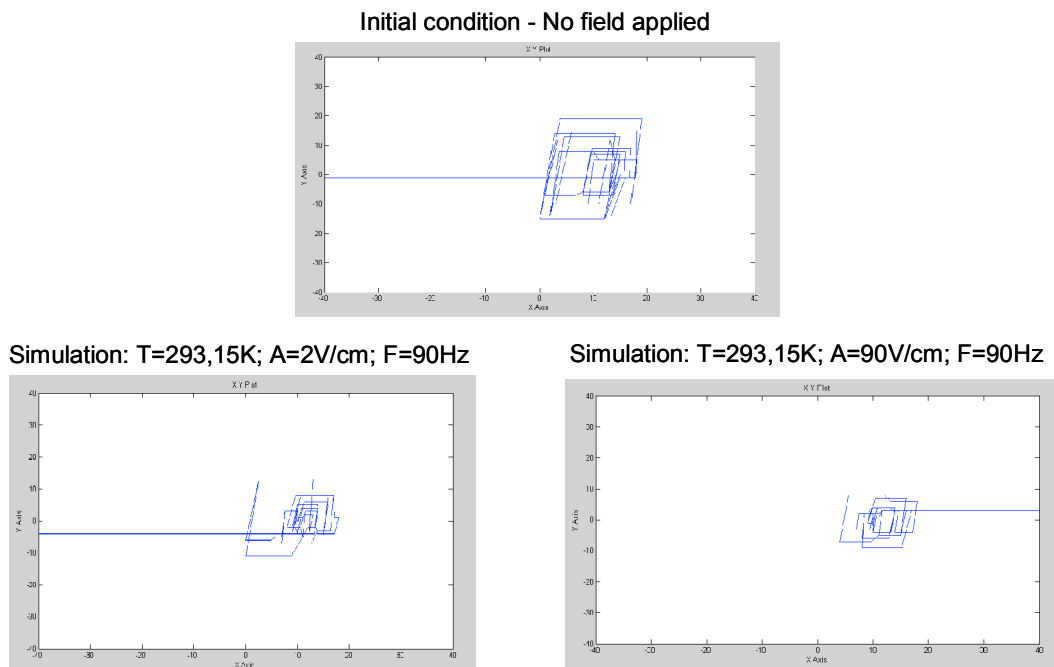


Figure 4.20 Microtubules. Visualization with MatLab of the ITSOM analysis

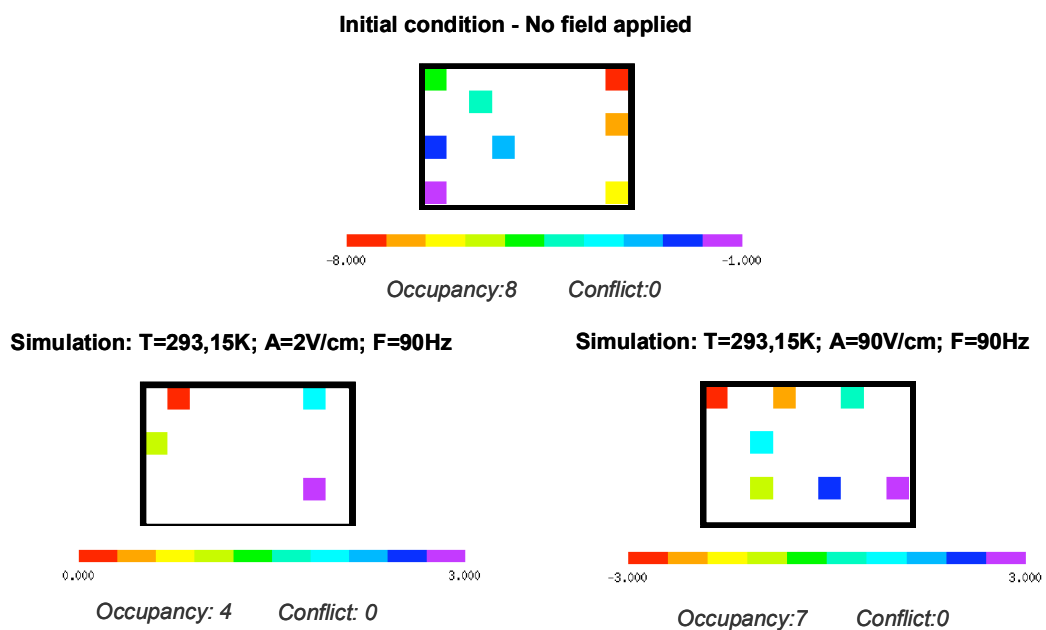


Figure 4.21 Buckyballs. Visualization with the SOM-based algorithm developed in the SONNIA environment.

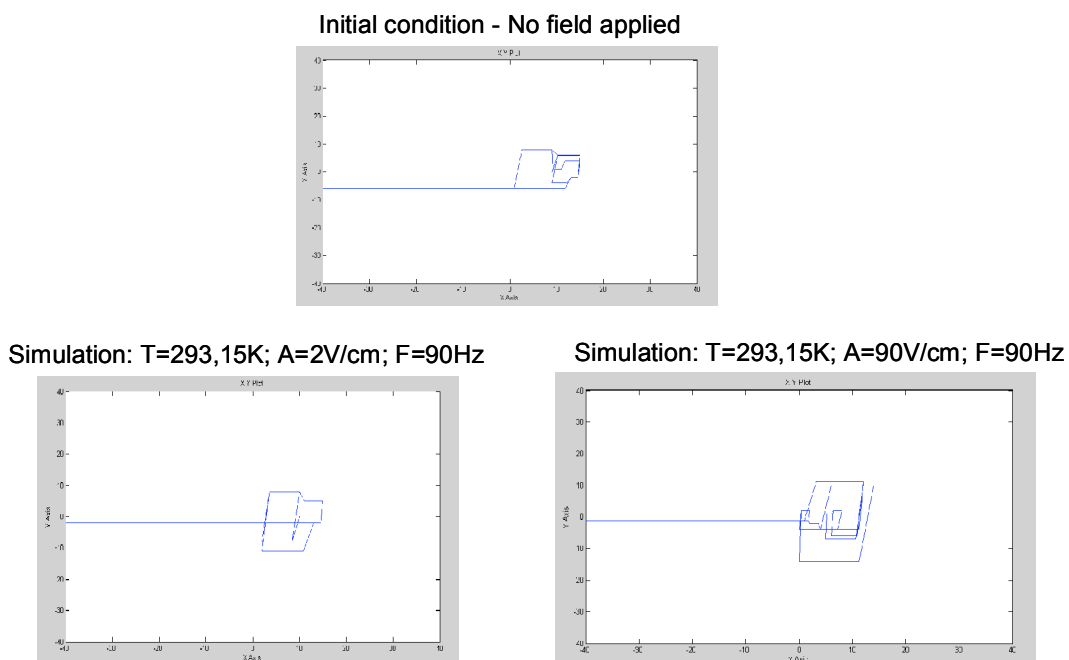


Figure 4.22. Buckyballs. Visualization with MatLab of the ITSOM analysis

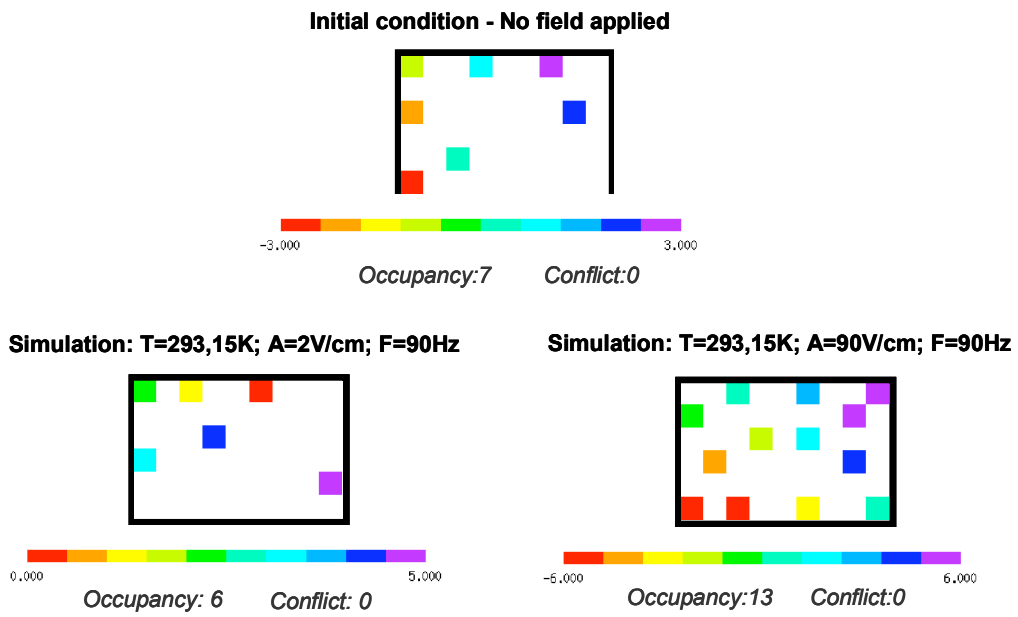


Figure 4.23 Nanotube. Visualization with the SOM-based algorithm developed in the SONNIA environment.

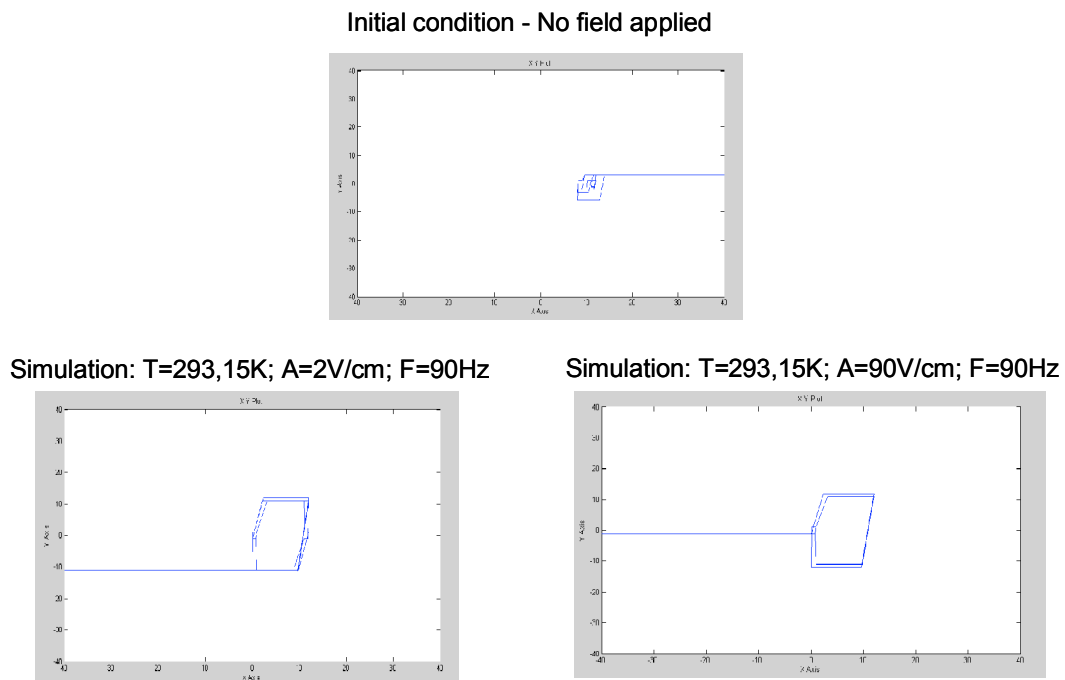


Figure 4.24 Nanotube. Visualization with MatLab of the ITSOM analysis

5. DISCUSSION

This research presents a novel use of Artificial Neural Networks in the evaluation of the dynamical organization of MTs versus tubulin and CNTs.

After performing a MD simulation, we compared it with the evolution of two different models of self-organized neural networks. The results obtained using the output parameters (conflicts and occupancy) of the SOM-based algorithm developed in the SONNIA environment reflect the same behaviour observed during the Ascalaph dynamical simulation. In fact during the dynamical simulations we observed that CNTs tend to move with a dynamic axial motion, which becomes a real regular pulse in the presence of electric field. The behaviour of the neural network reflects this trend, which shows the extreme regularity of these nanostructures and an interesting already known behaviour of CNT in the presence of electric field. BBs instead are insensible to electric field.

Microtubules, which in the dynamic evolution at zero field tend to move off their initial position, with the influence of the electric field tend to return to the starting position and to stabilize.

The tubulin seems to have different internal forces that tend to resist a dynamic stabilization. However, in the presence of electric field, although it tends to squash, it does not show any particular reaction. This behaviour is influenced by the intrinsic electric charge of the molecules: microtubules are electrical polar structures, tubulin dimers are taken as quantum well structures containing an electron that can exist in either its ground state or first excited state. These excitonic states together with MT lattice vibrations determine the state space of individual tubulin dimers within the MT lattice. The tubulin dipole is not perfectly symmetrically aligned, so it tends to squash, and when an electric field is applied it tends to resist a dynamic stabilization. It is also important to consider the role of the surface ionic charge layer of the microtubule: recent results suggest that ions, condensed around the surface of the major filaments of the cytoskeleton, flow along and through microtubules in the presence of potential differences, thus possibly acting as transmission lines propagating intracellular signals in a given cell (Craddock et al., 2010).

The dynamic simulation confirms the lack of specific characterization. The neural simulation shows final graphs that clearly indicate a MT's dynamic organization much stronger than the tubulin one that is not altered by the presence of electric field even in its spatial configuration. It is worth noting, however, a very significant reduction of conflicts, which would indicate a dramatic increase in the spatial organization. On the other hand, the graphs obtained by the ITSOM network confirm the SOM analysis performed with the SONNIA

parameters (conflicts and occupancy) and the dynamic simulations. The attractors generated by BB both in the absence of field and with low electric field are extremely cyclical and regular, even though with higher field it tends to present a regular compactness, and to broaden its values.

The attractor regularity is clearly present even in the CNTs, and the electric field tends to increase both spatial range and regularity. The tubulin, which is initially well-structured (although with a much more complex pattern of NT and BB), maintains a structured shape even in presence of electric field, although with an increase of disorder. The MTs, however, despite their structural complexity, show a strong dynamic stability, which the electric field, after an initial transient, improves significantly. The field increase further stabilizes the structural dynamics and the spatial configuration of MTs.

All three methods converge in emphasizing the dynamic stability of these four structures, but show that only CNTs and MTs exhibit a significant behaviour in presence of electric field, in the direction of a stronger structural and spatial organization. These results confirm those obtained in the experiments on real samples of tubulin and MTs in conditions of resonance and birefringence.

In the electromagnetic resonance experiment we identified a difference in the peak amplitude of the solution with MTs at a frequency of 1510 MHz, whereas the solution with tubulin and the control solution did not show any reaction. The lack of response in tubulin and control can be considered a hint that the peculiar structure of microtubules could be the cause of the observed signal. Considering the nanoscopic size of MTs, the resonance analysis would be more effective if carried out on much higher frequencies (up to 100 GHz), with suitable instrumentation. The presence of a small but sharp resonance effect at a low frequency could be the hint of a much evident effect at higher frequencies.

The analysis of the results of birefringence experiment highlights that the MTs react to electromagnetic fields in a different way than tubulin. In particular, electric field and longitudinal magnetic field show opposite effects in the two types of protein assemblies. Anyway, in spite of the effect under electric field is the same as with no field, an unexpected and interesting effect is shown in the case of longitudinal magnetic field. The achieved results, supported by statistical significance, suggest that the tubular structure of MTs might be responsible for the different behaviour in respect to free tubulins. Intrinsic electric charge of

tubulin and MTs has a role in their different observed response. In fact, the exposed charges determine the isoelectric point, which is the pH value where a molecule doesn't show any electric charge. The taxol-stabilized microtubules have an isoelectric point of about pH 4.2 which is significantly lower than that known for the tubulin monomers, which is 5.2 (Strake et al., 2002). This indicates that microtubule formation is accompanied by substantial changes of charge distribution within the tubulin subunits. Constant electric fields were shown to affect also the orientation of microtubules. Both molecules are placed in a buffer solution with a pH value of 7, which is higher than the isoelectric point of both tubulin and MTs and emphasizes their acidic behaviour: the dissociation of basic groups is inhibited, the molecules assume a positive charge behaving as acids and move towards the positive electrode. In this reasoning we should also take into consideration the size of the analysed molecules, which is considerably different, and influence their reaction.

Regarding superradiance experiment, the data obtained showed that the system is not suitable to highlight this phenomenon. However, it should be underlined that the coherent states we searched have nothing to do with the form of coherence between the water molecules suggested by Jibu et al., 1994. In the measurements performed, in fact, water is not optically active and, therefore, it is as if there wasn't any water. In the case of MTs, the presence of the eight tryptophan residues on the surface of each tubulin justifies for the experimental results obtained; in fact, the absorption recorded at 270 nm corresponds exactly to the absorption of indole nuclei of this amino acid, so as the luminescence that follows is attributable to the return of tryptophan molecule to its basal state. Although this system does not appear promising and all the evidences indicates that it can not be superradiant, it would be appropriate to repeat the same measures on a different set-up that is able to keep the sample much more stable and to reach a temperature below 2 K. In this way it would be possible to see if by strongly minimizing the thermal disorder a system that is so little inclined to be superradiant can become superradiant.

6. CONCLUSIONS AND FUTURE TRENDS

The computational methods developed in this work have proved to be valuable for the analysis of complex biophysical phenomena. The approach of artificial intelligence that has been used supports the experimental evidences at the microscopic level, allowing a more correct and accurate interpretation of the results.

It has been possible to justify the experimental results in light of structural and dynamic models, highlighting the actual existence, so far only hypothesized, of substantial effects of electromagnetic fields on the dynamic evolution of microtubules. For this reason, the research on these interesting structures will continue with further studies. Besides, the use of simulation methods can help to motivate at a microscopic level the experimental evidences and justify the agreement with theoretical assumptions.

The experiment of superradiance phenomena led to the conclusion that there is no quantum coherence phenomena connected with the microscopic structures of the microtubule, while the effects of fluorescence are largely justified by the presence of the tryptophan residue in the amino acid chain. This result is useful in order to exclude other hypotheses about the quantum behaviour of microtubules present in literature. However, some quantum theories which involve microtubules assume a consistent behaviour of the water contained in a specific molecule and not in the microtubule itself. This type of experiments and simulations do not exclude this concept, even if the evidence is against it. In fact this theory is often flanked by the hypothesis that the microtubule itself has an active role in superradiance transmission. In the future the experiments and simulations will continue in order to validate the remaining assumptions on quantum features of microtubules.

The positive results obtained from the synergistic approach combining computational methods to biophysical experiments of resonance and birefringence encourage us to continue our experimental research. In particular we will carry out in the future a replication of the already performed tests on MTs and tubulins interacting with different ligands. The experimental results will be coupled with the MD simulation of the protein folding binding different ligands, to study the emerging conformational differences. These studies would support hypotheses on the origin of the different biophysical behaviour in relationship with conformational changes. This work aims to deepen the knowledge on the behaviour of MTs and tubulin and to deduce a number of reasonable assumptions on the function of MTs as information or quantum information communication structures.

Another future objective can be the study of the difference between classical and quantum simulation of biomolecular reactions. These problems are currently much studied because of the clear connections both with the theoretical problems of the transition between classical and quantum approach, and in view of possible applications to micro and nanomechanics. The case of nanomechanics is particularly important because the fast experimental progress in this field makes feasible some experiments considered as only theoretical experiments until recently. These experiments allow full control of the various experimental situations, and thus to discriminate between different hypotheses. A very important point is how to deal with credibility with the liquid state in which the biomolecules of the study are immersed. In the past this medium has been modeled frequently as a dilute gas, obviously leading to results in discordance to common sense and experimentation.

A second point of fundamental importance when quantum effects are taken into account, is represented by the decoherence. In fact, if the phenomenon of decoherence is overlooked, that is by only solving the Schrodinger equation of the problem, amazing effects can be expected which anyway are not observed in real systems. The difficulty is that an elementary dealing of decoherence involves the calculation of infinite values of these effects, that consequently has to be renormalized, thus losing any chance of theoretical prediction, as these infinite values has be replaced by the empirical values. Other models, first of all the spin-boson model of Caldeira and Leggett, do not require renormalization, but the fundamental parameters of the model, typically the intensity of the interaction between the studied system and the thermostat and the density of states of the thermostat, should be adjusted so that the final values obtained are in agreement with the experimental data (Benenti et al., 2007). In this situation it is better to study more realistic models than the standard in order to understand in detail and reliably the difficulties of the problem.

Regarding the transition from classical to quantum model, on one side there are the molecular systems that have a quantum behaviour in interacting with a thermostat. It is presumable that considering larger and larger molecules, quantities well-described by classical methods will certainly appear more and more markedly. On the opposite side, with modern micro/nano techniques devices and systems showing quantum behavior can be produced. The effort to unify in a unique context the theory of macromolecules and of nanomachines is very useful to the understanding of the borderline between classical and quantum model. There are enough experimental data to work on in both cases.

7. APPENDIX

SOFTWARE FOR SECONDARY STRUCTURE PREDICTION BASED ON NEURAL NETWORKS

JNet

Secondary structure prediction methods attempt to infer the likely secondary structure for a protein based on its amino acid composition and similarity to sequences with known secondary structure. The JNet method uses several different neural networks and decides on the most likely prediction via a jury network. The function available does two different kinds of prediction, dependent upon the currently selected region:

- If nothing is selected, and the displayed sequences appear to be aligned, then a JNet prediction will be run for the first sequence in the alignment, using the current alignment. Otherwise the first sequence will be submitted for prediction.

- If just one sequence (or a region on one sequence) has been selected, it will be submitted to the automatic JNet prediction server for homologue detection and prediction.

- If a set of sequences are selected, and they appear to be aligned, then the alignment will be used for a Jnet prediction on the first sequence selected in the set (that is, the one nearest the top of the alignment window).

JNet secondary structure prediction is based on the sequence profile of contiguous stretches of amino-acid sequence. The result of a JNet prediction for a sequence is a new annotated alignment window: the sequence for which the prediction was made is the first one in the alignment. If a sequence based prediction was made then the remaining sequences in the alignment are the aligned parts of homologs which were used to construct a sequence profile for the prediction. If the prediction was made using a multiple alignment, then the original multiple alignment will be returned, annotated with the prediction.

Jpred

Jpred is a web server that takes a protein sequence or multiple alignments of protein sequences and from these predicts secondary structure using Jnet algorithm. Jpred integrates the Jnet algorithm and make even more accurate predictions: in addition to the definition of each amino acid residue into either alpha helix or beta sheet, Jpred also makes predictions of coiled coil regions, using the 'COILS' algorithm developed by Lupas and co-workers, and relative solvent accessibility. Using the 0%, 5% and 25% cut-offs it predicts whether a residue is buried ('B') or exposed ('-') with three relative solvent accessibilities. The Jpred web server has been

written in standards compliant XHTML 1.0 and CSS 2.0, and runs in two modes: single sequence and multiple sequences. The latest version of Jpred in addition to maintaining the characteristics of the previous ones has new features: more than 81% accuracy of predictions, possibility of setting working groups, and better control of input sequences or alignments, predictions returned by e-mail, incorporation of all the predictions in PDF format.

ProQ

Protein Quality Predictor is a software package for the prediction regarding neural network, based on a number of structural features that predict the quality of a model protein. ProQ is optimized to find correct methods, in contrast to other methods that are optimized to search for native structure. There are two different types of measurement for prediction: LGscore and MaxSub. LGscore is a P value, while MaxSub varies from 0 to 1, where 0 means "insignificant" and 1 means "very significant".

The different values for prediction are:

- Correct: LGscore > 1.5 and MaxSub > 0.1
- Good: LGscore > 3 and MaxSub > 0.5
- Very good: LGscore > 5 and MaxSub > 0.8

Pcons

Pcons is a Model Quality Assessment Program (MQAP) which means that it ranks protein models by assessing their quality. Pcons uses a set of possible protein models as input. These models can, and should, be produced using various methods and approaches. The Pcons protocol analyzes the set of protein models and looks for recurring three-dimensional structural patterns. Based on this analysis each model is assigned a score reflecting how common its three-dimensional structural patterns are in the whole ensemble of models. The idea is that recurring patterns are more likely to be correct as compared to patterns that only occur in one or just a few models. The result from the Pcons protocol is one score reflecting the overall global quality, and a score for each individual residue in the protein reflecting the local residue quality.

PSI-PRED

The PSI-PRED method allows the prediction of elements of proteins secondary structure (Fig. 1.3). It is a third generation method which achieves an accuracy of prediction of 77%. The innovation consists in the use of evolutionary information on a family of homologous proteins

and in the use of a system of two neural networks for the prediction of secondary structure. PSI-PRED is based on the specific position scoring matrix generated by PSI-BLAST on the input sequence, and includes three distinct steps:

- 1) building the sequence profile;
- 2) first prediction of the secondary structure made by the neural network;
- 3) second prediction obtained by filtering the output of the first neural network with a second network.

First of all a database of non-redundant protein sequences is compiled by extracting not identical sequences from public databases. This database is then filtered to remove regions containing low information content, the transmembrane segments and regions that form coiled-coil structure. The scoring and position-specific matrix from PSI-BLAST (after three iterations with BLOSUM62) is used as input for the neural network. The window that results to be optimal is identified; an extra amino acid is used to indicate where the window crosses the N or C-terminus of the protein chain. The output layer consists of three units, representing the three states of secondary structure (helix, strand or coil). A second neural network is used to filter the output of the first: it considers the predictions of each amino acid based on its propensity to alpha-beta-coil. Also for the second neural network the output layer consists of three units, representing the three possible states for secondary structure (helix, strand or coil).

DISOPRED

DISOPRED is the method for predicting non-ordered regions of a protein. As PSI-PRED, DISOPRED uses a system of neural networks to analyze sequence profiles generated by PSIBLAST, but instead of the three-state prediction (helix, strand or coil), DISOPRED considers only two: ordered or disordered. It may contain a single neural network and identify disordered regions by aligning the sequence of the polypeptide chain as specified by the SEQRES records in PDB files, with the sequence specified by the ATOM records. Residues present in SEQRES record but not in the ATOM, are considered disordered. For each protein a sequence profiles is calculated using three iterations of PSI-BLAST searching in databases of not overlapping sequences. Since the neural network predicted disordered regions also where PSI-PRED had identified elements of secondary structure, the secondary structure prediction was included as input in the neural network in addition to the sequence profiles.

PHD

PHD is software for secondary structure prediction, based on the observation of protein whose structure is known. Neural network method is used for the prediction of secondary structure for each residue of a protein. A reliability index (from 0 to 9) for secondary structure corresponding to a specific residue is calculated, and this value is related to the accuracy of the prediction. Reliability indexes equal to 9 correspond to an accuracy of 90%.

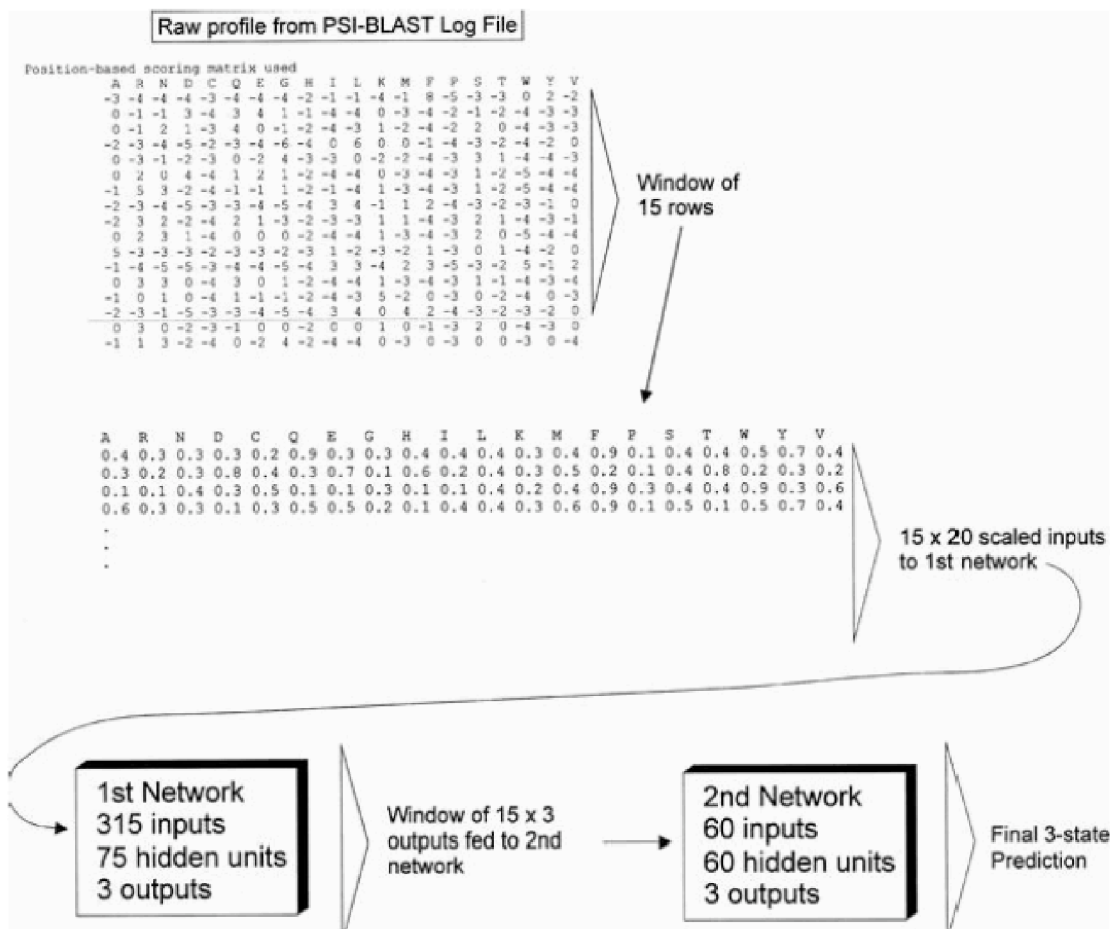


Figure 1.3 The PSI-PRED method. It is based on the specific position scoring matrix generated by PSI-BLAST on the input sequence. After the building of the sequence profile a system of two neural networks is used for the prediction of secondary structure.

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BlueTractorSoftware. Agile Molecule

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Molecular Workbench <http://mw.concord.org>

NVIDIA http://www.nvidia.it/object/molecular_dynamics_it.
Molecular Dynamics. NVIDIA Corporation

OPEN BABEL Open Babel Project. Open Babel. <http://openbabel.org>

PDB Atomic Coordinate Entry Format Version 3.2
<http://www.pdb.org/documentation/format32/v3.2.html>

POINTILLIST <http://magnet.systemsbio.net/software/Pointillist/>

PSORT <http://psort.hgc.jp/>

PubChem Project <http://pubchem.ncbi.nlm.nih.gov>

RCSB Protein Data Bank <http://www.rcsb.org>

SWISS-MODEL <http://swissmodel.expasy.org/>

SONNIA environment <http://www.molecular-networks.com/>

TMPRED http://www.ch.embnet.org/software/TMPRED_form.html

3D-Jury http://meta.bioinfo.pl/submit_wizard.pl

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